

Roman Juskiewicz (1952 – 2012)





Is CDM ruled out?

*Carlos S. Frenk
Institute for Computational Cosmology,
Durham*



The big Bang

Dark matter

10^{-35} seconds

10^{-34} seconds

10^{-43} seconds

10^{32} degrees

300 thousand years

3 minutes

1 thousand million years

15 thousand million years

Two revolutionary ideas were proposed around 1980

Cosmic inflation
→ initial conditions

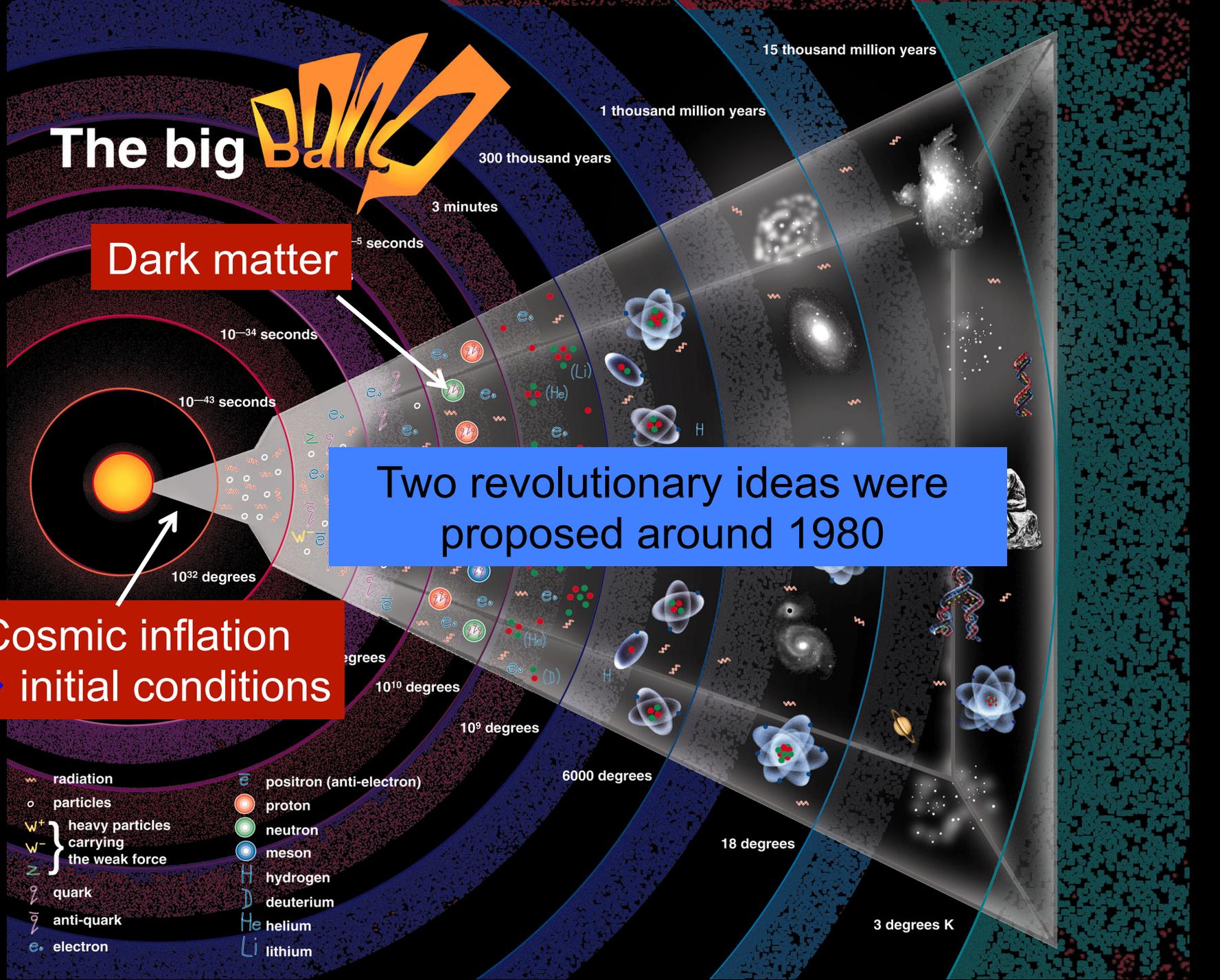
- radiation
- particles
- heavy particles carrying the weak force
- quark
- anti-quark
- electron
- positron (anti-electron)
- proton
- neutron
- meson
- hydrogen
- deuterium
- helium
- lithium

10^9 degrees

6000 degrees

18 degrees

3 degrees K



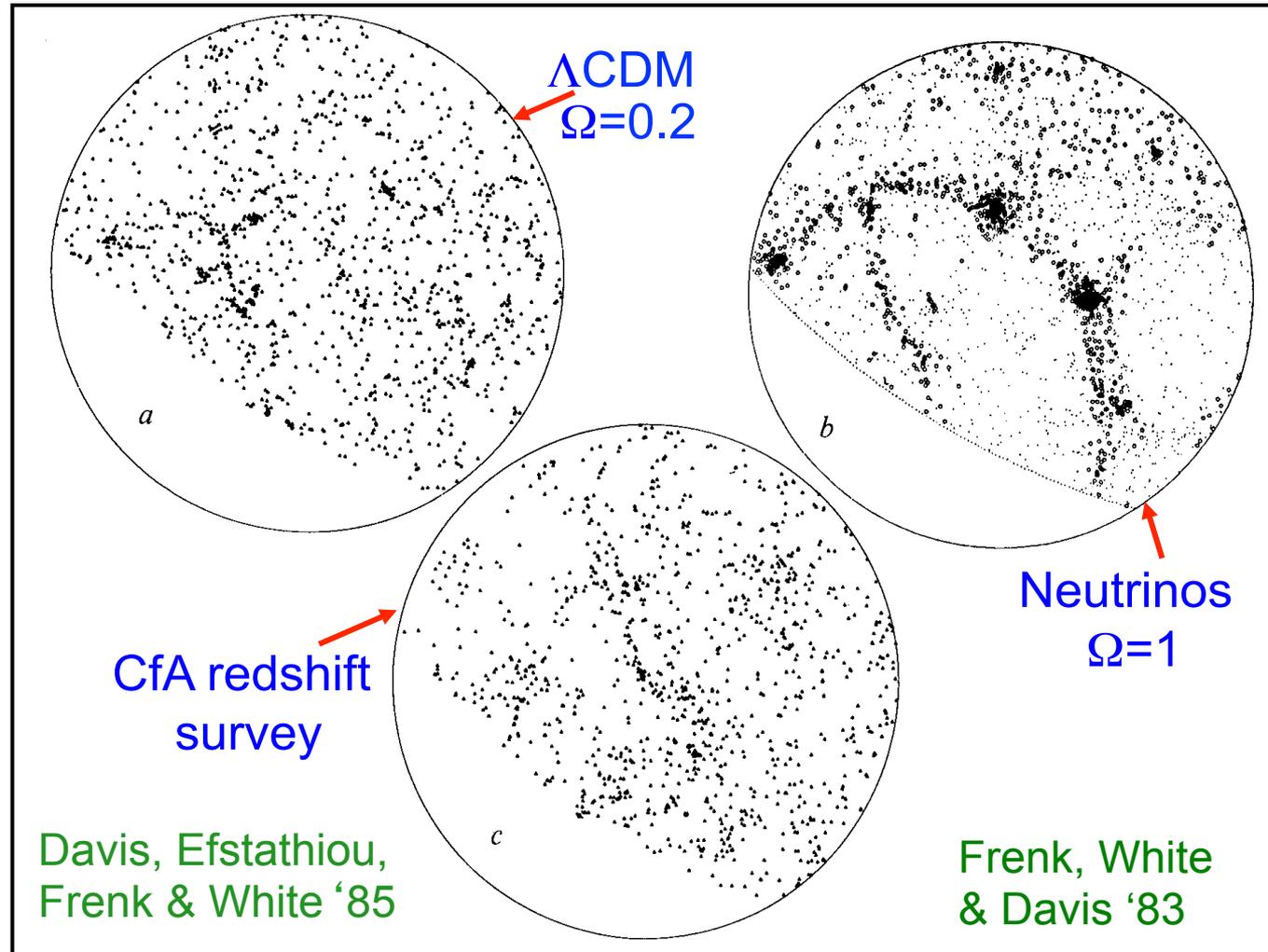
Non-baryonic dark matter cosmologies

Neutrino DM \rightarrow
wrong clustering

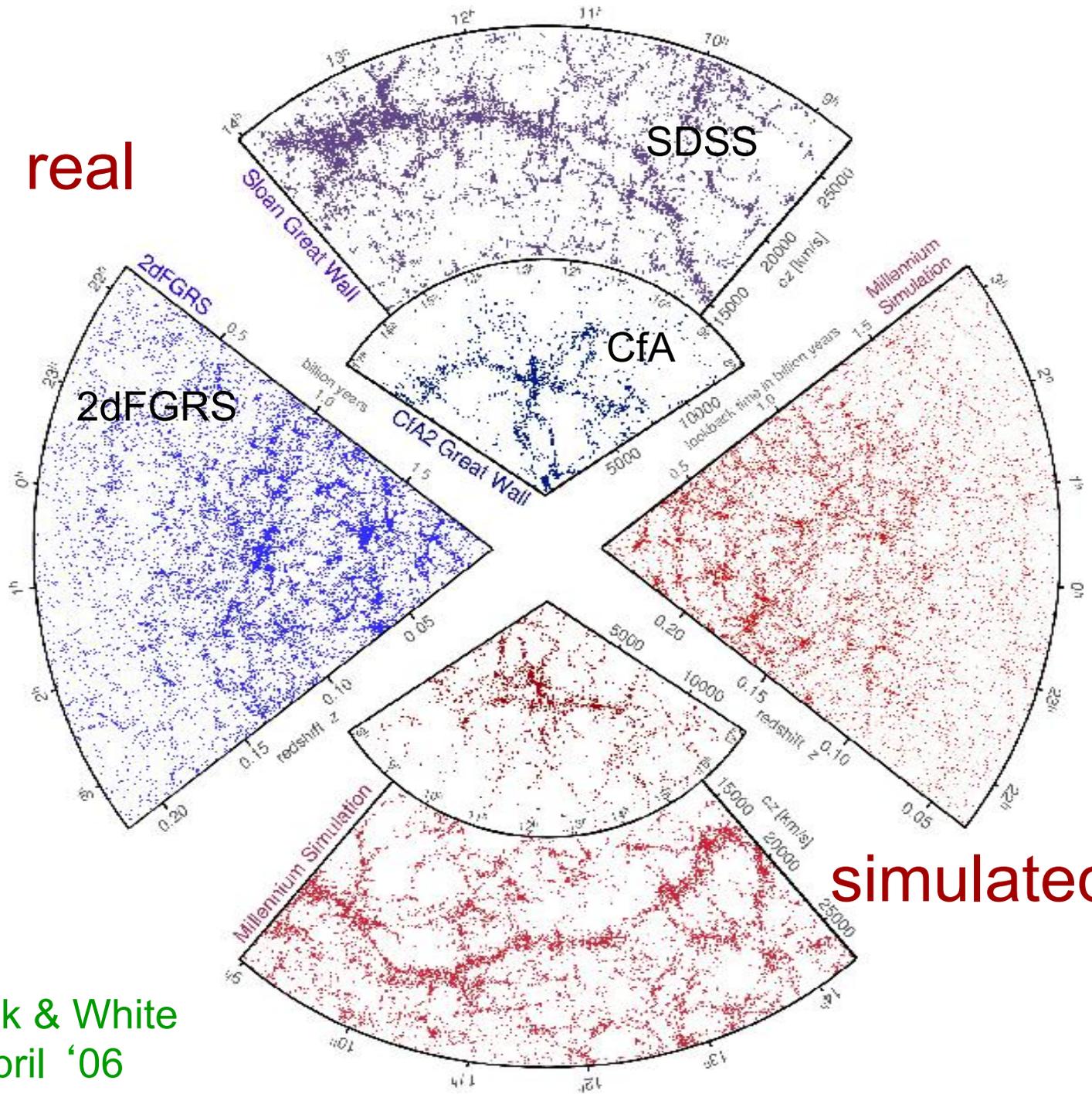
Neutrinos cannot
make appreciable
contribution to Ω
 $\rightarrow m_\nu \ll 30$ eV

Early CDM N-body
simulations gave
promising results

In CDM structure
forms hierarchically



real



SDSS

Sloan Great Wall

CfA

2dFGRS

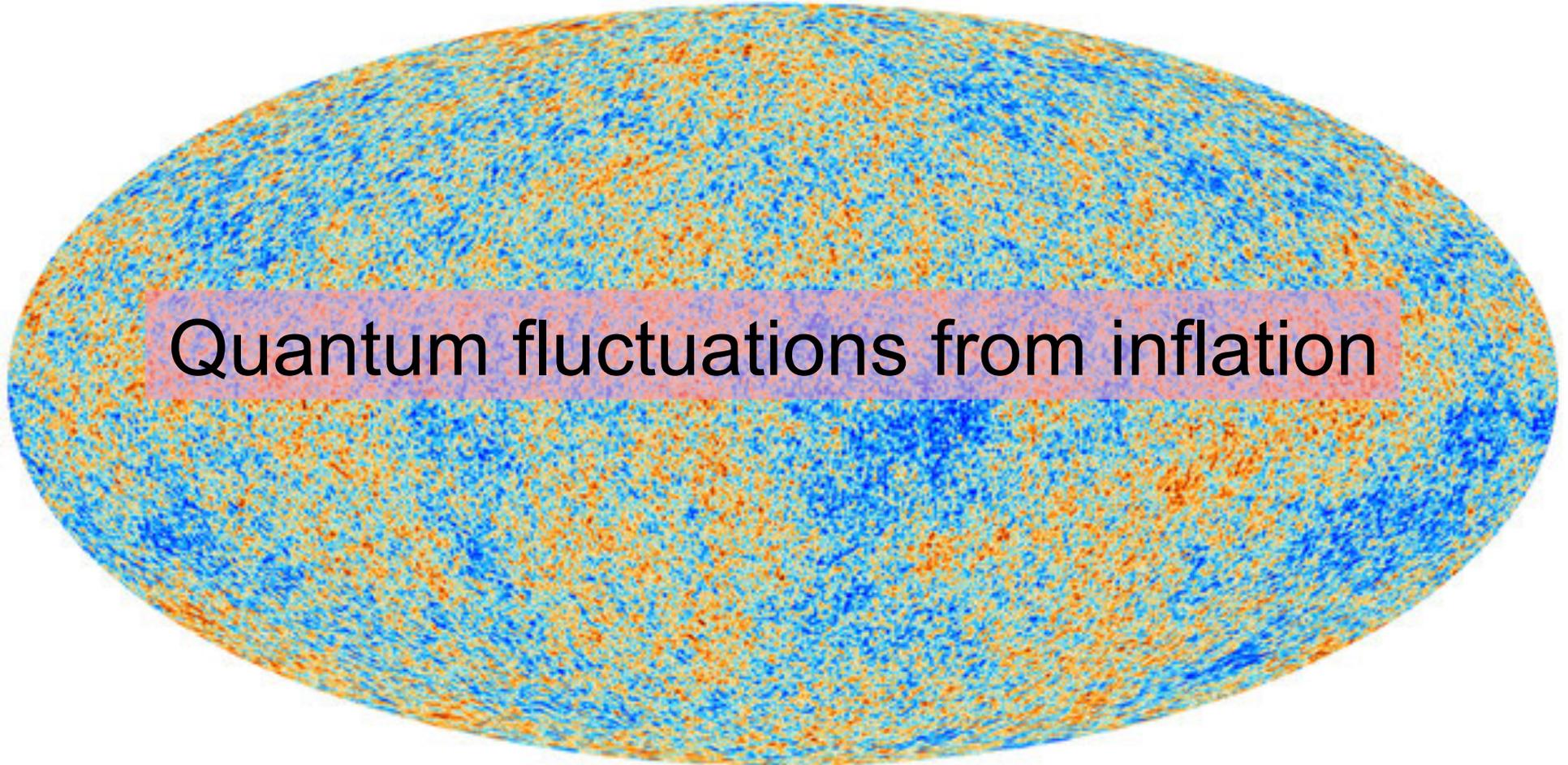
CfA2 Great Wall

Millennium Simulation

simulated

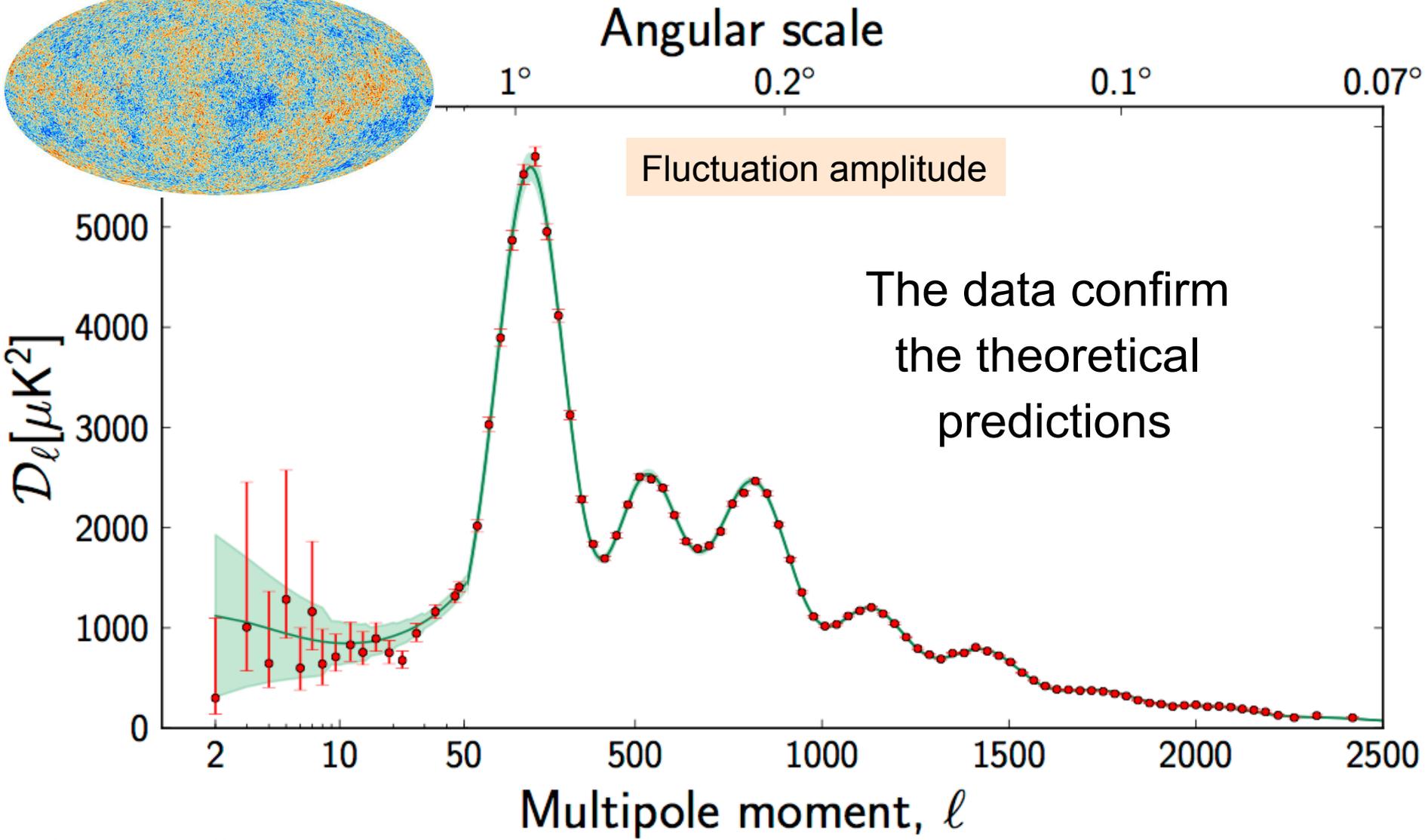
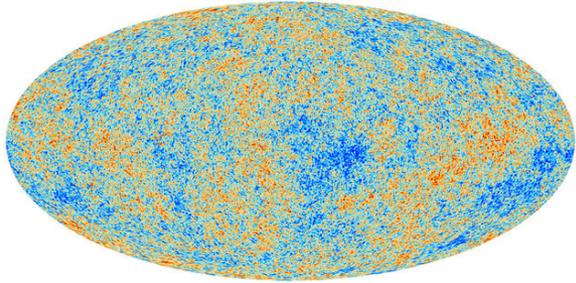
Springel, Frenk & White
Nature, April '06

The initial conditions for galaxy formation



Quantum fluctuations from inflation

Planck: CMB temperature anisotropies





The six parameters of minimal Λ CDM model

Univer

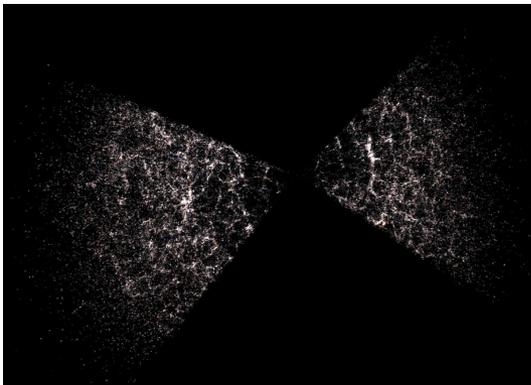
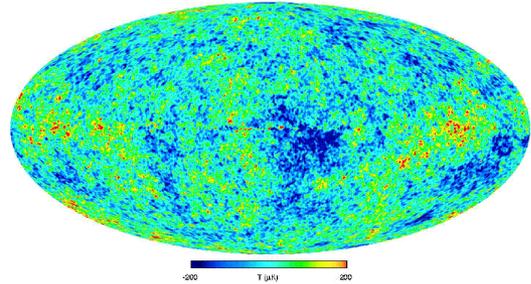
Planck+WP

Parameter	Best fit	68% limits
$\Omega_b h^2$	0.022032	0.02205 ± 0.00028
$\Omega_c h^2$	0.12038	0.1199 ± 0.0027
$100\theta_{MC}$	1.04119	1.04131 ± 0.00063
τ	0.0925	$0.089^{+0.012}_{-0.014}$
n_s	0.9619	0.9603 ± 0.0073
$\ln(10^{10} A_s)$	3.0980	$3.089^{+0.024}_{-0.027}$

6 model parameters

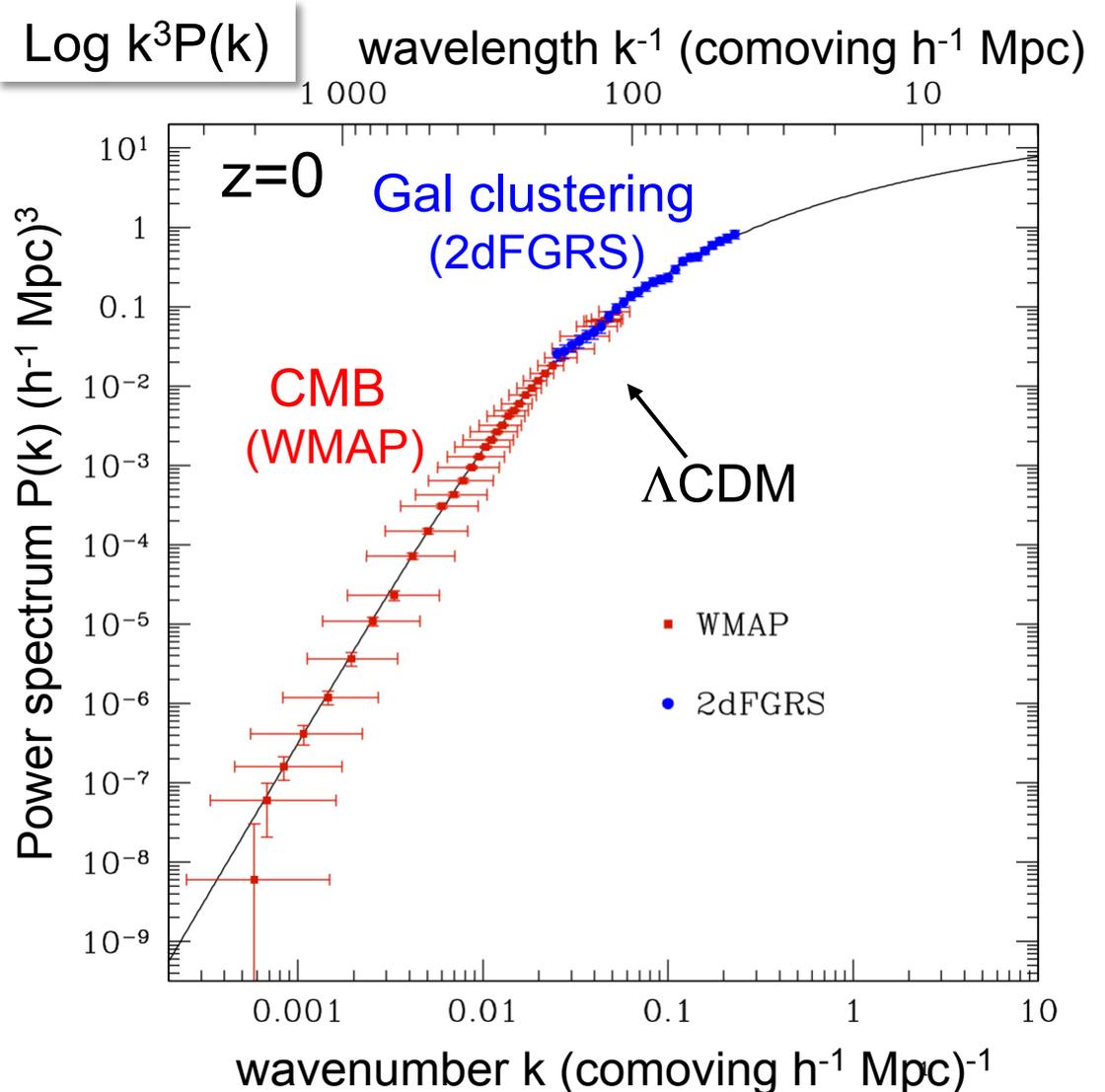
A 40σ detection of non-baryonic dark matter using only $z=1000$ data!

The cosmic power spectrum: from the CMB to the 2dFGRS



⇒ ΛCDM provides an excellent description of mass power spectrum from 10-1000 Mpc

Sanchez et al 06



The cosmic power spectrum: from the CMB to the 2dFGRS

Free streaming \rightarrow

$$\lambda_{\text{cut}} \propto m_x^{-1}$$

for thermal relic

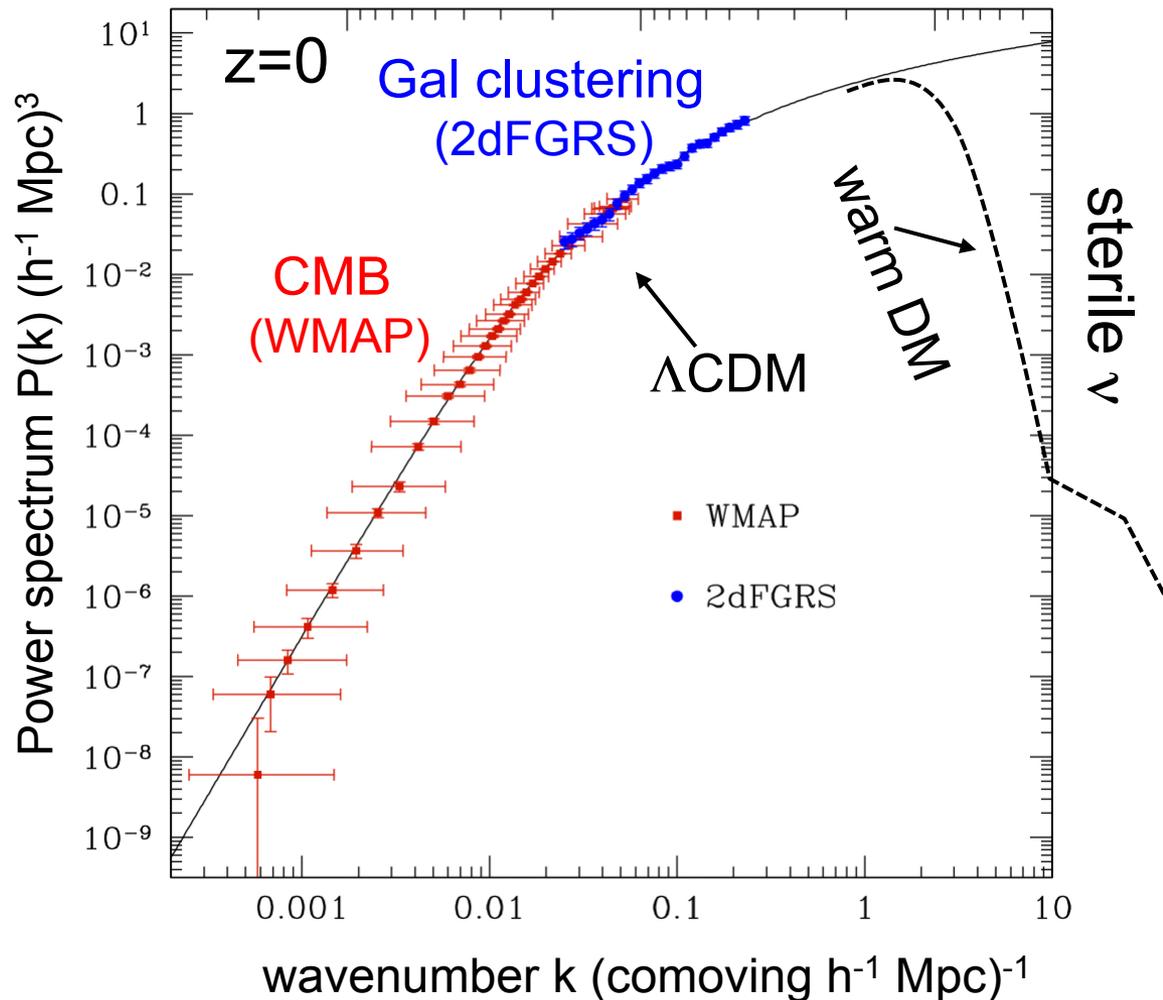
$$m_{\text{CDM}} \sim 100 \text{ GeV}$$

$$\text{susy}; M_{\text{cut}} \sim 10^{-6} M_{\odot}$$

$$m_{\text{WDM}} \sim \text{few keV}$$

$$\text{sterile } \nu; M_{\text{cut}} \sim 10^9 M_{\odot}$$

Log $k^3 P(k)$ wavelength k^{-1} (comoving h^{-1} Mpc)



A. Boyarsky¹, O. Ruchayskiy², D. Iakubovskiy^{3,4} and J. Franse^{1,5}

¹Instituut-Lorentz for Theoretical Physics, Universiteit Leiden, Niels Bohrweg 2, Leiden, The Netherlands

²Ecole Polytechnique Fédérale de Lausanne, FSB/ITP/LPPC, BSP, CH-1015, Lausanne, Switzerland

³Bogolyubov Institute of Theoretical Physics, Metrologichna Str. 14-b, 03680, Kyiv, Ukraine

⁴National University “Kyiv-Mohyla Academy”, Skovorody Str. 2, 04070, Kyiv, Ukraine

⁵Leiden Observatory, Leiden University, Niels Bohrweg 2, Leiden, The Netherlands

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arXiv:1402.4119v1 [astro-ph.CO] 17 Feb 2014

DETECTION OF AN UN

ESRA BULBUL^{1,2}, M

¹ Har

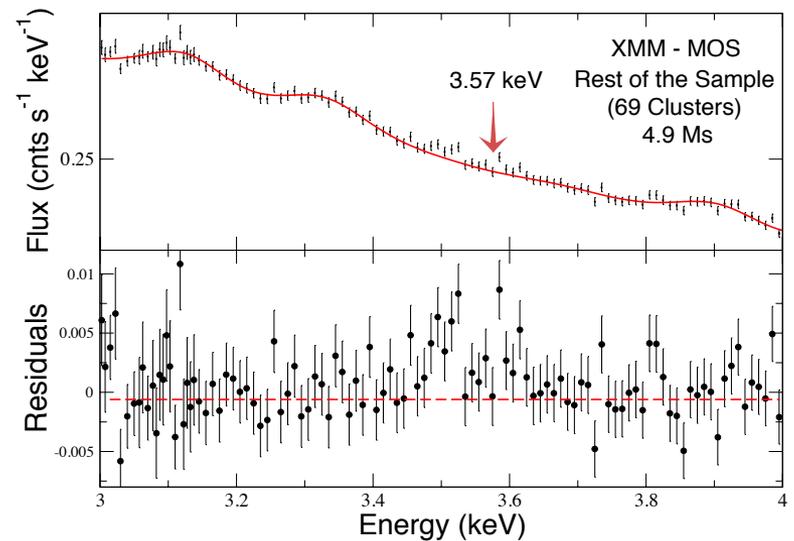
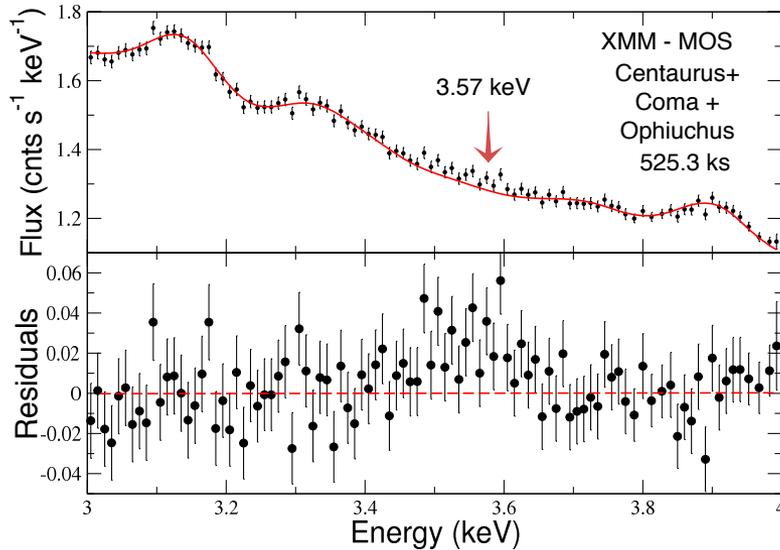
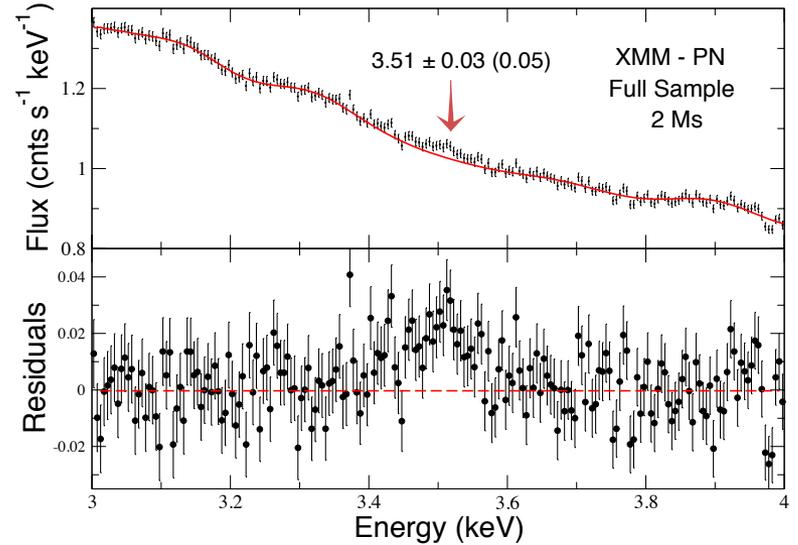
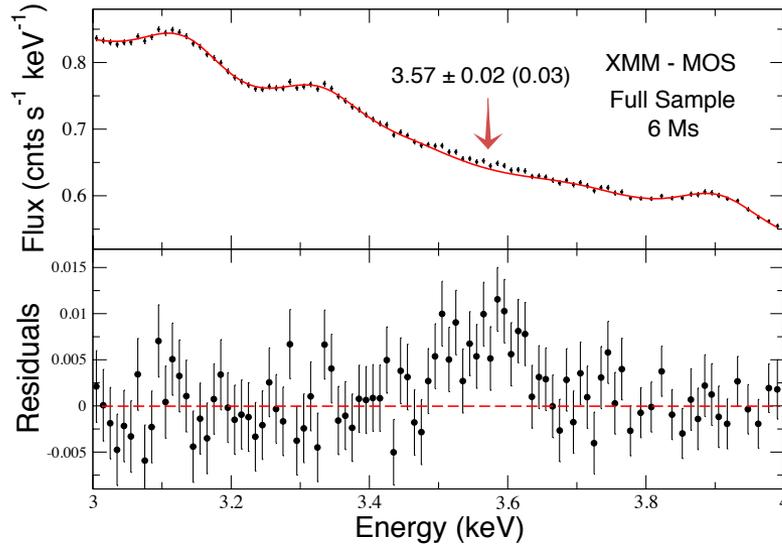
We detect a weak
spectrum of 73 ξ

independently show the presence of the line at consistent energies. When the full sample is divided into three subsamples (Perseus, Centaurus+Ophiuchus+Coma, and all others), the line is seen at $> 3\sigma$ statistical significance in all three independent MOS spectra and the PN “all others” spectrum. The line is also detected at the same energy in the *Chandra* ACIS-S and ACIS-I spectra of the Perseus cluster, with a flux consistent with *XMM-Newton* (however, it is not seen in the ACIS-I spectrum of Virgo). The line is present even if we allow maximum freedom for all the known thermal emission lines. However, it is very weak (with an equivalent width in the full sample of only ~ 1 eV) and located within 50–110 eV of several known faint lines; the detection is at the limit of the current instrument capabilities and subject to significant modeling uncertainties. On the origin of this line, we argue that there should be no atomic transitions in thermal plasma at this energy. An intriguing possibility is the decay of sterile neutrino, a long-sought dark matter particle candidate. Assuming that all dark matter is in sterile neutrinos with $m_s = 2E = 7.1$ keV, our detection in the full sample corresponds to a neutrino decay mixing angle $\sin^2(2\theta) \approx 7 \times 10^{-11}$, below the previous upper limits. However, based

WDM decay line in 69 stacked clusters?

$E=3.57$ keV

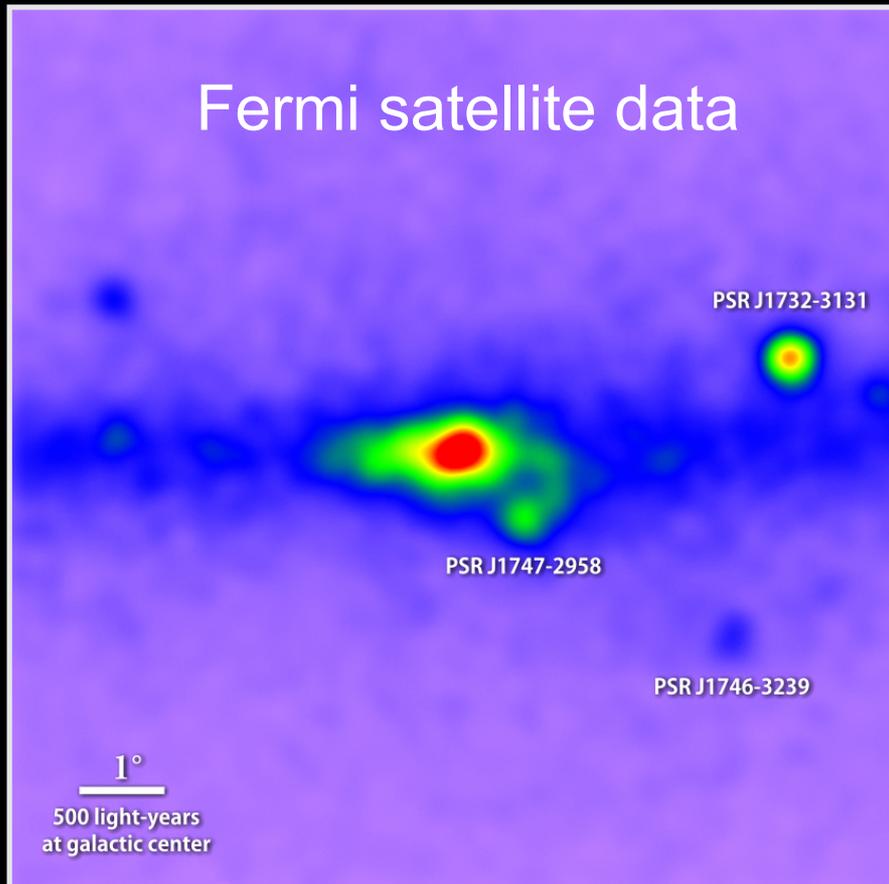
Bulbul et al. '14



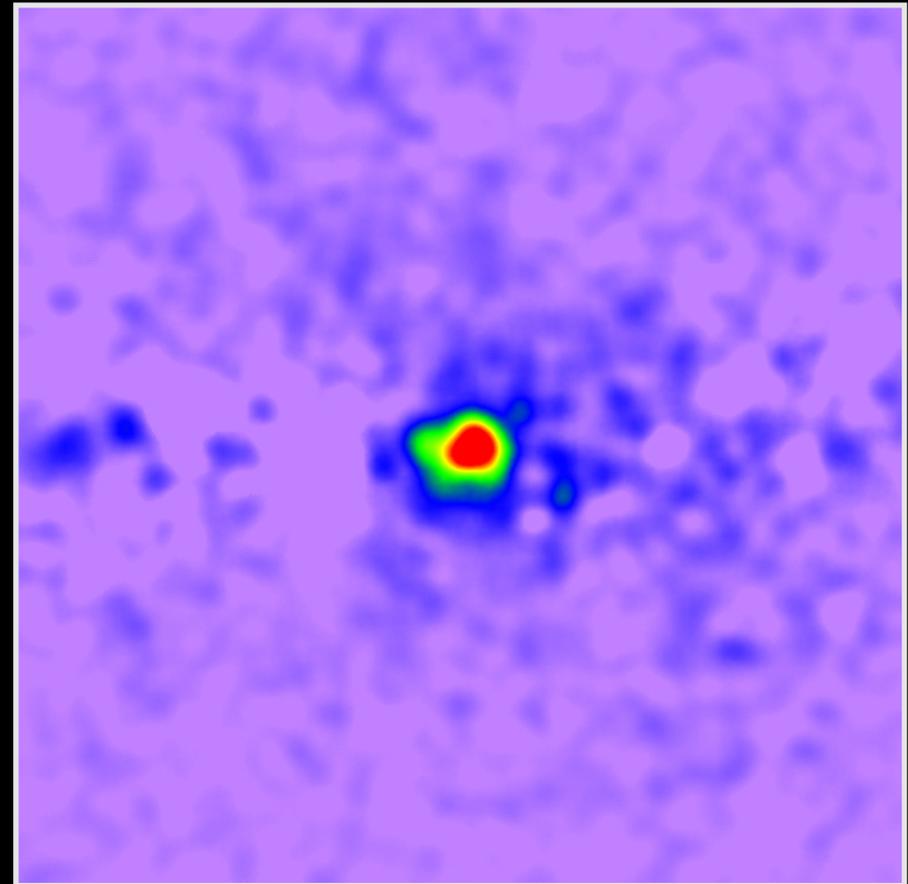
The Characterization of the Gamma-Ray Signal from the Central Milky Way: A Compelling Case for Annihilating Dark Matter

Tansu Daylan,¹ Douglas P. Finkbeiner,^{1,2} Dan Hooper,^{3,4} Tim Linden,⁵
Stephen K. N. Portillo,² Nicholas L. Rodd,⁶ and Tracy R. Slatyer^{6,7}

Uncovering a gamma-ray excess at the galactic center

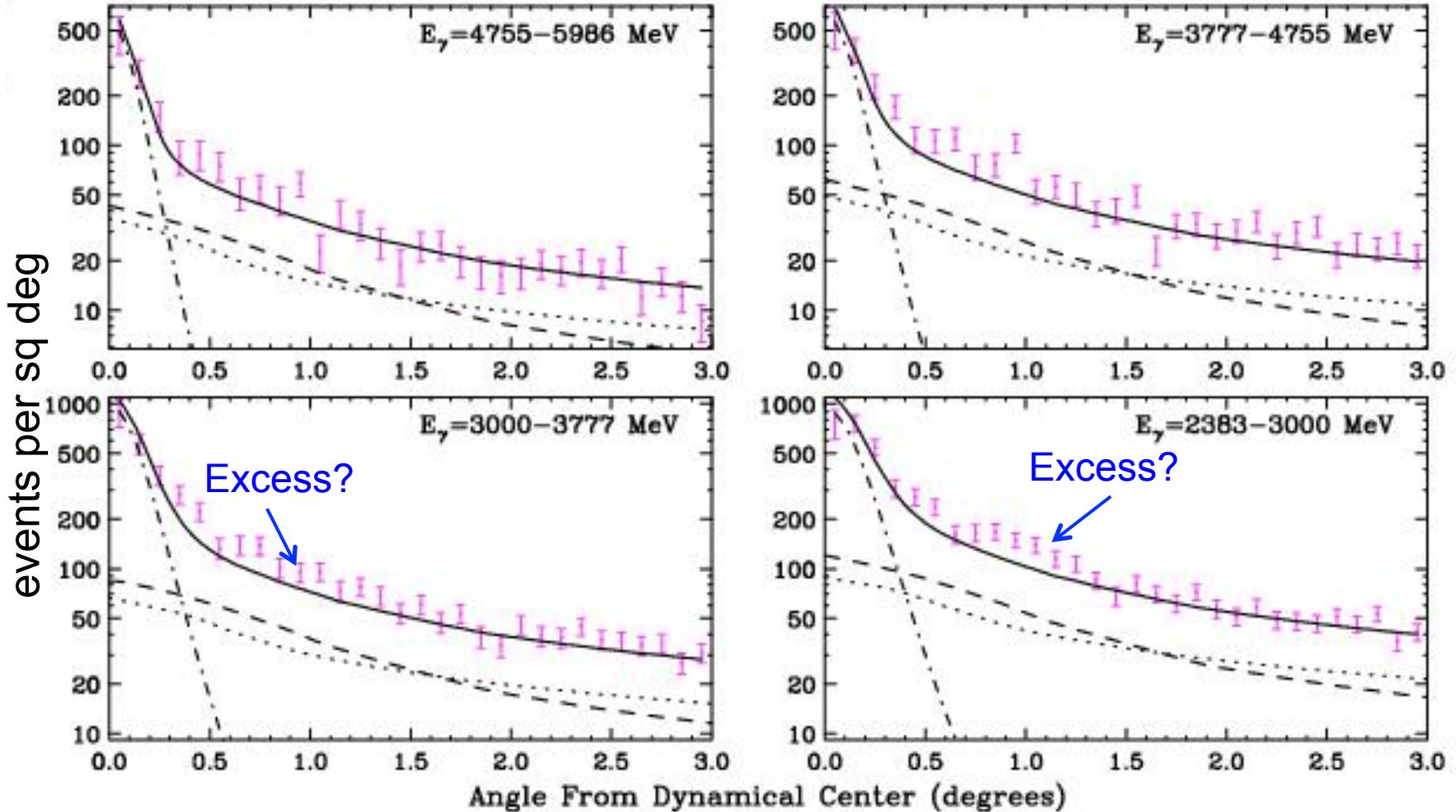


Unprocessed map of 1.0 to 3.16 GeV gamma rays



Known sources removed

Annihilation radiation from the Galactic Centre?



The cosmic power spectrum: from the CMB to the 2dFGRS

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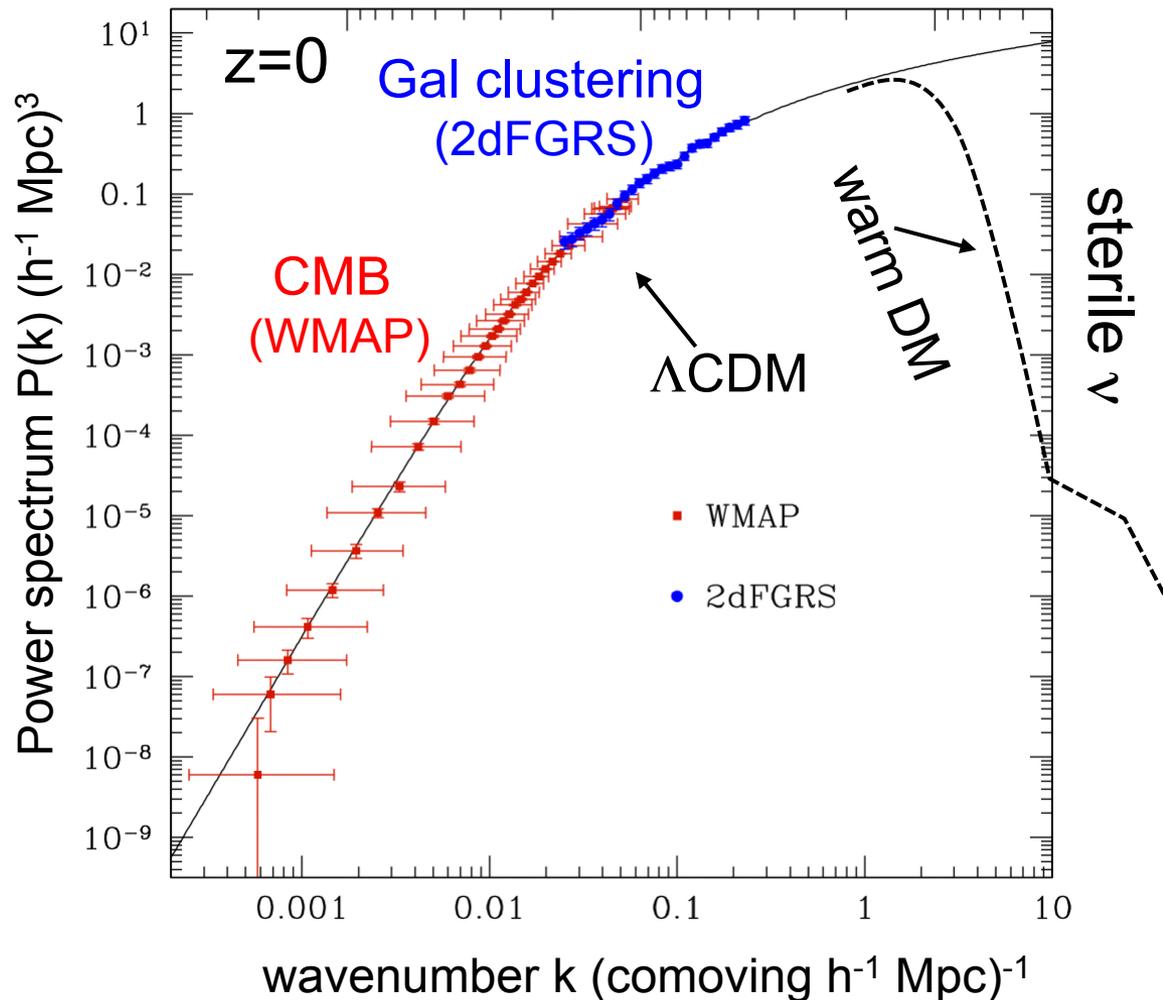
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Log $k^3 P(k)$ wavelength k^{-1} (comoving h^{-1} Mpc)





Astrophysical key to identity of dark matter:

→ Subgalactic scales
(strongly non-linear)



Cold Dark Matter

Warm Dark Matter

13.4 billion years ago

cold dark matter

warm dark matter



How can we distinguish between these?

Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns,
Boyarski & Ruchayskiy '12

Four problems on small scales

Traditionally ascribed to CDM:

1. The “missing satellites” problem
2. The “too-big-to-fail” problem
3. The “core-cusp” problem
4. The “satellite disk” problem

Can these help distinguish between CDM & WDM?

The “missing satellites” problem in CDM

The satellites of the MW



Dark matter subhalos in CDM

“Missing satellites” problem:

The Milky Way has only about 25 satellites

BUT: CDM halos have a very large number of subhalos

Why are most subhalos dark?



The core-cusp problem

cold dark matter

warm dark matter

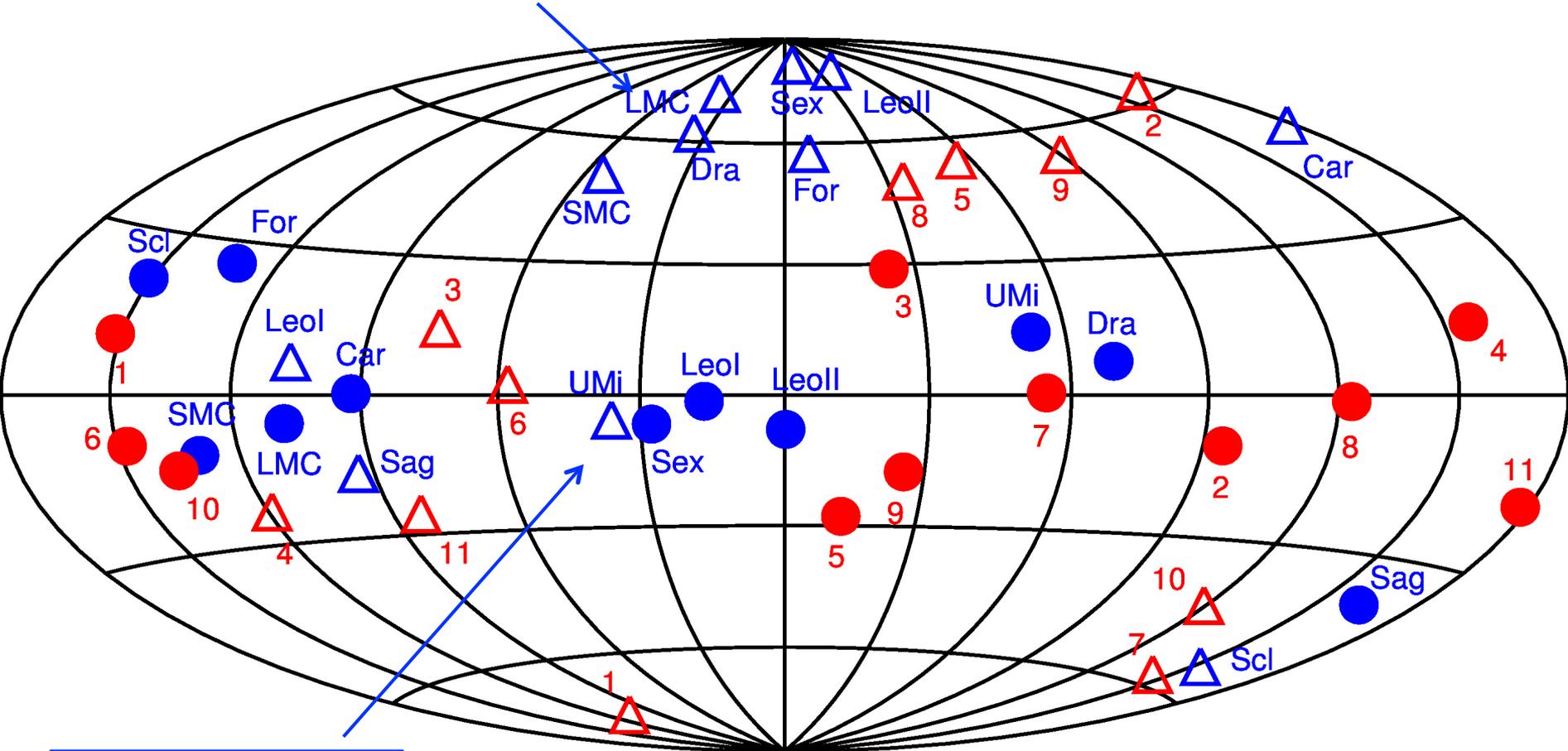
“Core-cusp” problem:

CDM halos & subhalos have **cuspy** density profiles

BUT: kinematical data are said to “show” that the dwarf satellites of the Milky Way have **cores**

The "satellite disk" problem

Direction of ang. mom. Milky Way



MW satellites

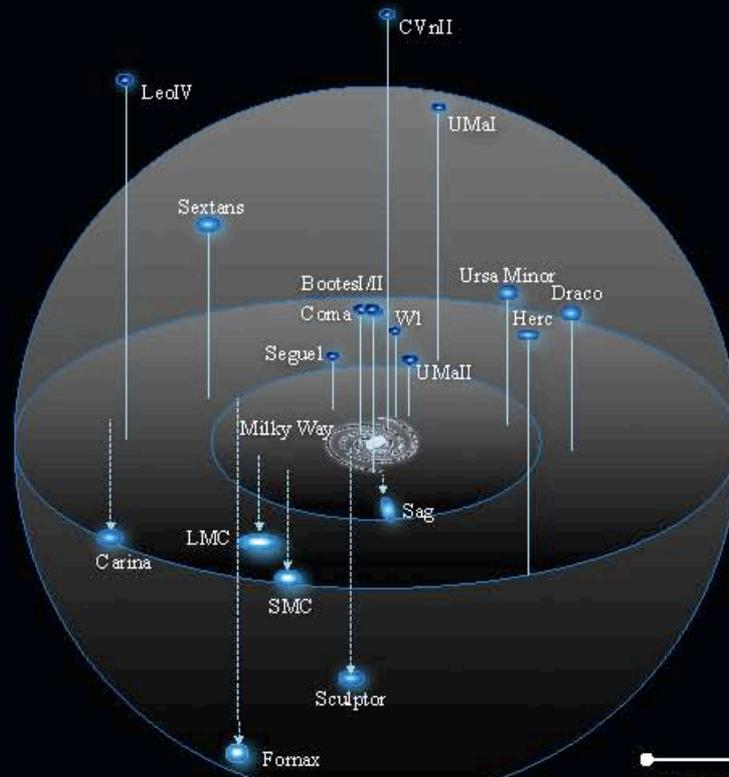
Lynden-Bell '76



Does warm dark matter also suffer from these four “problems”?

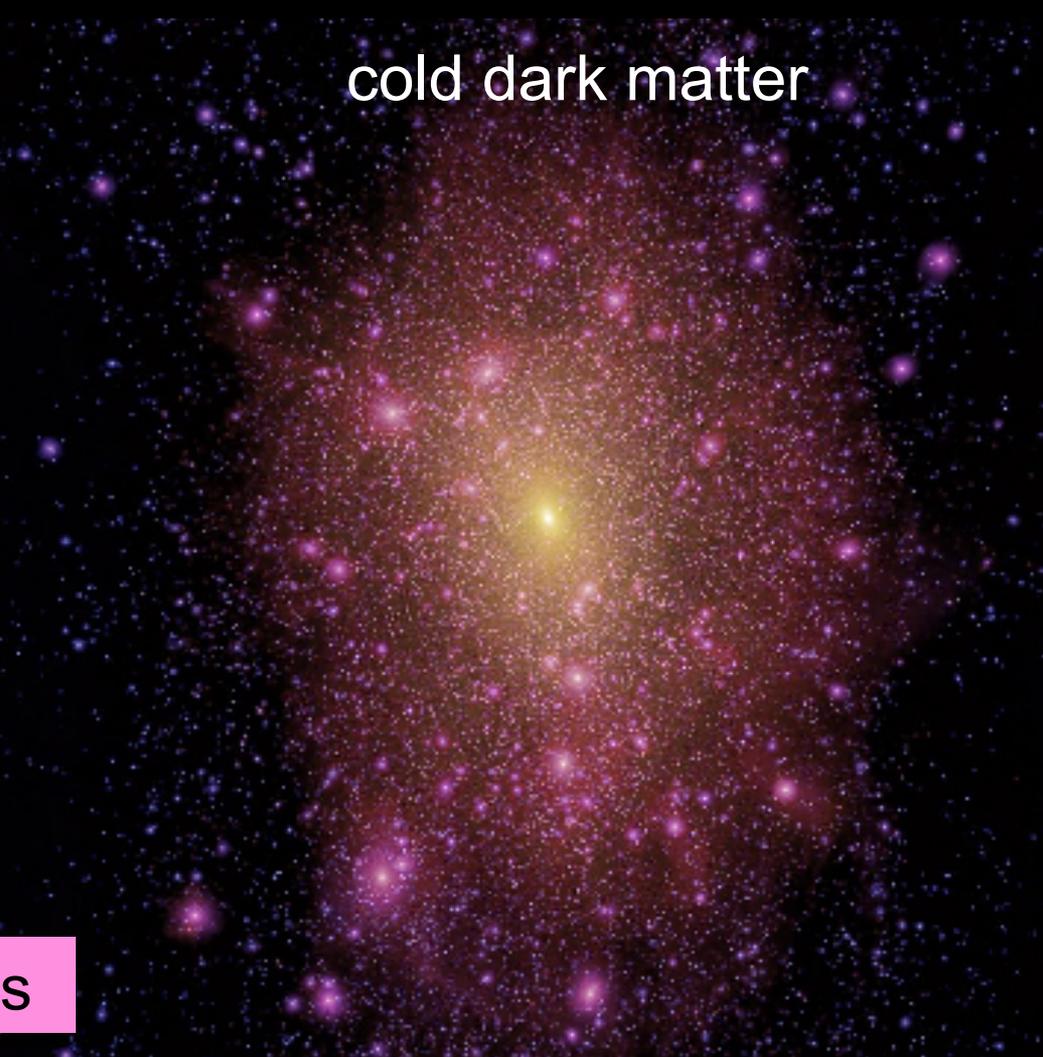
The “missing satellites” problem

The satellites of the MW

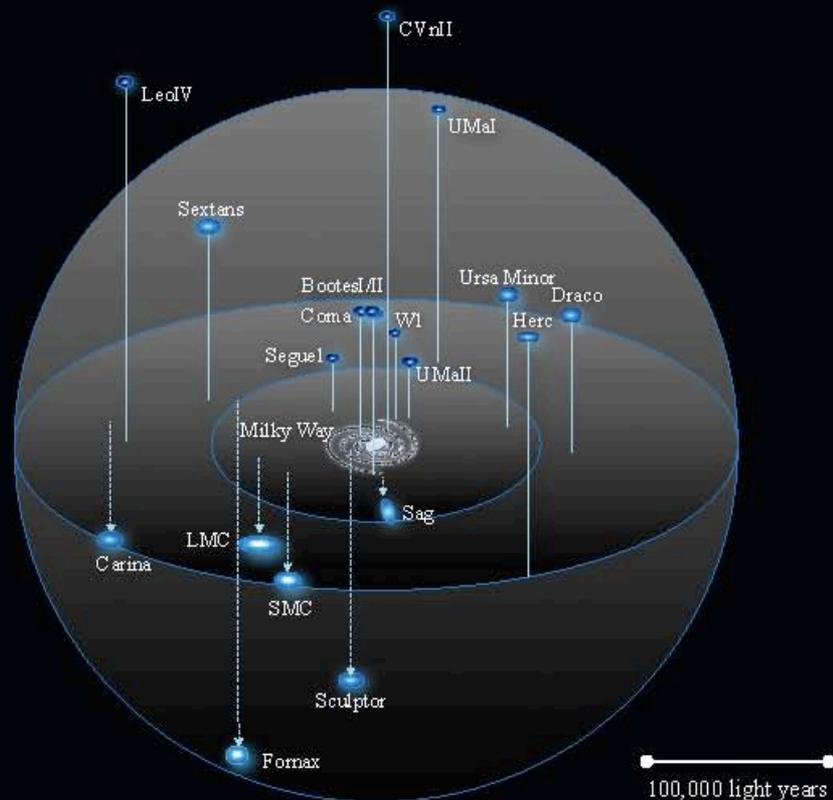


MW has only ~25 satellites

cold dark matter

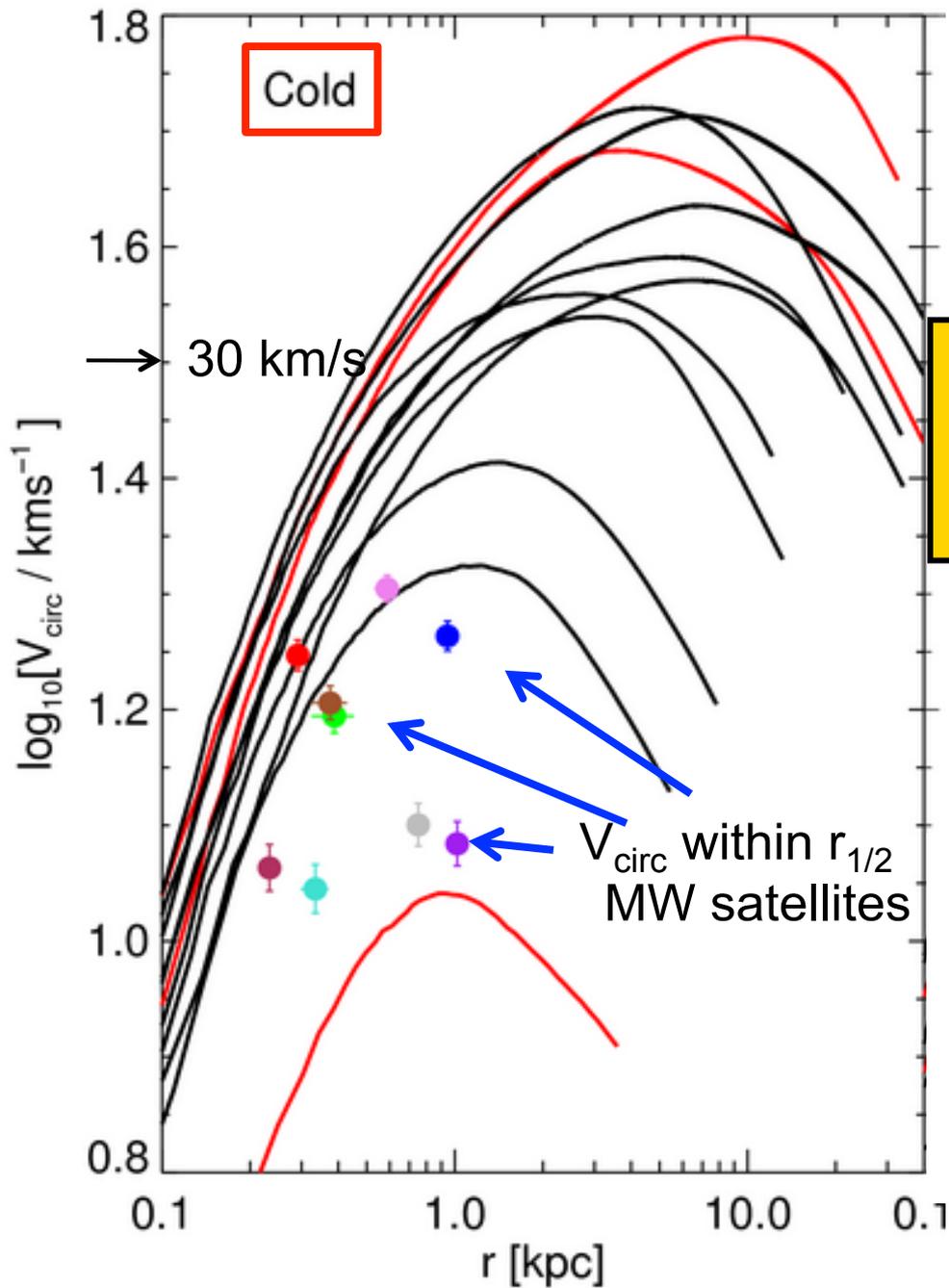


The satellites of the MW



warm dark matter

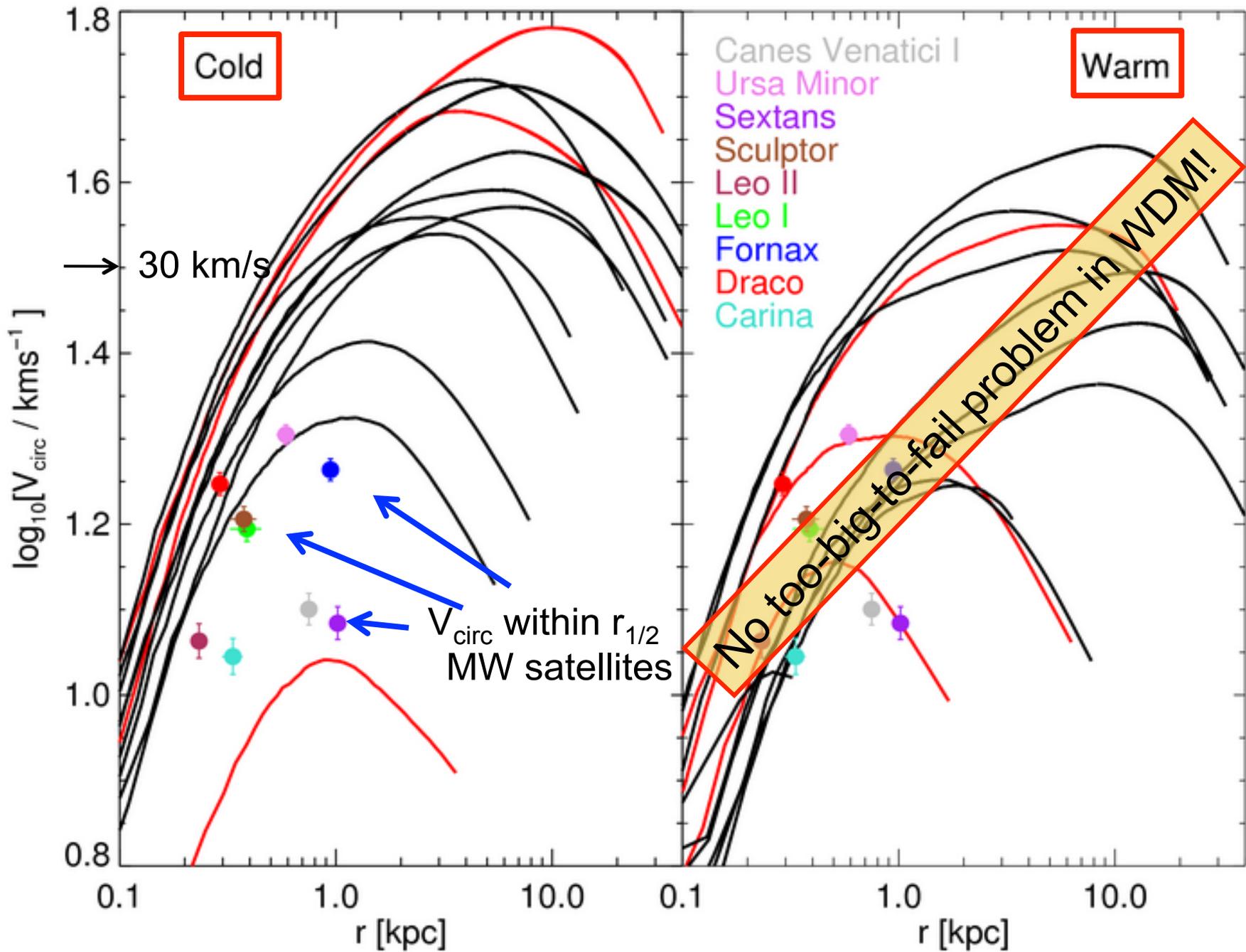




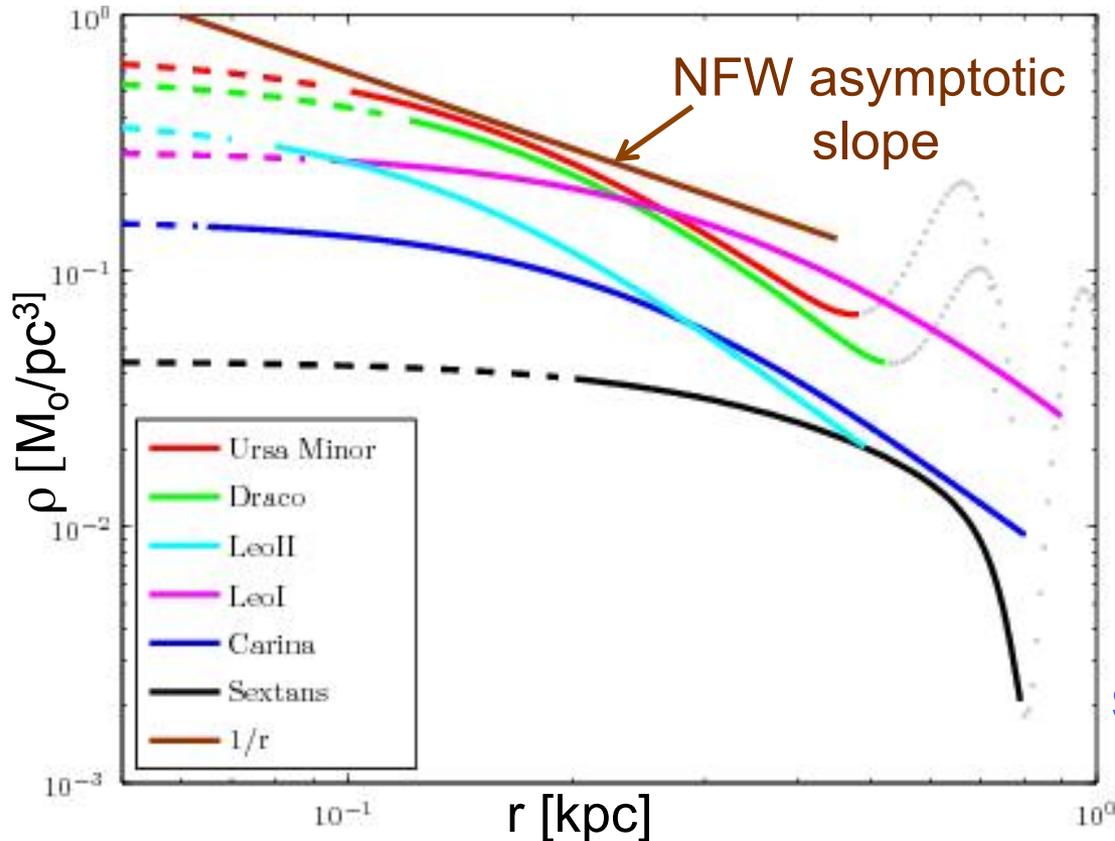
$$V(r)_c = \sqrt{\frac{GM(r)}{r}}$$

The “too-big-to-fail”
problem

Lovell, Eke, Frenk, Gao,
Jenkins, Wang, White, Theuns,
BoyarSKI & Ruchayskiy '11



The DM halos of dwarf spheroidals



Gilmore et al '07

Inferred density profiles for 6 dwarf spheroidals

“... the central DM density profile is typically cored, not cusped, with scale sizes never less than a few hundred pc ...”

“... (keV) sterile neutrino particles have been discussed as relevant in just the spatial and density range we have derived here.”



Some of these arguments are **WRONG!**

Four problems on small scales

Traditionally ascribed to CDM:

1. The “missing satellites” problem
2. The “too-big-to-fail” problem
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Can these help distinguish between CDM & WDM?

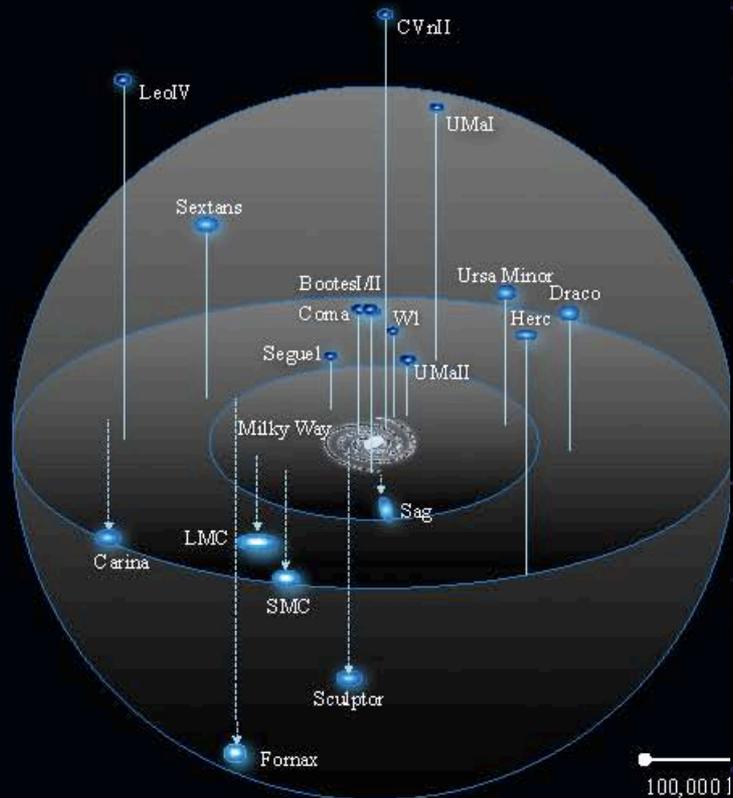
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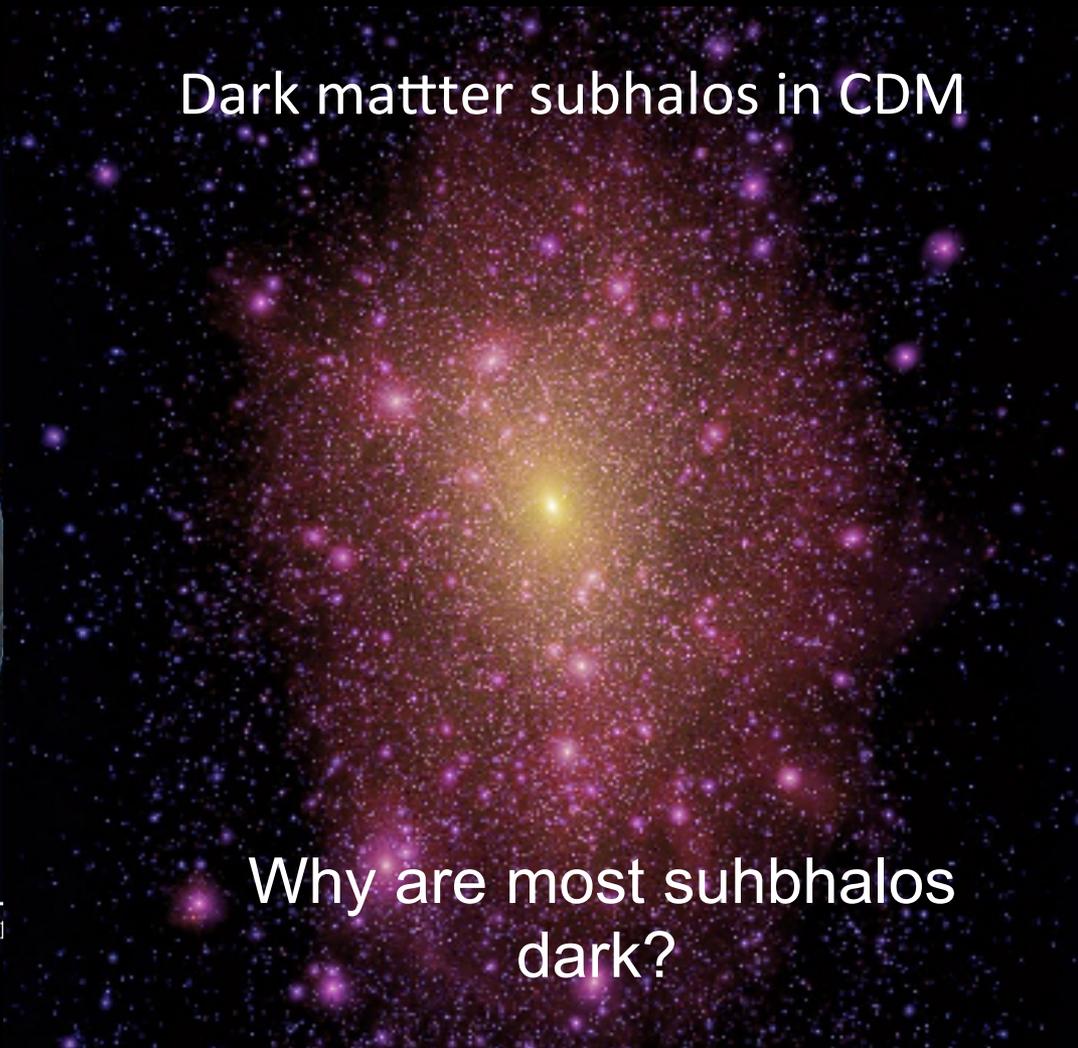
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The satellites of the MW



Dark matter subhalos in CDM



Why are most subhalos dark?

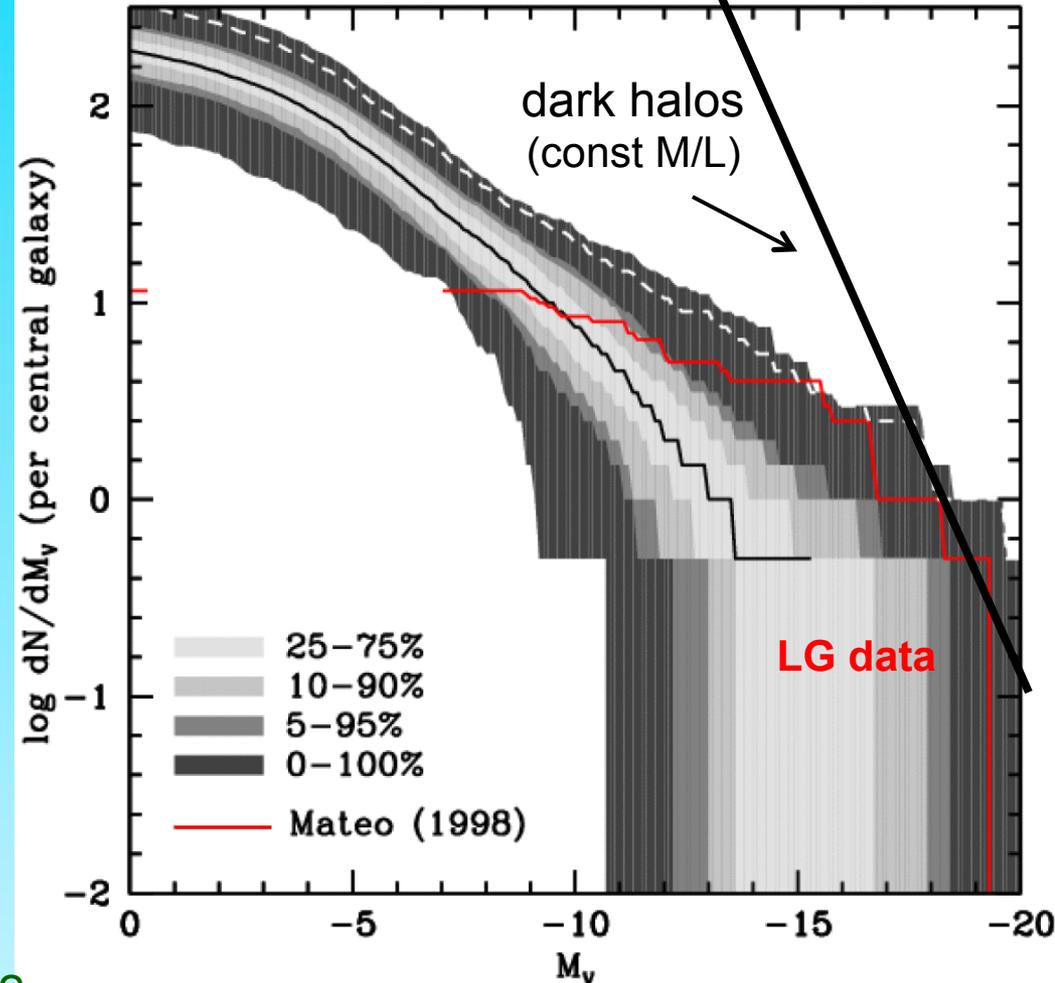
Making a galaxy in a small halo is hard because:

- Reionization heats gas above T_{vir} , preventing it from cooling and forming stars in small halos
- Supernovae feedback expels residual gas

Most subhalos never make a galaxy!

Luminosity Function of Local Group Satellites

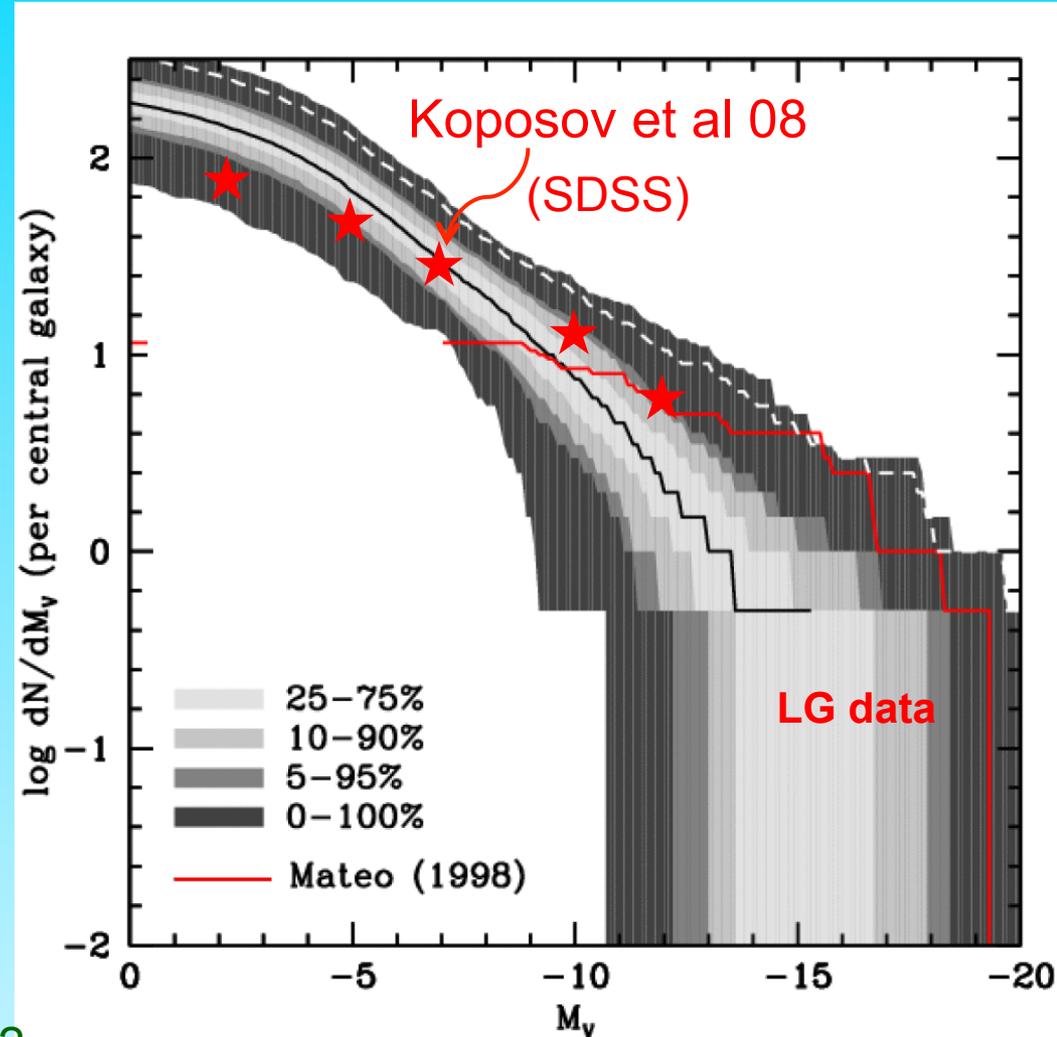
- Median model \rightarrow correct abund. of sats brighter than $M_V = -9$ and $V_{\text{cir}} > 12$ km/s
- Model predicts many, as yet undiscovered, faint satellites
- LMC/SMC should be rare ($\sim 2\%$ of cases)



Benson, Frenk, Lacey, Baugh & Cole '02
 (see also Kauffman et al '93, Bullock et al '01)

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VIRG

EAGLE full
hydro
simulations

Local Group

Sawala et al '15



VIRG

Far fewer satellite galaxies than CDM halos

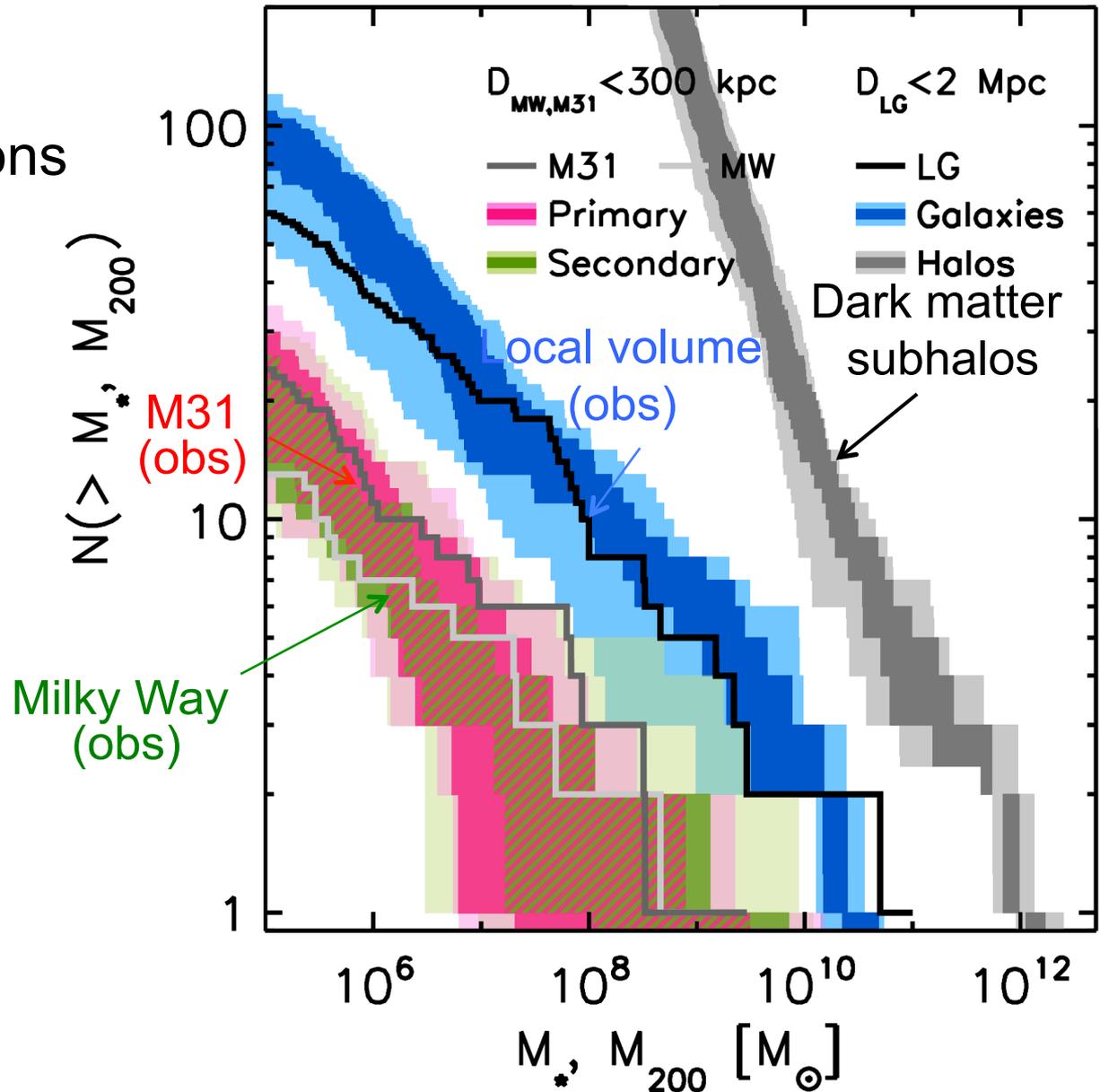
EAGLE full
hydro
simulations

Local Group



Sawala et al '15

Stellar mass functions





Is there a “satellite problem” in CDM?

No, when galaxy formation is taken into account!



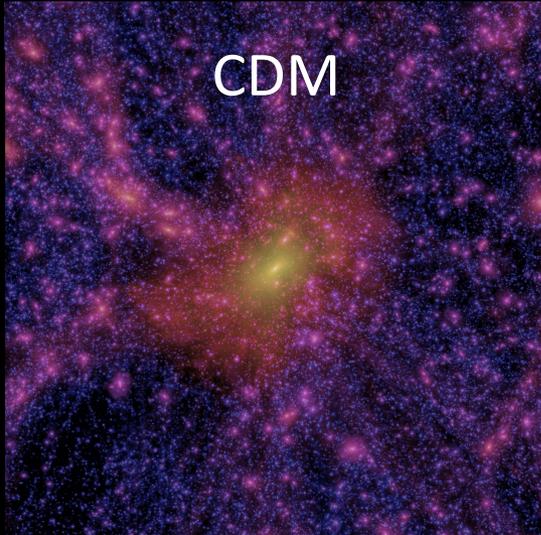
Is there a “satellite problem” in WDM?

Potentially!

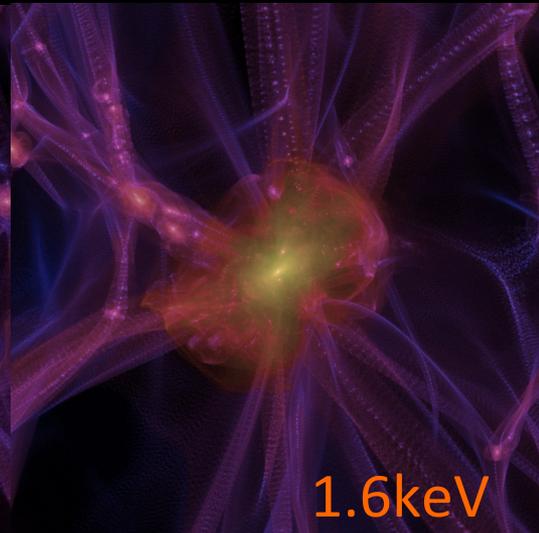
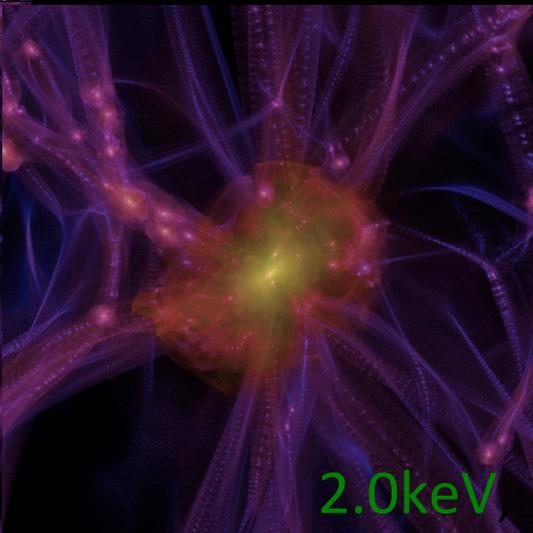
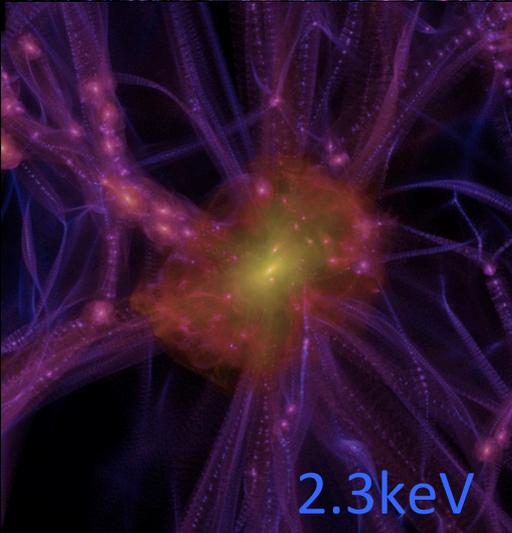
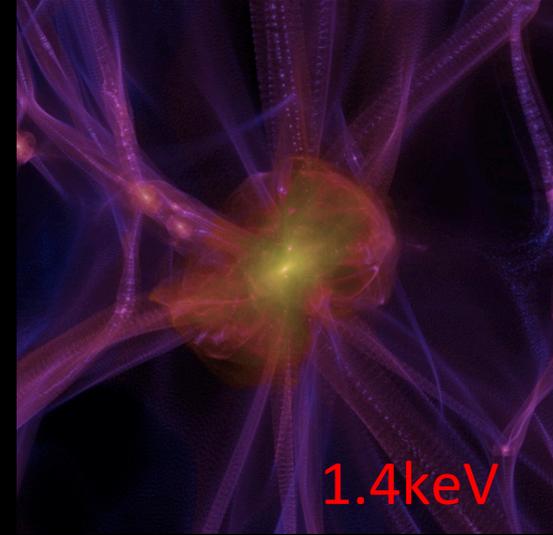
Warm DM: different ν mass

$z=3$

- WDM
- 2.3 keV
- 2.0 keV
- 1.6 keV
- 1.4 keV



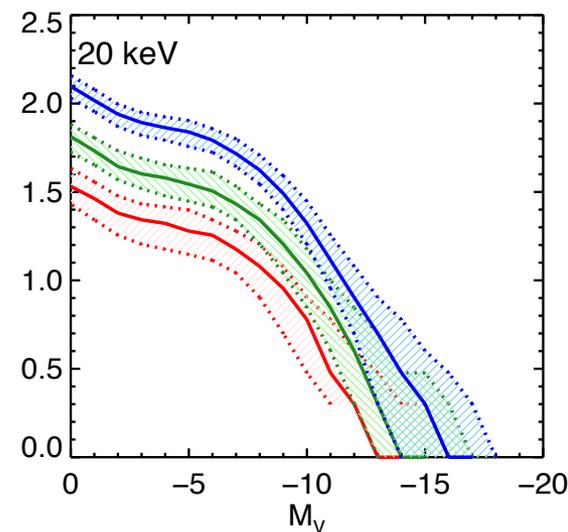
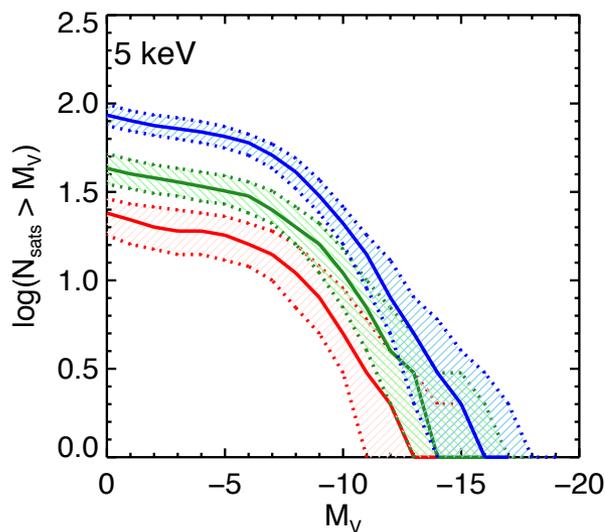
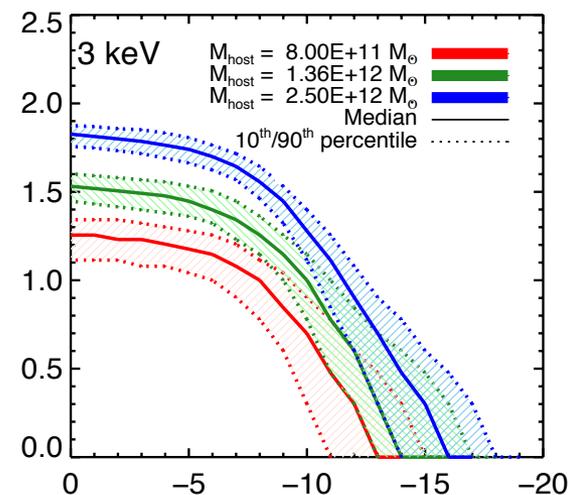
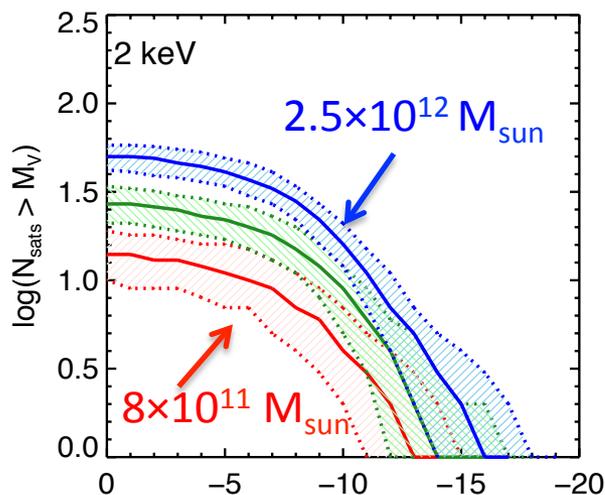
WDM



Luminosity Function of Local Group Satellites in WDM

No of sats \nearrow with:

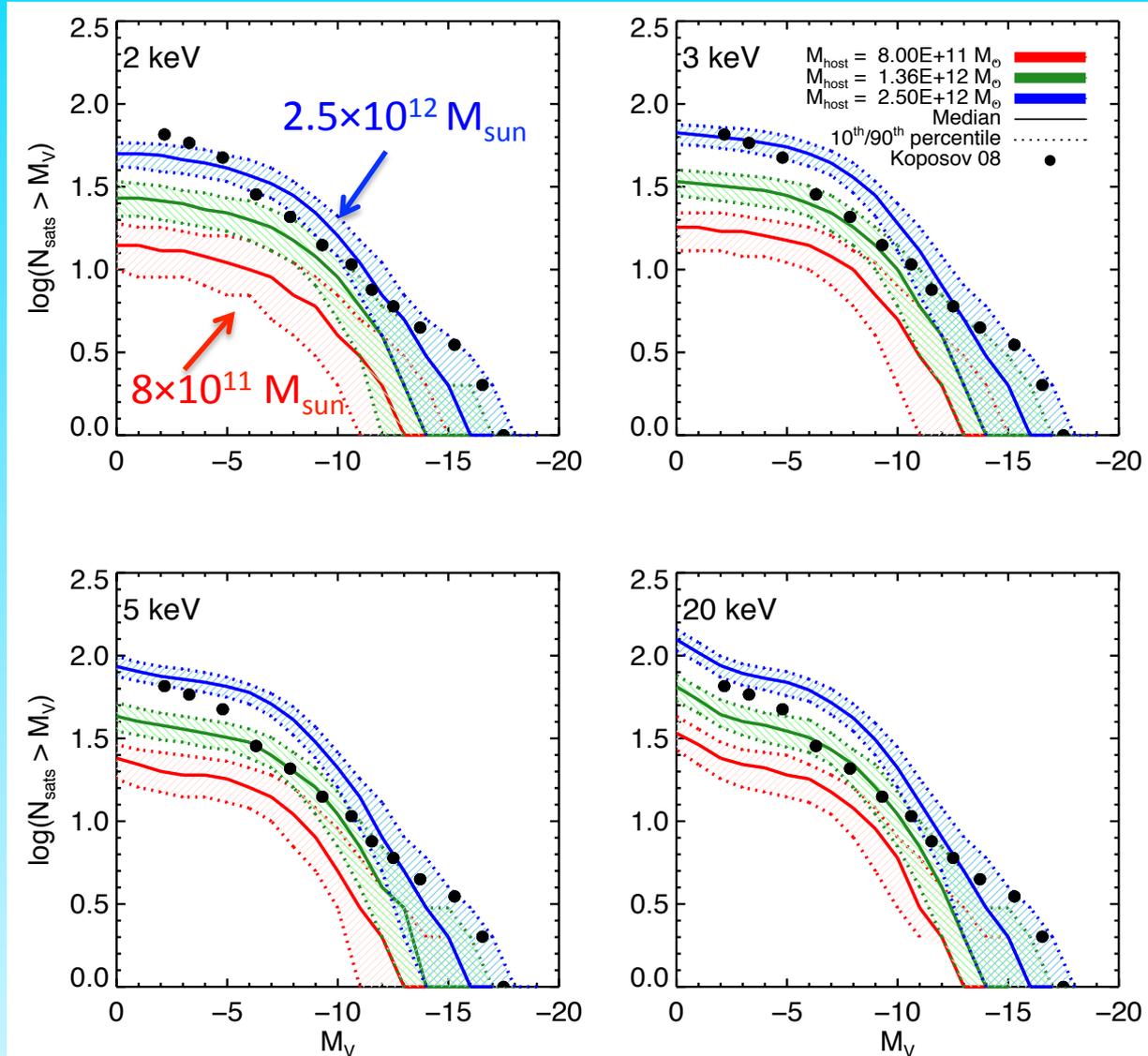
- host halo mass
- WDM particle mass



Luminosity Function of Local Group Satellites in WDM

No of sats \nearrow with:

- host halo mass
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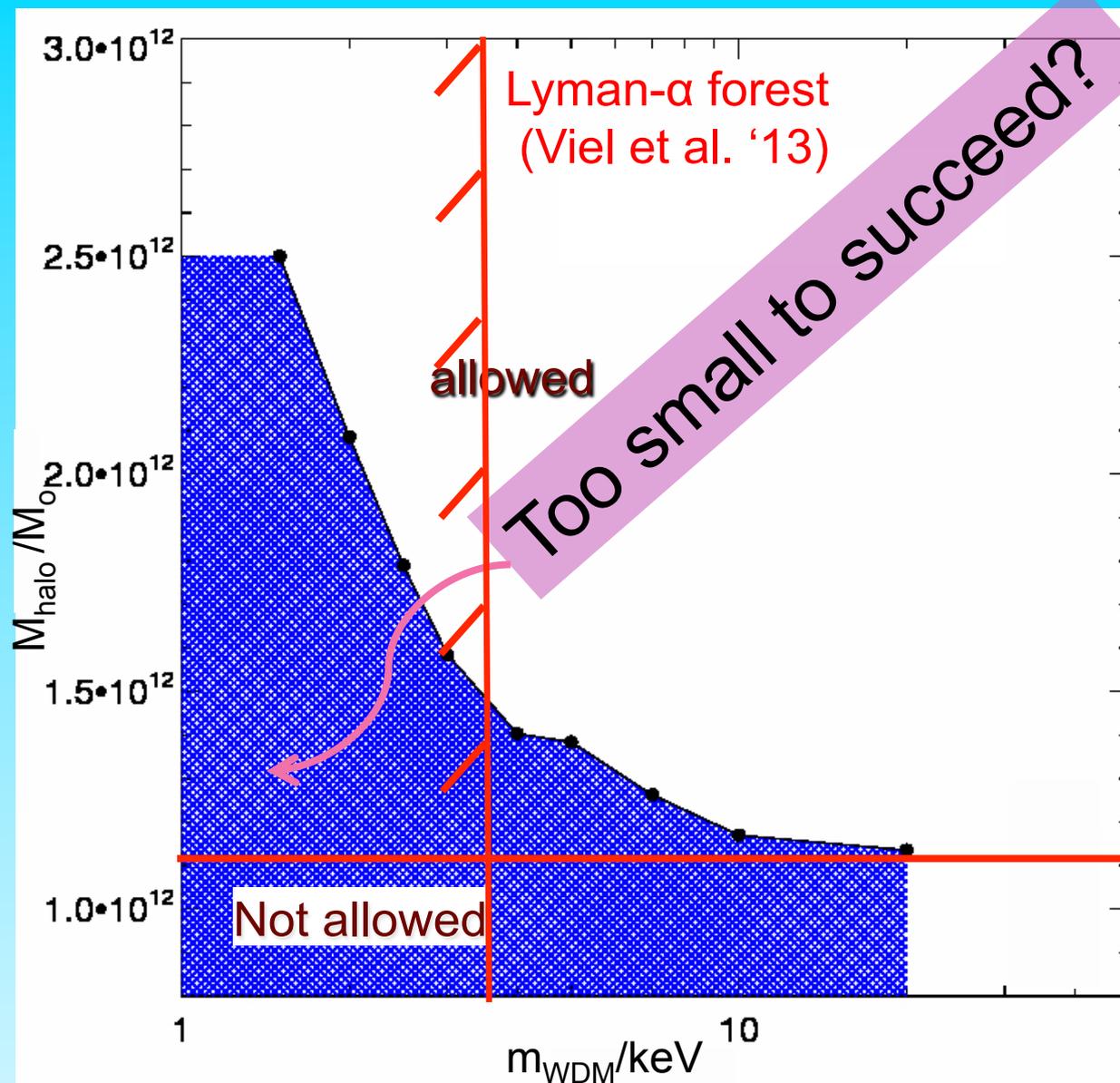


Limits on WDM particle mass

Minimum halo mass consistent (95%) with observed no. of sats for given m_{WDM}

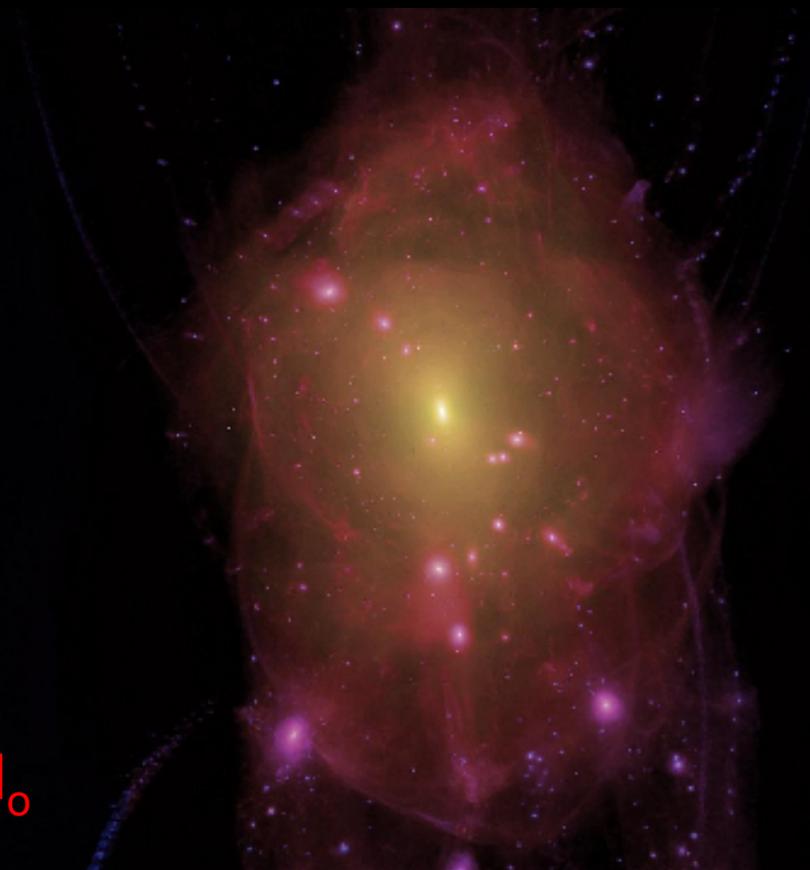
For standard galaxy formation model, WDM ruled out if $M_{\text{halo}} < 1.1 \times 10^{12} M_{\odot}$

Kennedy, Cole & Frenk '14



If the halo mass is too small and/or the WDM particle mass is too small, there will not be enough subhalos to account for the observed satellites!

- lower limit on $m_{\text{wdm}} > 3 \text{ keV}$
- lower limit $M_{\text{halo}} > 1.1 \times 10^{12} M_{\odot}$

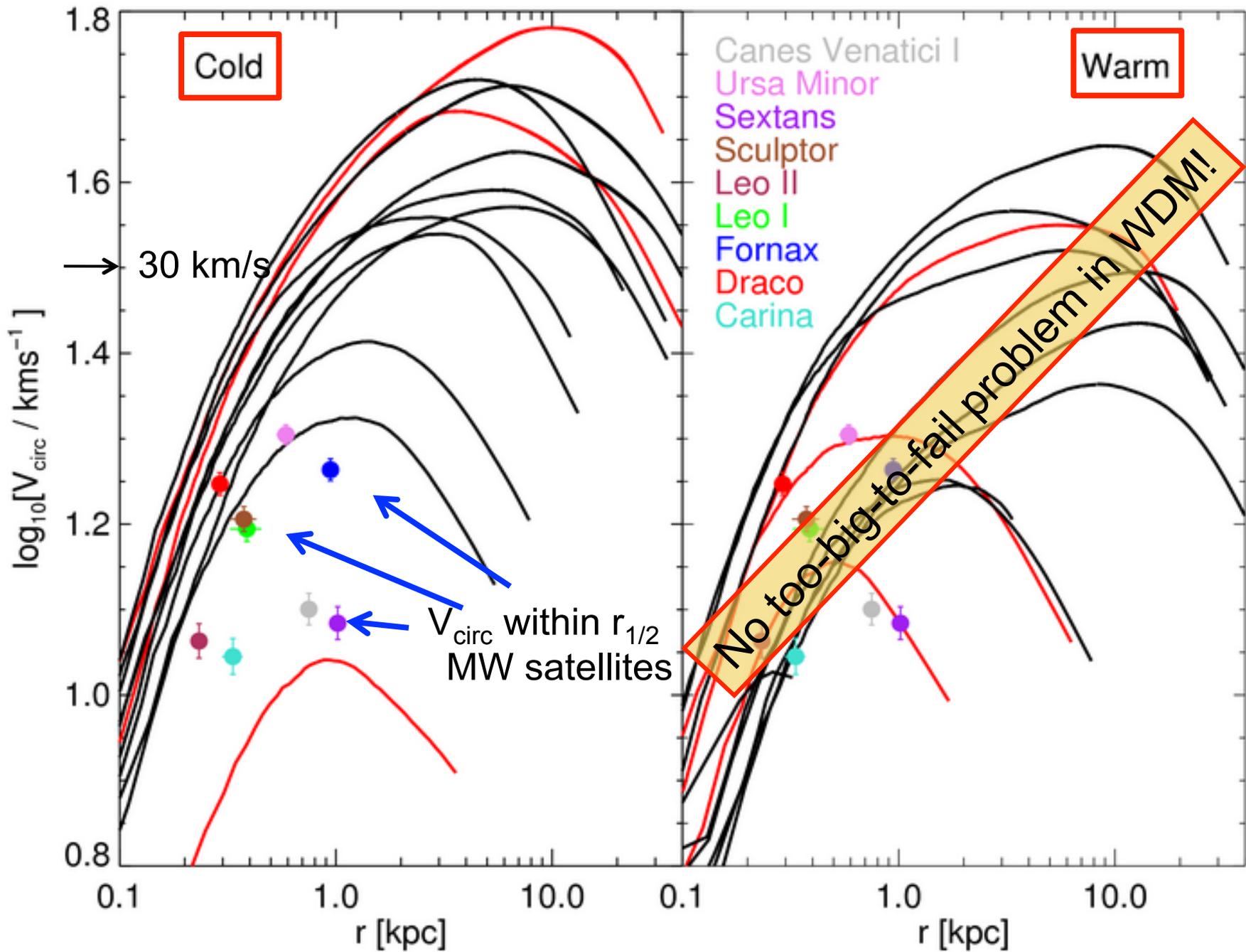


Four problems on small scales

Traditionally ascribed to CDM:

1. The “missing satellites” problem
2. The “too-big-to-fail” problem
3. The “core-cusp” problem
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Can these help distinguish between CDM & WDM?



Warm vs cold dark matter subhalos

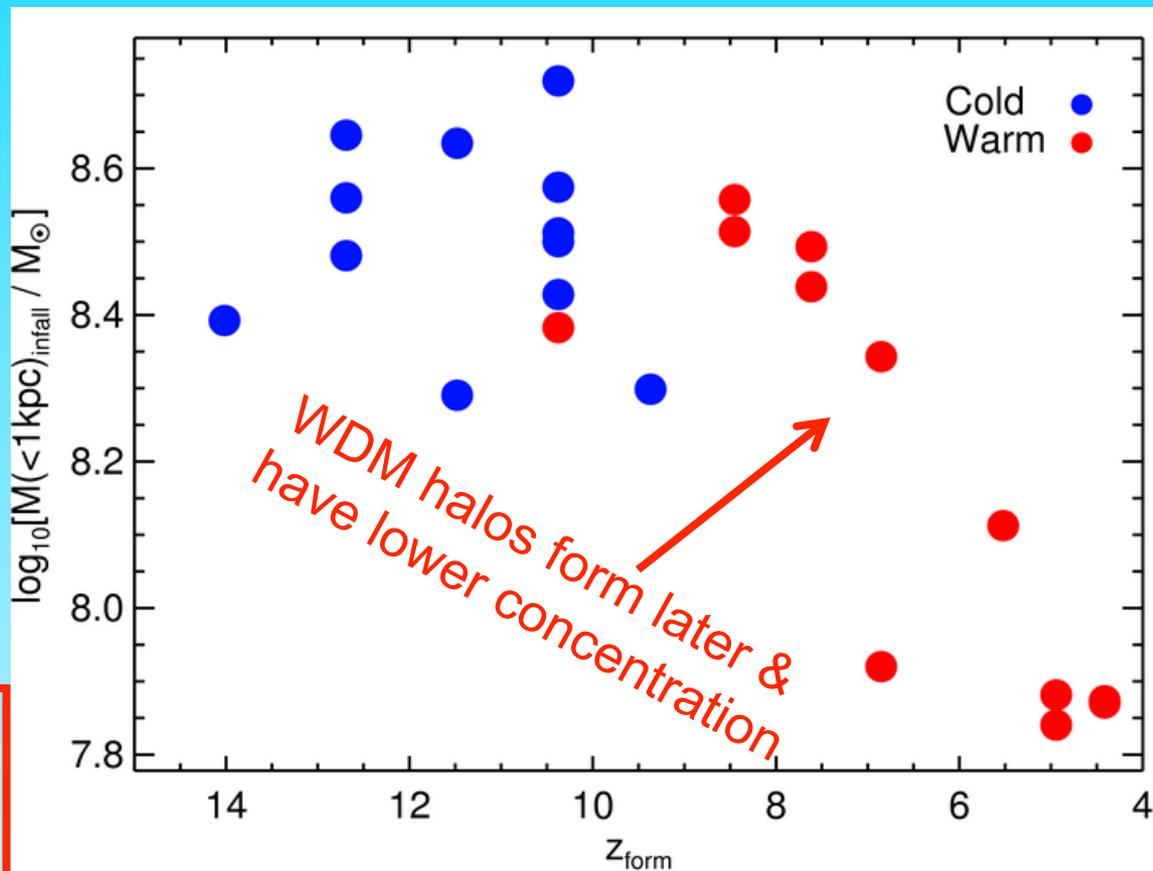
“Formation redshift”

→ z at which M_{halo} first exceeded $M_{\text{infall}} (< 1 \text{ kpc})$

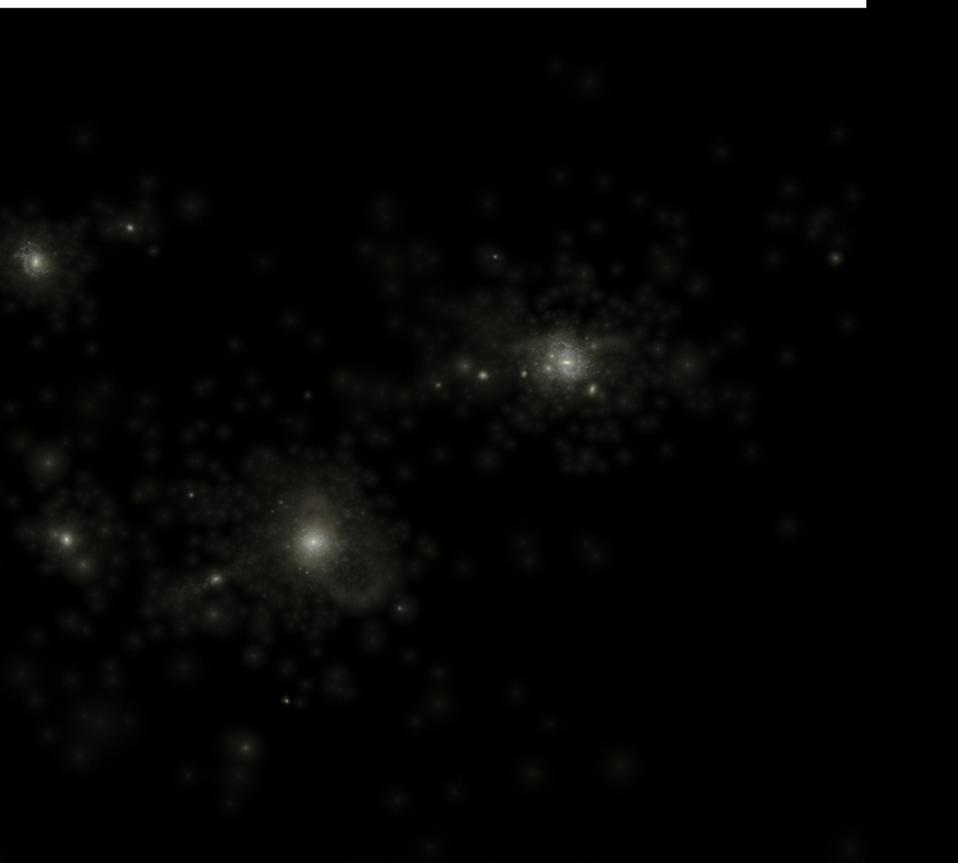
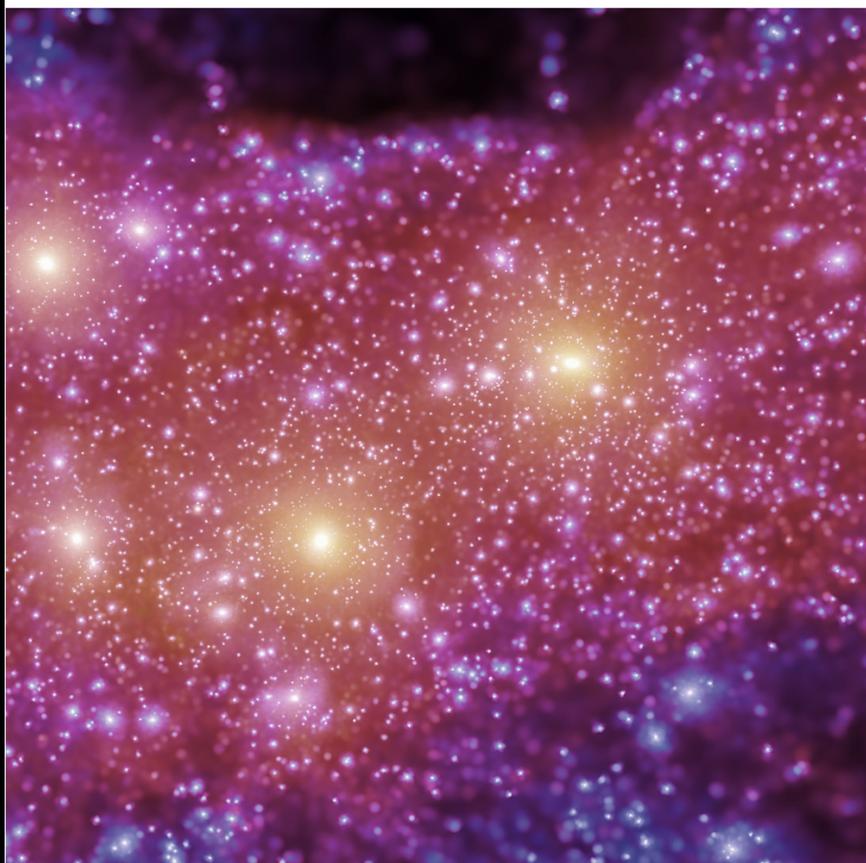
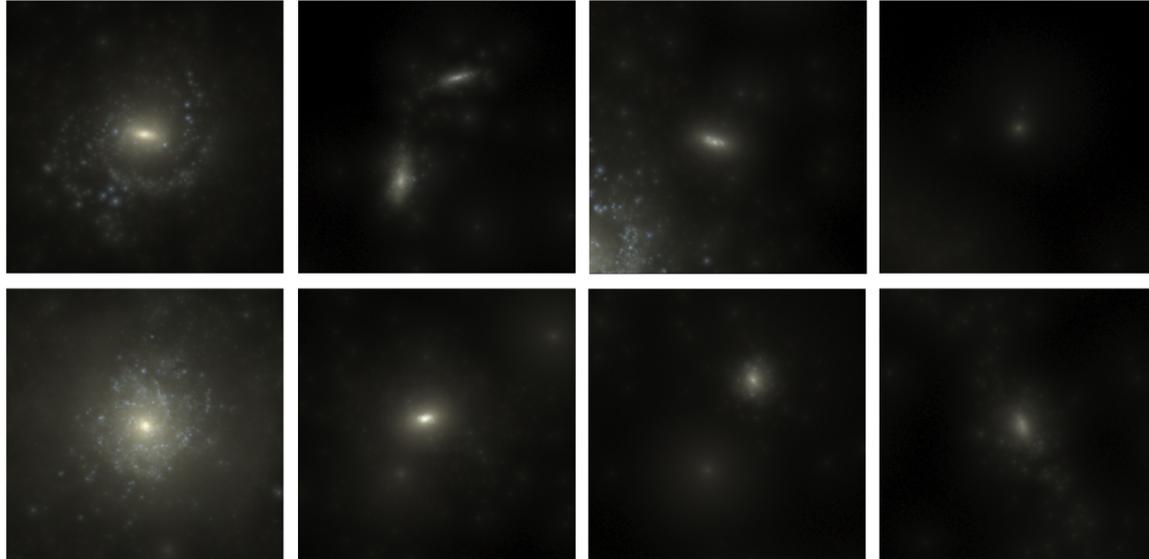
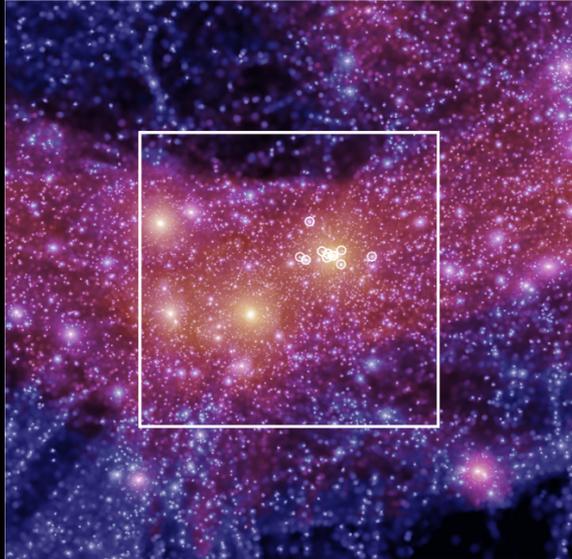
WDM halos form later & have lower central masses than their CDM counterparts!



WDM subhalos are still cuspy but are less concentrated than CDM subhalos



Lovell, Eke, Frenk, Gao, Jenkins et al '11

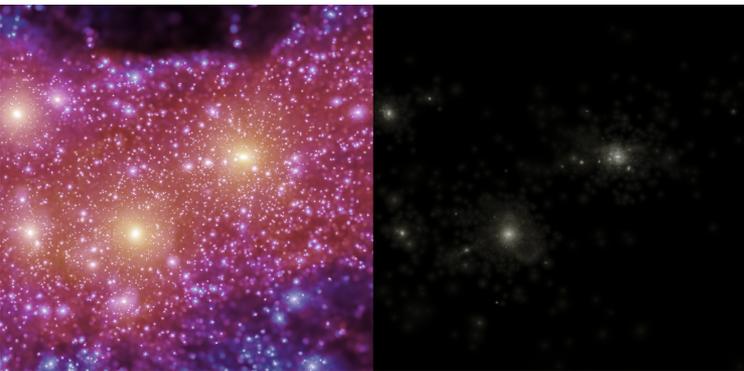
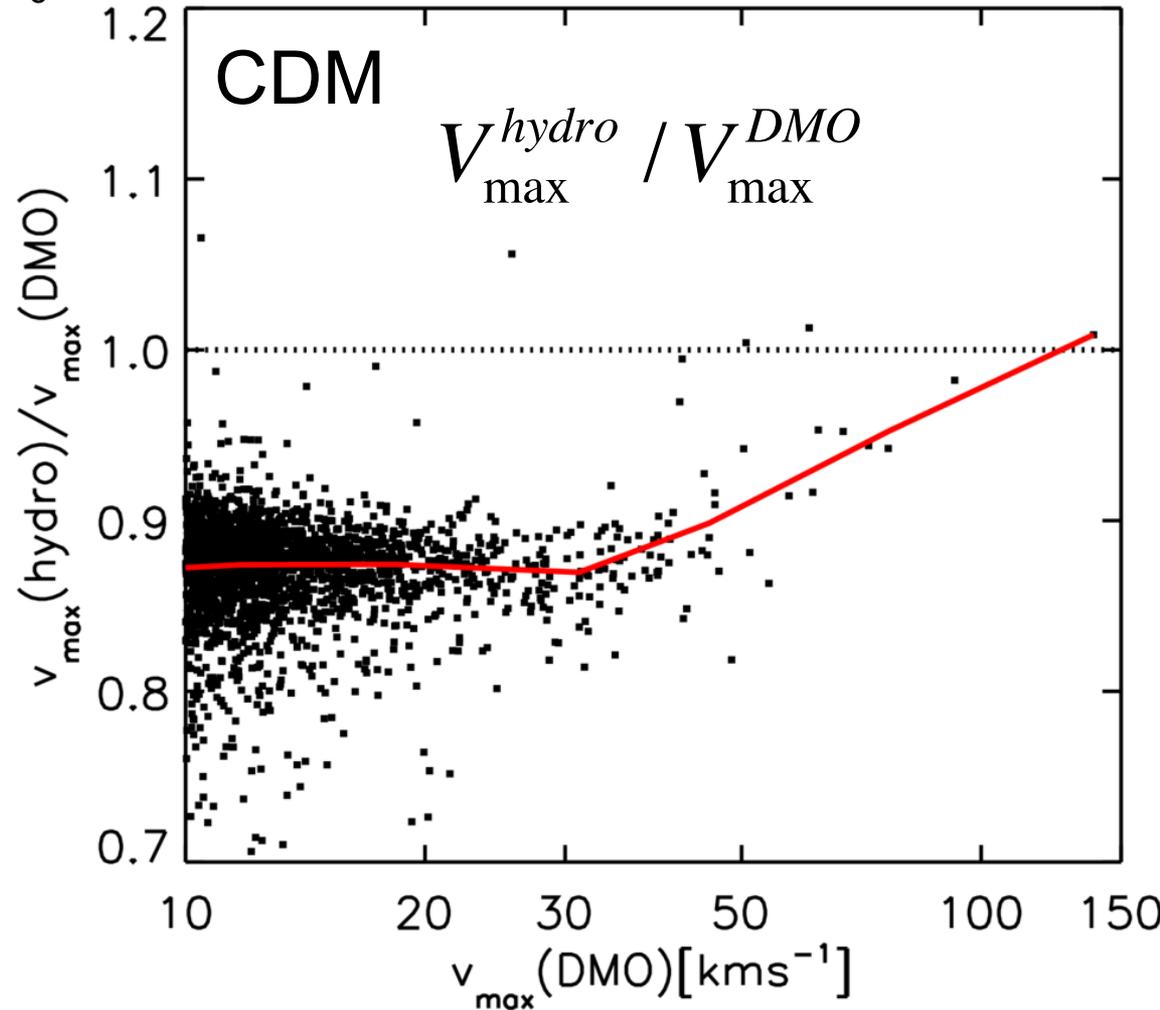


To-big-to-fail in CDM: baryon effects

$$V_c = \sqrt{\frac{GM}{r}} \quad V_{\max} = \max V_c$$

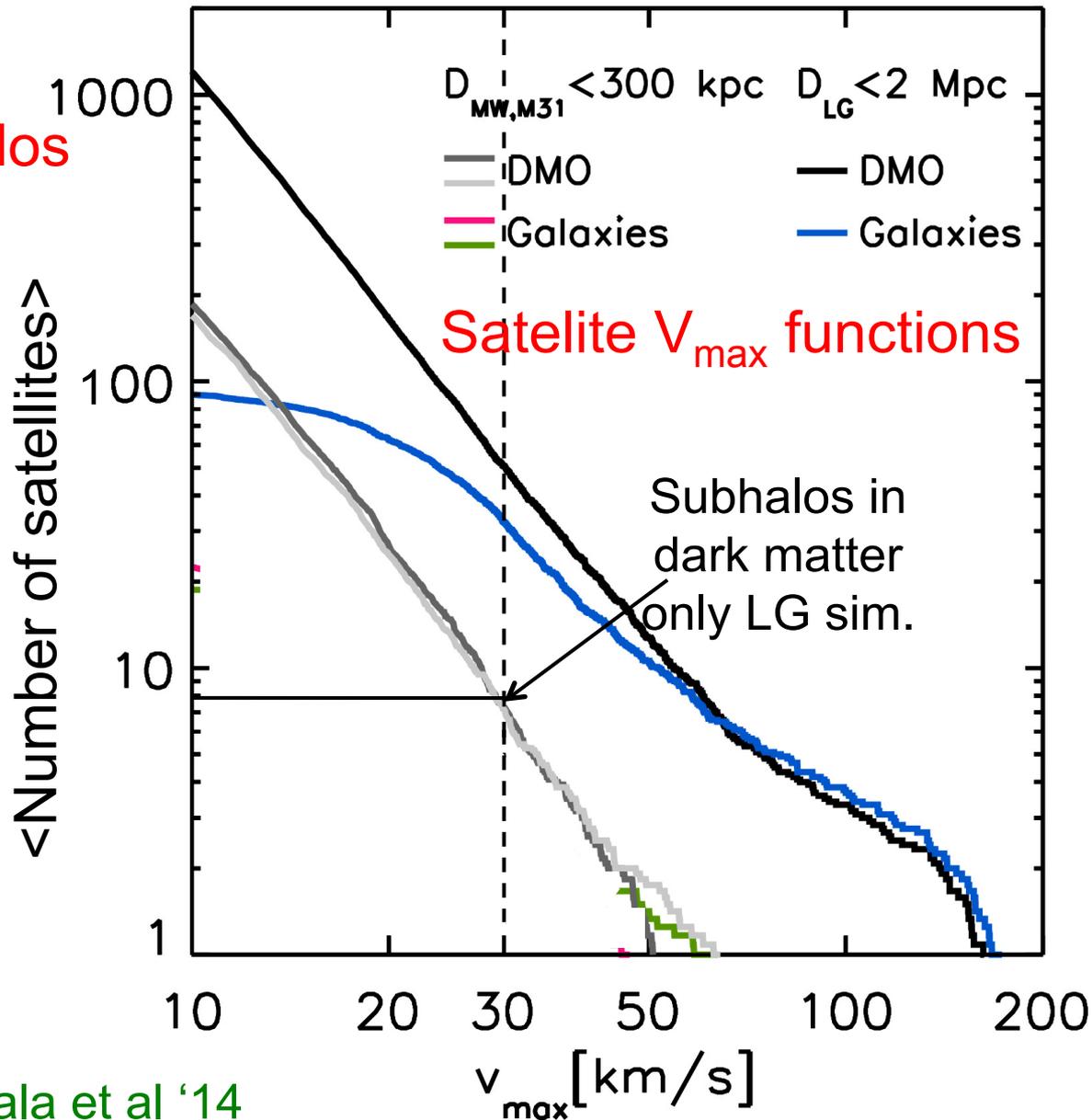
Reduction in V_{\max} due to SN feedback:

→ Lowers halo mass & thus halo growth rate



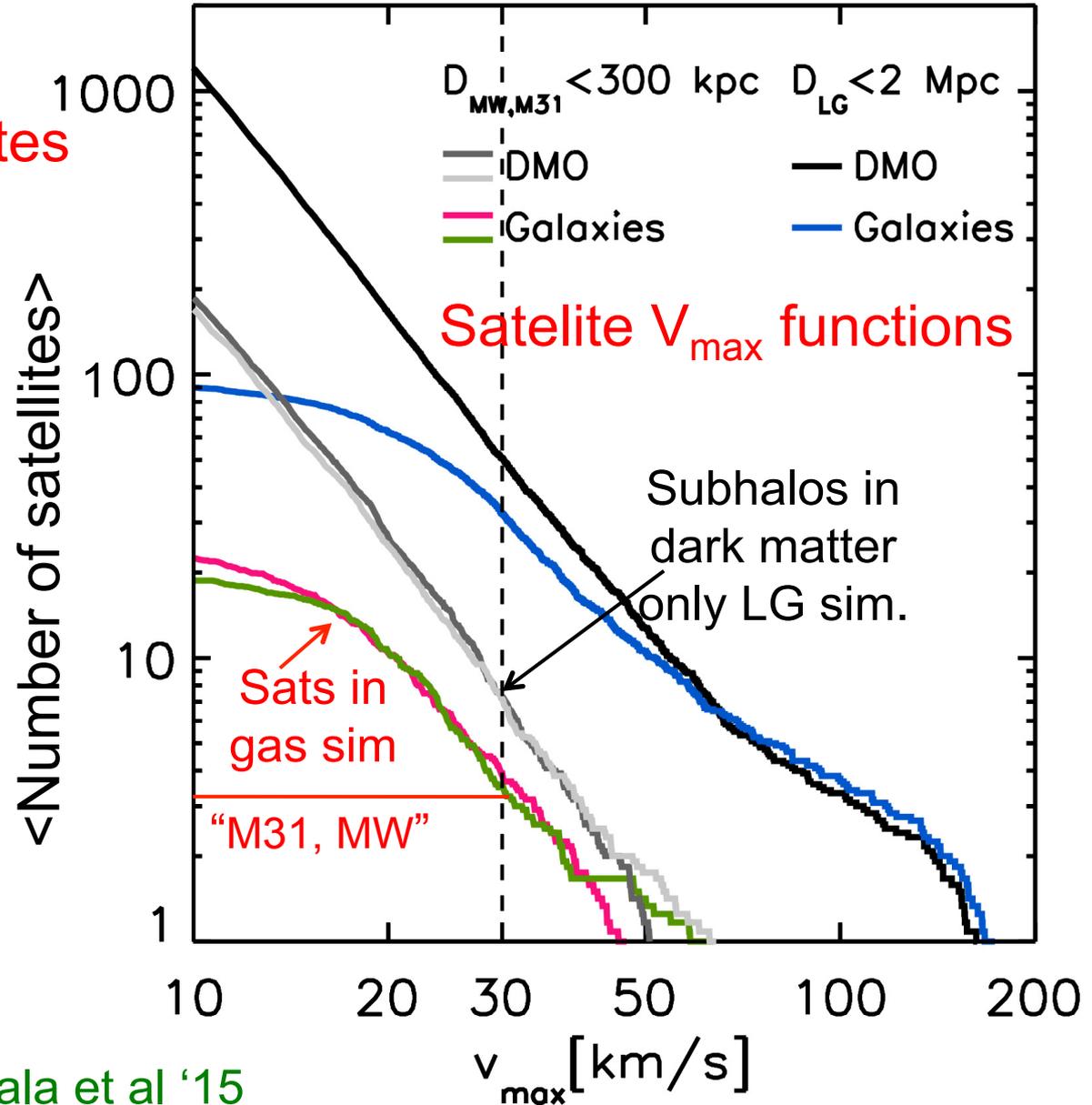
Too-big-to-fail: the baryon bailout

DM only sims \rightarrow **~ 10 halos**
with $V_{\max} > 30$ km/s



Too-big-to-fail: the baryon bailout

Hydro sims \rightarrow **~3 satellites**
with $V_{\max} > 30$ km/s





Is there a “too-big-to-fail” problem in WDM?

No



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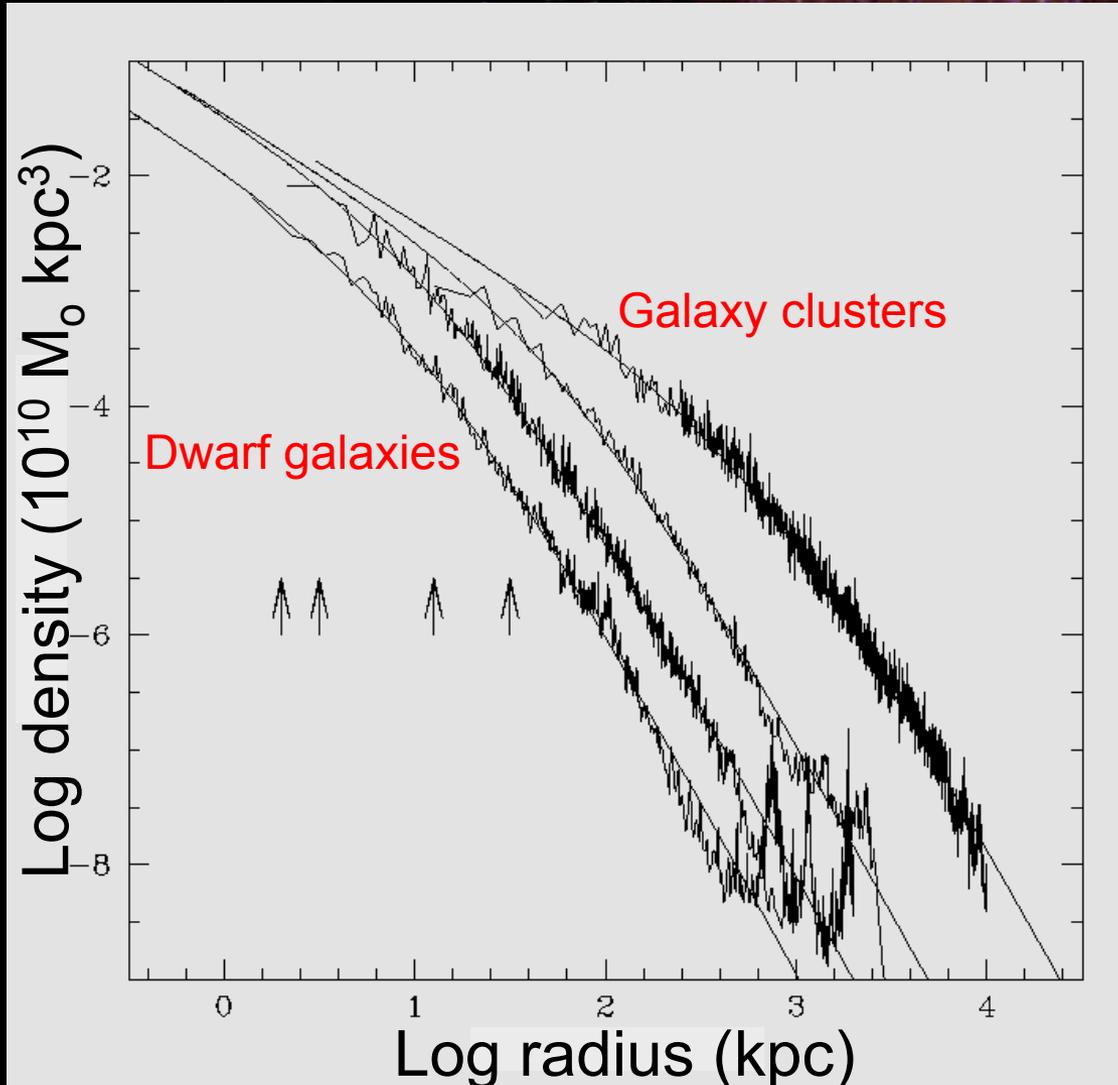
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The Density Profile of Cold Dark Matter Halos



Shape of halo profiles
~independent of halo mass &
cosmological parameters

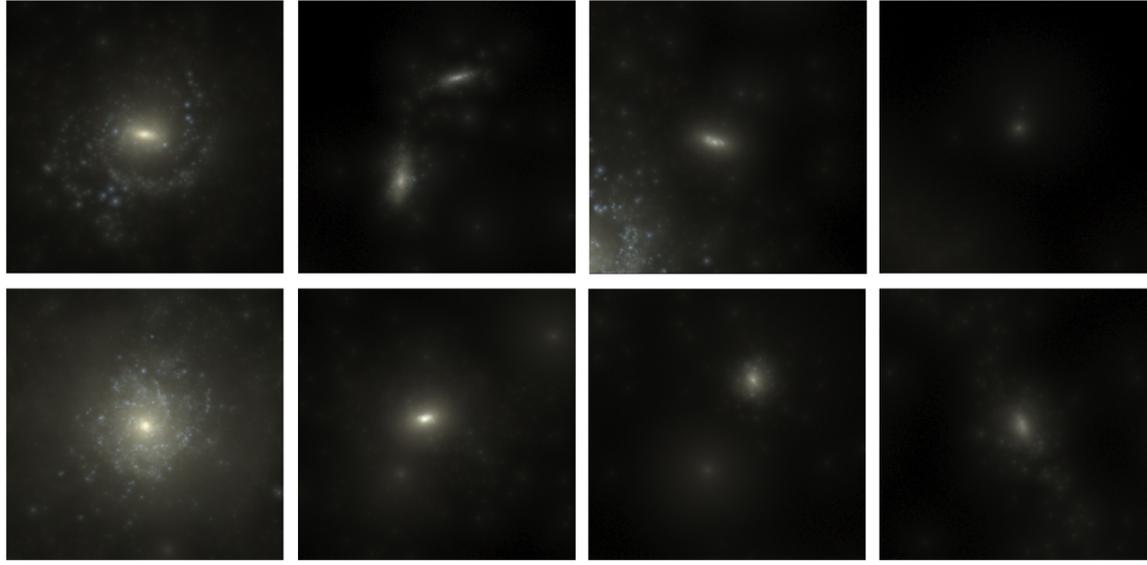
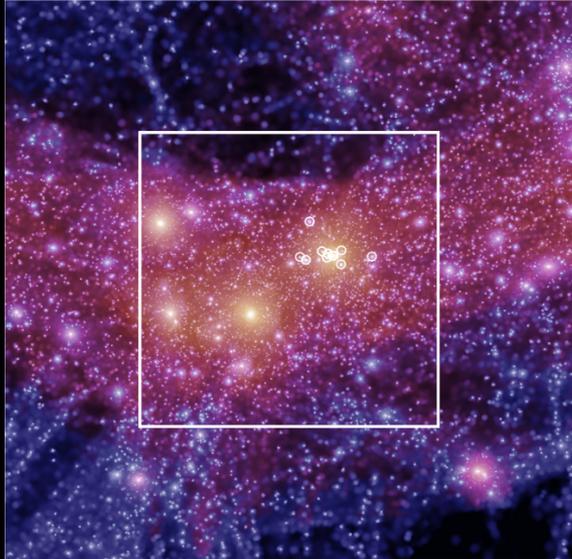
Density profiles are “cuspy” -
no ‘core’ near the centre

Fitted by simple formula:

$$\frac{\rho(r)}{\rho_{crit}} = \frac{\delta_c}{(r/r_s)(1+r/r_s)^2}$$

(Navarro, Frenk & White '97)

More massive halos and
halos that form earlier have
higher densities (bigger δ)



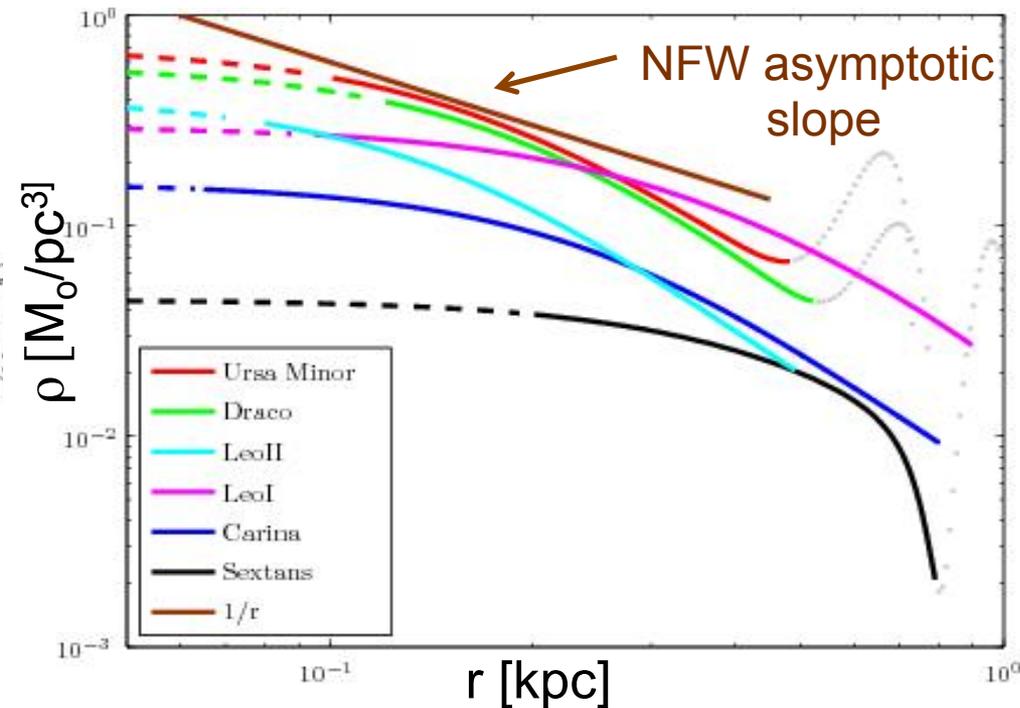
Dwarf galaxies in Eagle have NFW cusps!

Evidence for warm dark matter?

THE ASTROPHYSICAL JOURNAL, 663:948–959, 2007 July 10

THE OBSERVED PROPERTIES OF DARK MATTER ON SMALL SPATIAL SCALES

GERARD GILMORE,¹ MARK I. WILKINSON,^{1,2} ROSEMARY F. G. WYSE,³ JAN T. KLEYNA,⁴ ANDREAS KOCH,^{5,6}
 N. WYN EVANS,¹ AND EVA K. GREBEL^{6,7}



Inferred density profiles for 6 dwarf spheroidals

“...dark matter forms cored mass distributions, with a core scale length of greater than about 100pc, and always has a maximum central density in a narrow range...”

“...(keV) sterile neutrino particles have been discussed as relevant in just the spatial and density range we have derived here.”

Density profiles of WDM halos

WDM particles have significant **thermal velocities** at early times

Since the phase-space density cannot increase,
shouldn't this produce a uniform **density core**?

The thermal velocities of WDM particles induce cores

Liouville's theorem \rightarrow upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$

Shao, Gao, Theuns, Frenk '13

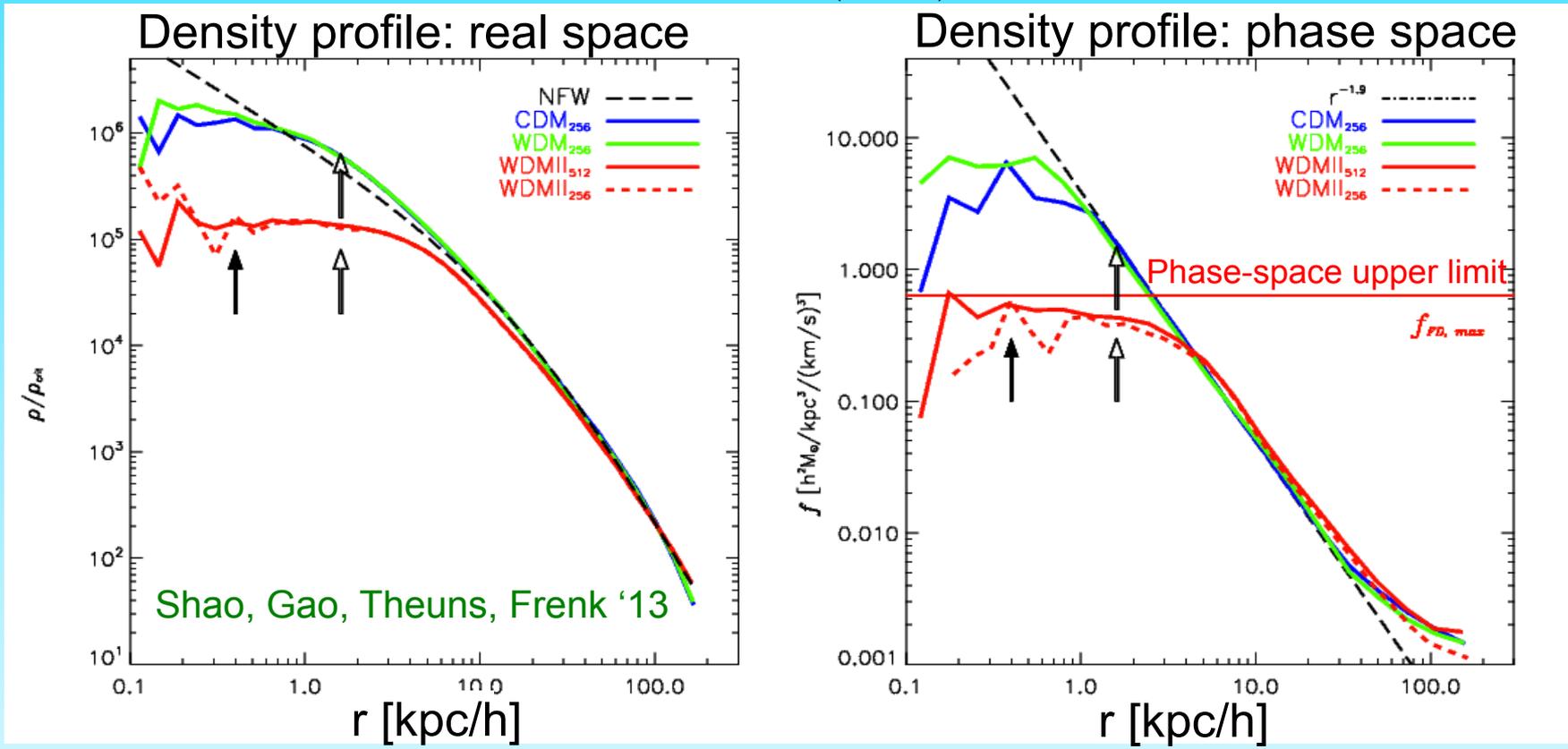
Maccio et al.'12

Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem → upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}$$



The thermal velocities of WDM particles induce cores

Liouville's theorem \rightarrow upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$

By requiring $f = f_{FD}$

$$m_x^4 = \frac{6(2\pi\hbar)^3}{(2\pi)^{5/2} gG\sigma_h^2}$$

Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem → upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}$$

Phase space arguments →

$$r_c = \frac{pc}{\left(\frac{m_x c^2}{8.2\text{keV}}\right)^2 \left(\frac{\sigma}{\text{km/s}}\right)^{1/2} \left(\frac{g}{2}\right)^{1/2}}$$

core radius

For $m_{\text{WDM}} > 1.5 \text{ keV}$, core radii in WDM models are $< 10\text{pc}$ →

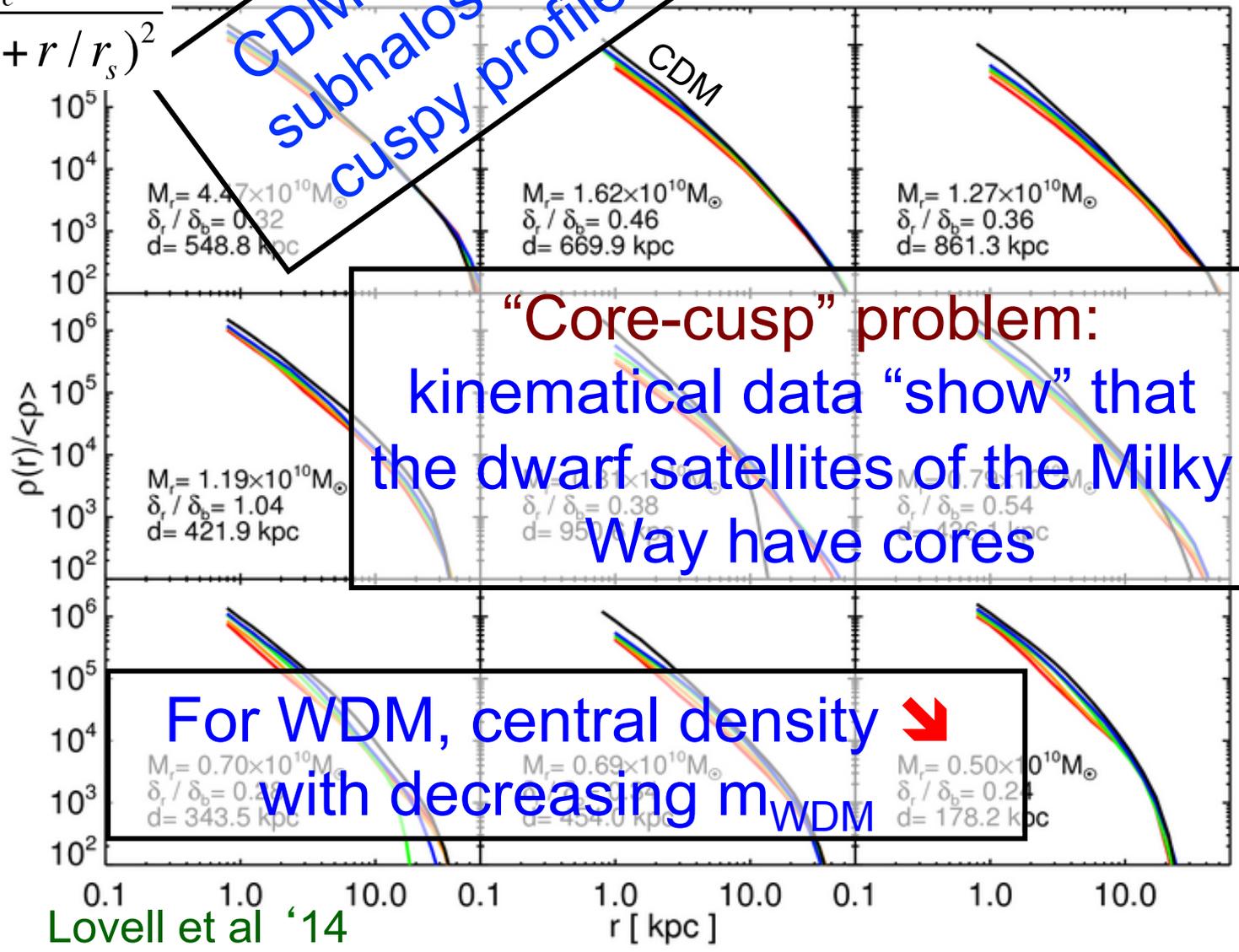
core radii NOT relevant in WDM even in dwarf gals

The core-cusp problem

$$\frac{\rho(r)}{\rho_{crit}} = \frac{\delta_c}{(r/r_s)(1+r/r_s)^2}$$

CDM & WDM subhalos have cuspy profiles

- WDM
- 2.3 keV
 - 2.0 keV
 - 1.6 keV
 - 1.4 keV



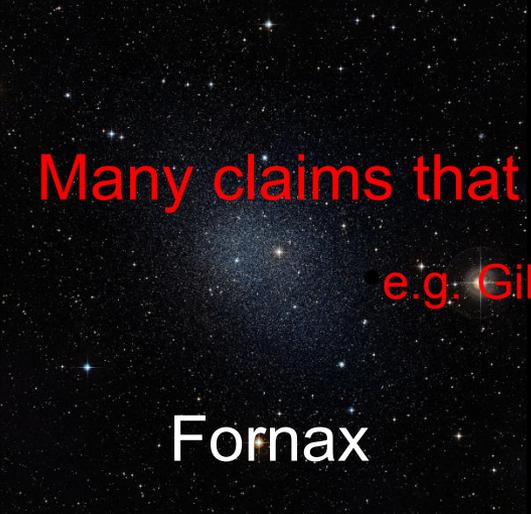
“Core-cusp” problem: kinematical data “show” that the dwarf satellites of the Milky Way have cores

For WDM, central density with decreasing m_{WDM}

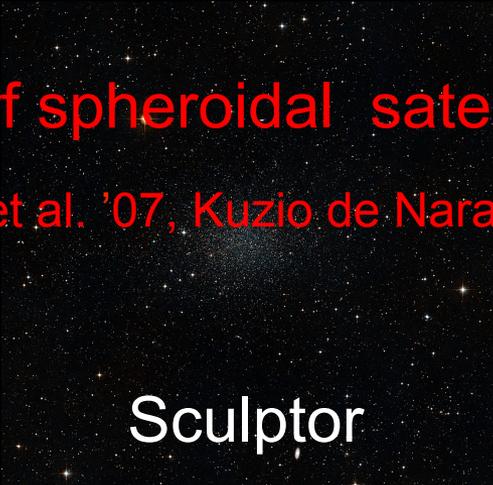


Dwarf galaxies around the Milky Way

Many claims that dwarf spheroidal satellites have density cores
e.g. Gilmore et al. '07, Kuzio de Naray '08 and many more



Fornax



Sculptor



Leo I

© Anglo-Australian Observatory



Carina



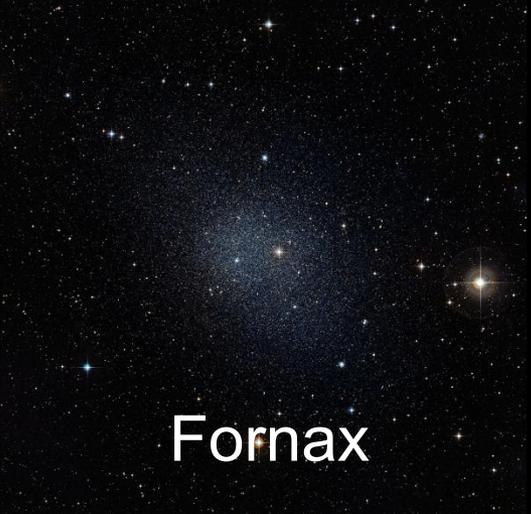
Sextans



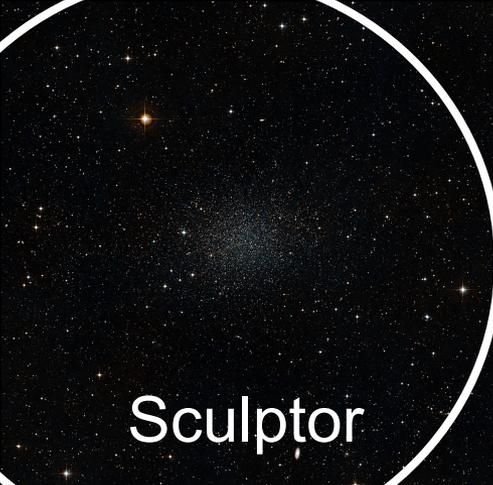
Sagittarius



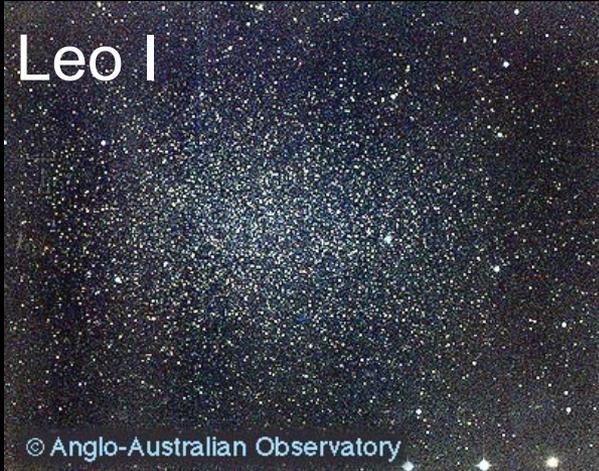
Dwarf galaxies around the Milky Way



Fornax



Sculptor



Leo I

© Anglo-Australian Observatory



Carina



Sextans



Sagittarius

The DM halo of the Sculptor dwarf

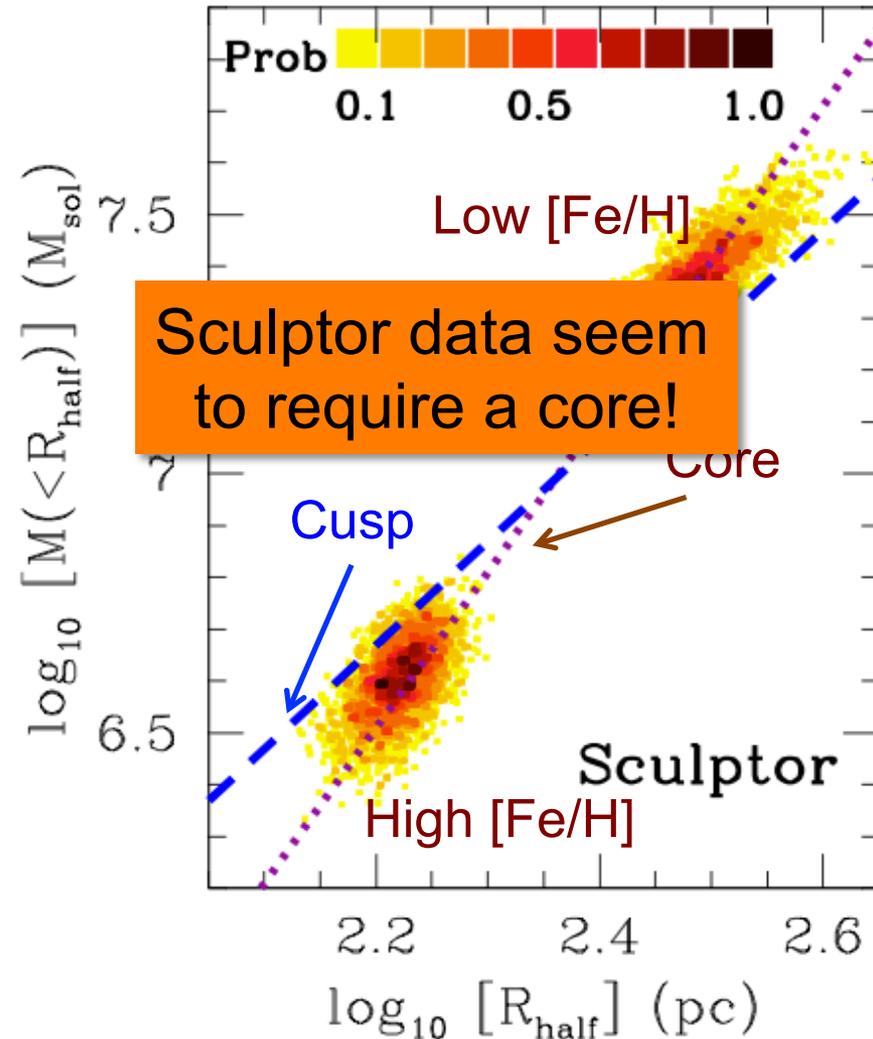
Sculptor has two stellar pops:

- (i) centrally concentrated, high [Fe/H]
- (ii) extended, low [Fe/H]

$$M(< r) = \mu \frac{r < \sigma_{los}^2 >}{G}$$

Walker '10; Wolf et al '10 →

if $r=r_{1/2}$, $\mu=2.5$, independently of model assumptions!



Distribution function analysis of 2 metallicity pop. data of Battaglia et al.

Assume pops in equil. in NFW halo: $\rho(r) = \frac{\rho_s}{x(1+x)^2}$

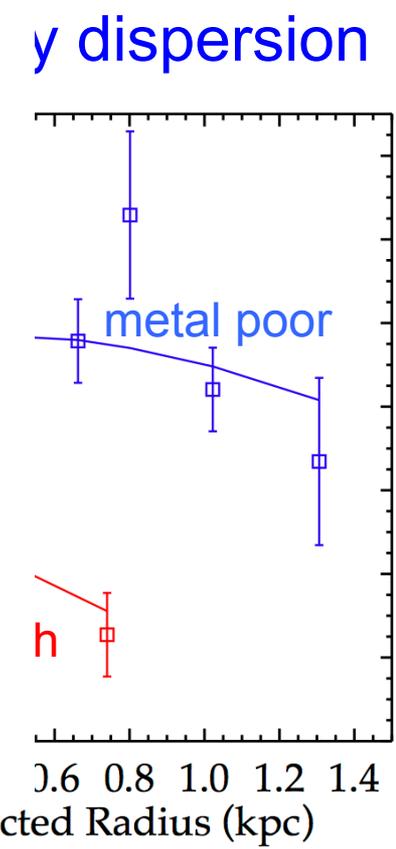
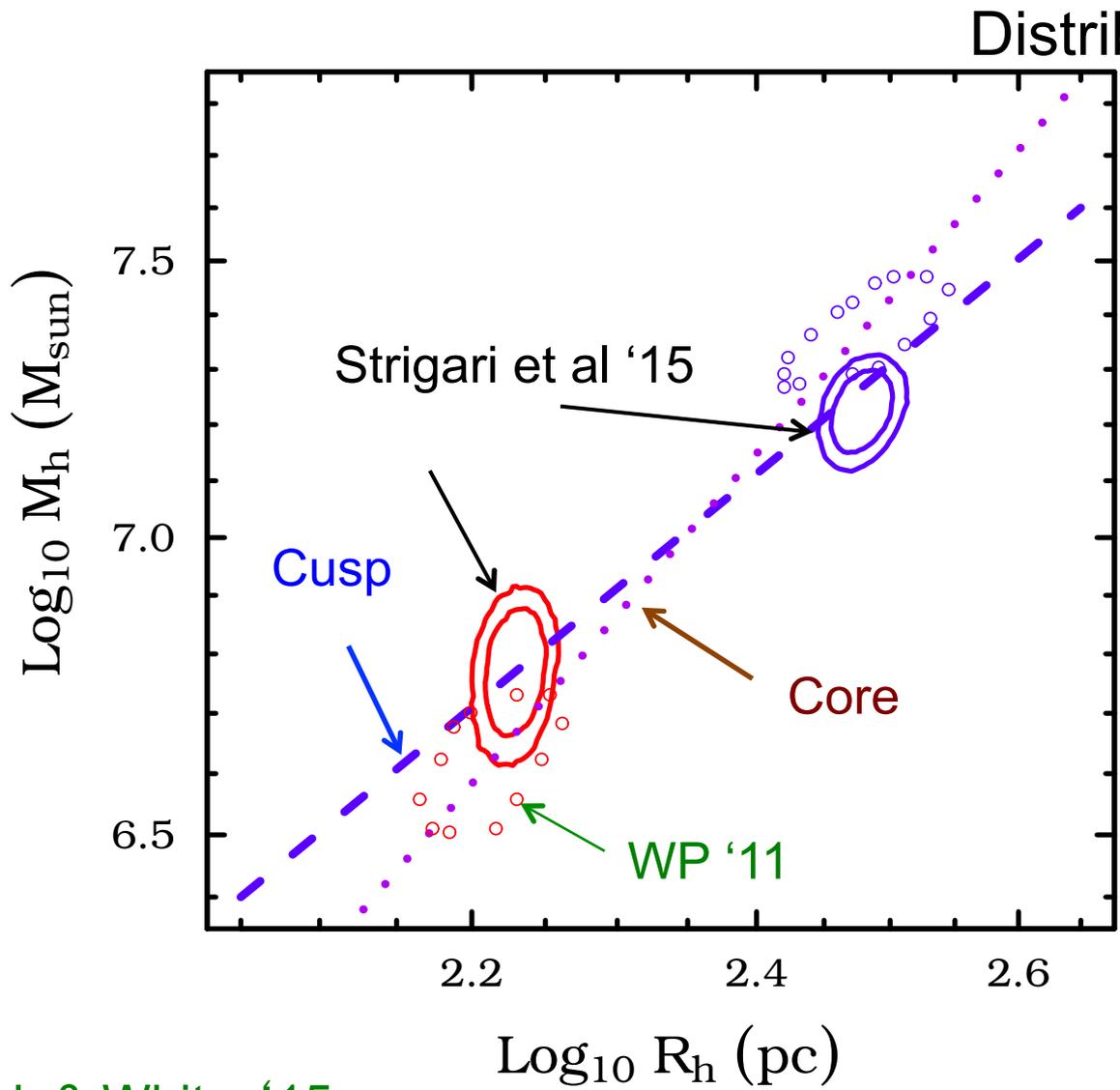
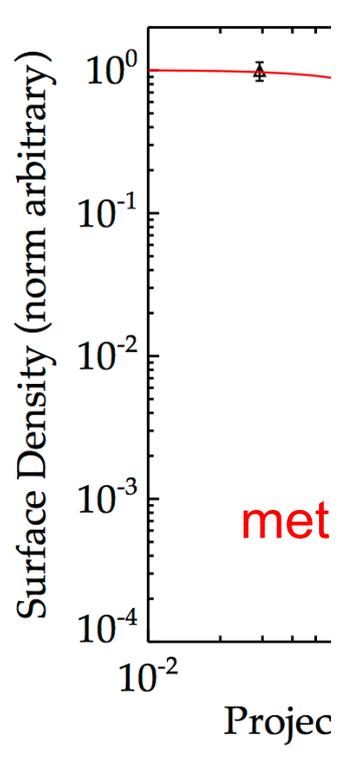
For each population: $f(E, J) = g(J)h(E)$,

Parametrize: $g(J) = \left[\left(\frac{J}{J_\beta} \right)^{\frac{b_0}{\alpha}} + \left(\frac{J}{J_\beta} \right)^{\frac{b_1}{\alpha}} \right]^\alpha$

$$h(E) = \begin{cases} NE^a (E^q + E_c^q)^{d/q} (\Phi_{lim} - E)^e & \text{for } E < \Phi_{lim} \\ 0 & \text{for } E \geq \Phi_{lim}, \end{cases}$$

Find best-fit parameters using MCMC

The DM halo of the Sculptor dwarf



Data cons
eq

Strigari, Frenk & White '15



Cores or cusps in the dwarf sph. satellites of the MW?

When sufficiently general models are considered, even best kinematical data cannot distinguish cores from NFW cusps in the dwarf spheroidal satellites of the Milky Way

How about in field dwarf galaxies?

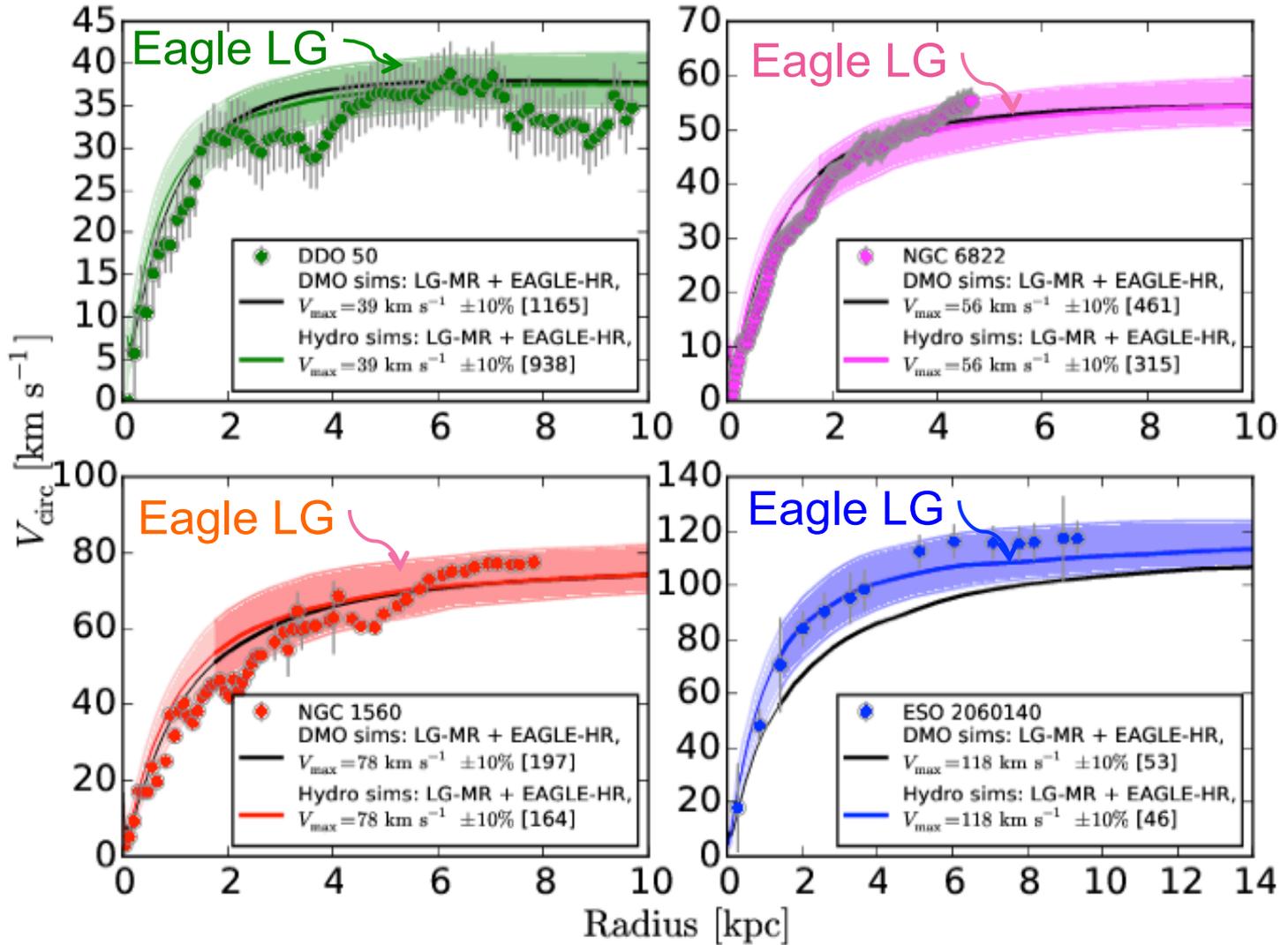
Data are not as detailed, but some dwarfs have disks:

- (i) Rotation curves
- (ii) 2D velocity fields

The diversity of gal rotation curves

Four rotation curves that are well fit by Λ CDM

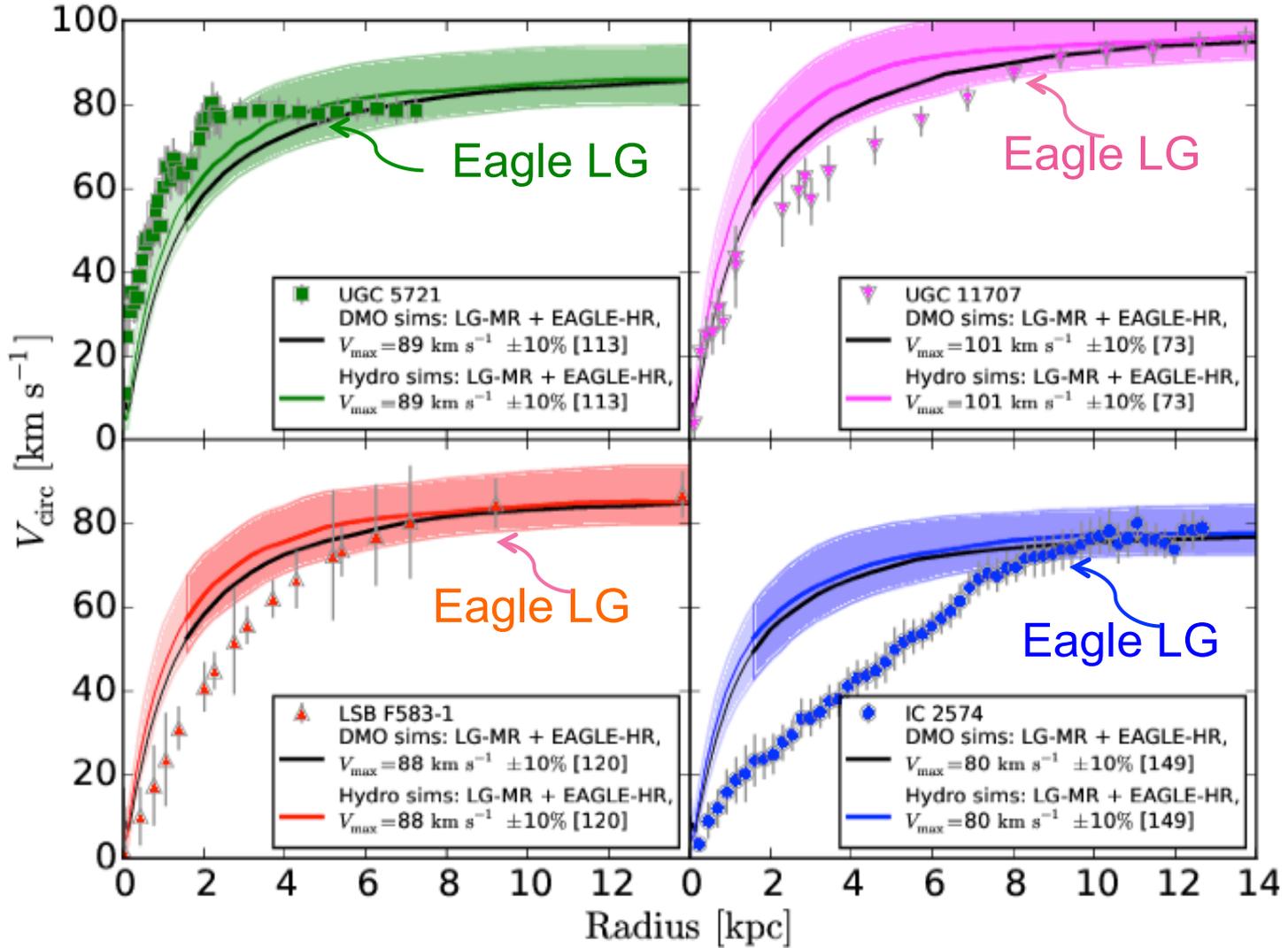
(from dwarfs to $\sim L_*$)



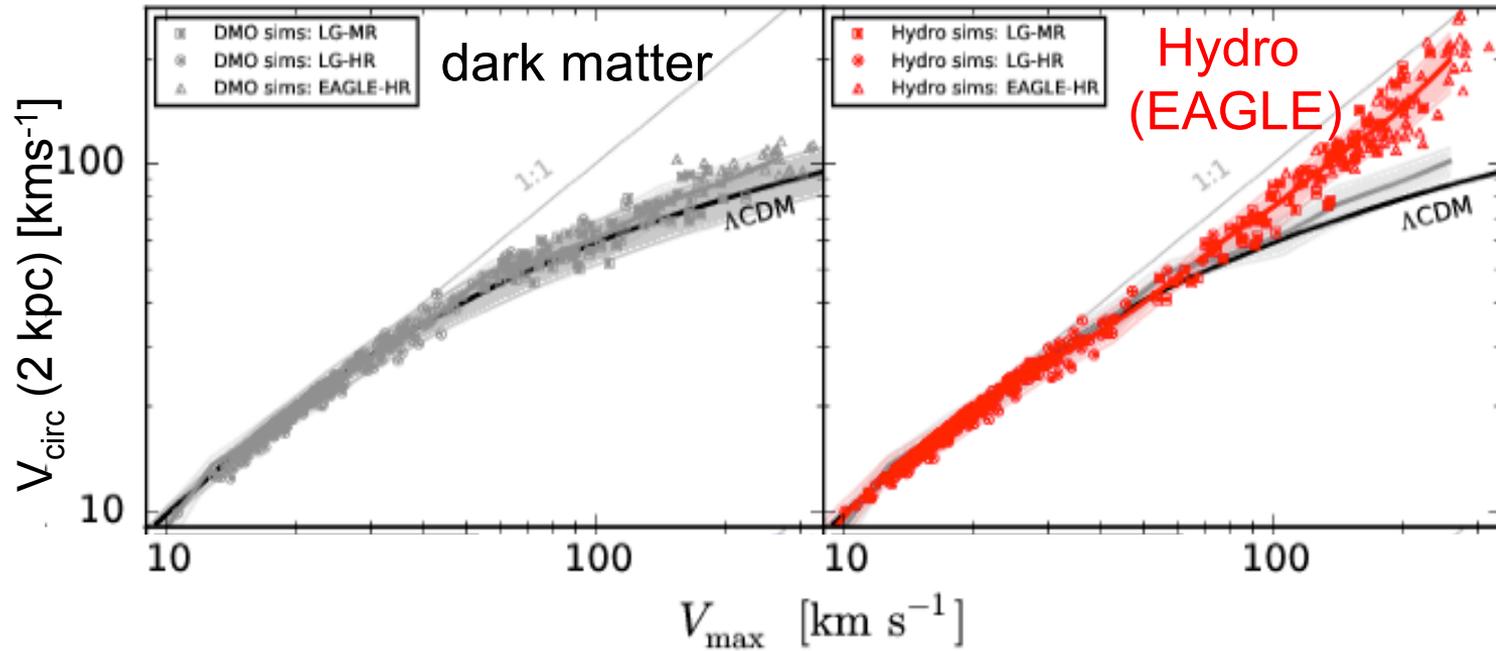
The diversity of gal rotation curves

Four rotation curves that are NOT well fit by Λ CDM

(from dwarfs to $\sim L_*$)

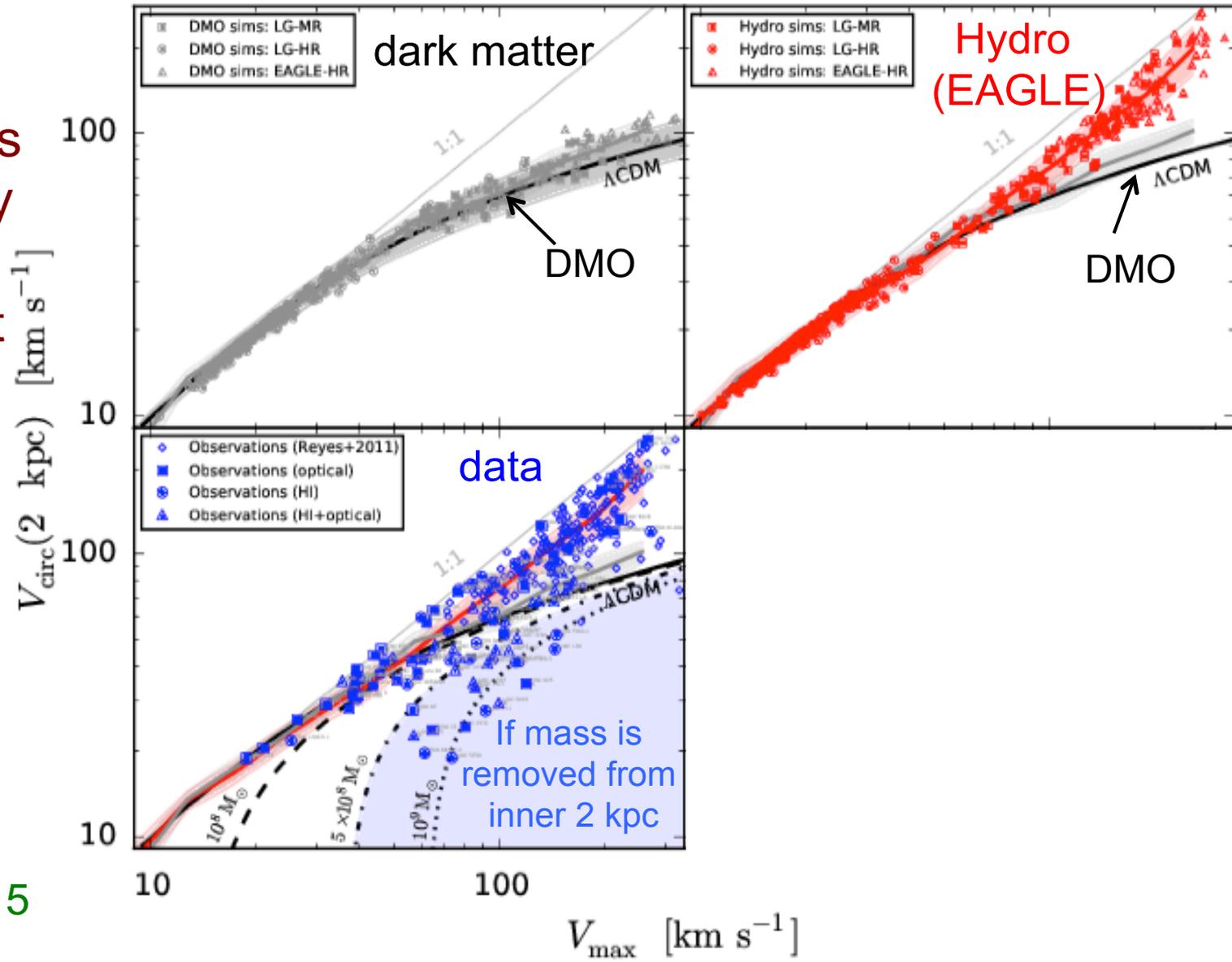


The diversity of gal rotation curves



The diversity of gal rotation curves

Most galaxies are well fit by EAGLE; others not fit by any simulation





Are there other baryon effects that could make cores but are not present in Eagle?

The cores of dwarf galaxy haloes

Julio F. Navarro,^{1,2★} Vincent R. Eke² and Carlos S. Frenk²

¹*Steward Observatory, The University of Arizona, Tucson, AZ 85721, USA*

²*Physics Department, University of Durham, South Road, Durham DH1 3LE*

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ABSTRACT

We use N -body simulations to examine the effects of mass outflows on the density profiles of cold dark matter (CDM) haloes surrounding dwarf galaxies. In particular, we investigate the consequences of supernova-driven winds that expel a large fraction of the baryonic component from a dwarf galaxy disc after a vigorous episode of star formation. We show that this sudden loss of mass leads to the formation of a core in the dark matter density profile, although the original halo is modelled by a coreless (Hernquist) profile. The core radius thus created is a sensitive function of the mass and radius of the baryonic disc being blown up. The loss of a disc with mass and size consistent with primordial nucleosynthesis constraints and angular momentum considerations imprints a core radius that is only a small fraction of the original scalelength of the halo. These small perturbations are, however, enough to reconcile the rotation curves of dwarf irregulars with the density profiles of haloes formed in the standard CDM scenario.

Let gas cool and condense to the galactic centre

- gas self-gravitating
- star formation/burst

Rapid ejection of gas during starburst → a core in the halo dark matter density profile

Navarro, Eke, Frenk '96

Governato et al. '12

Pontzen & Governato '12

Brooks et al. '12

Navarro, Eke, Frenk '96

The cores of dwarf galaxy haloes L75

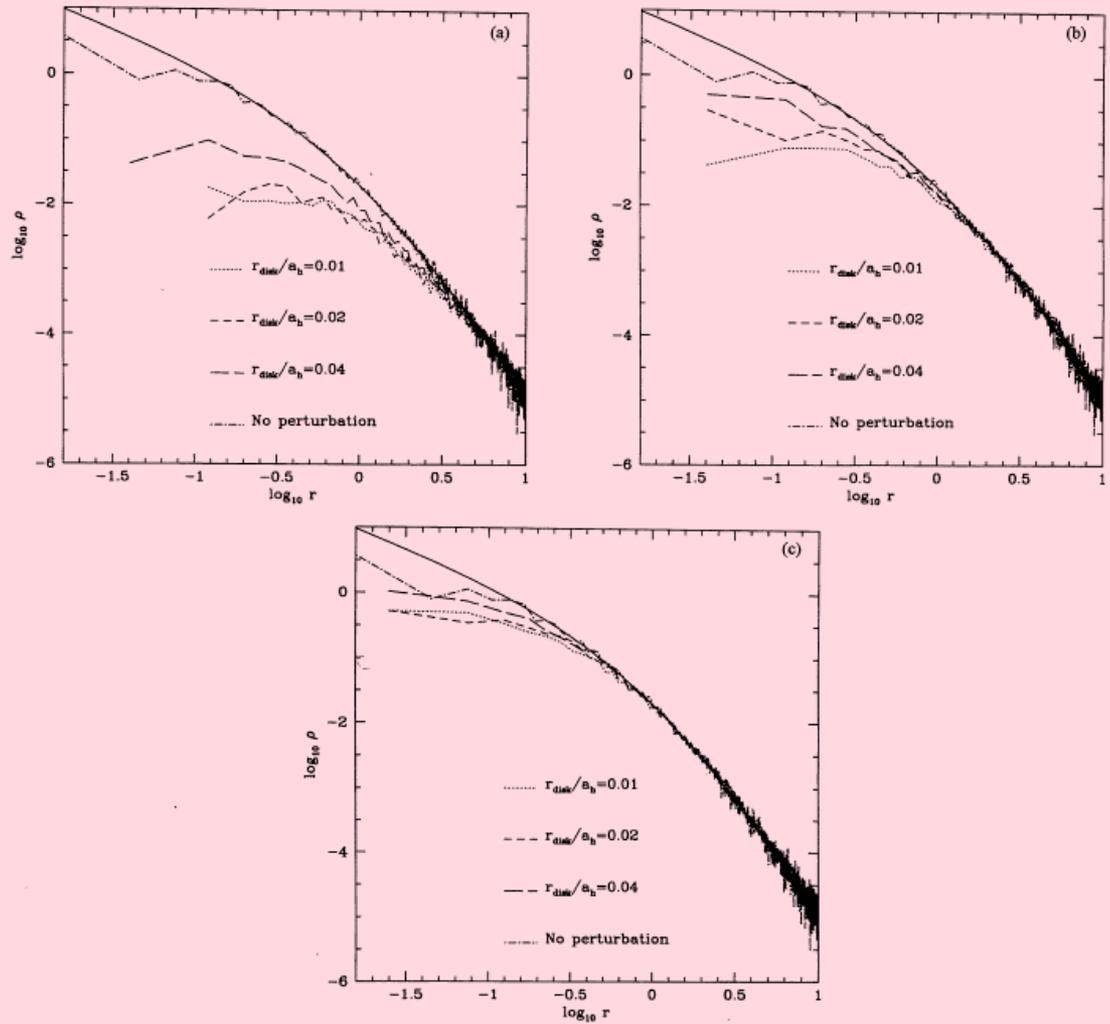


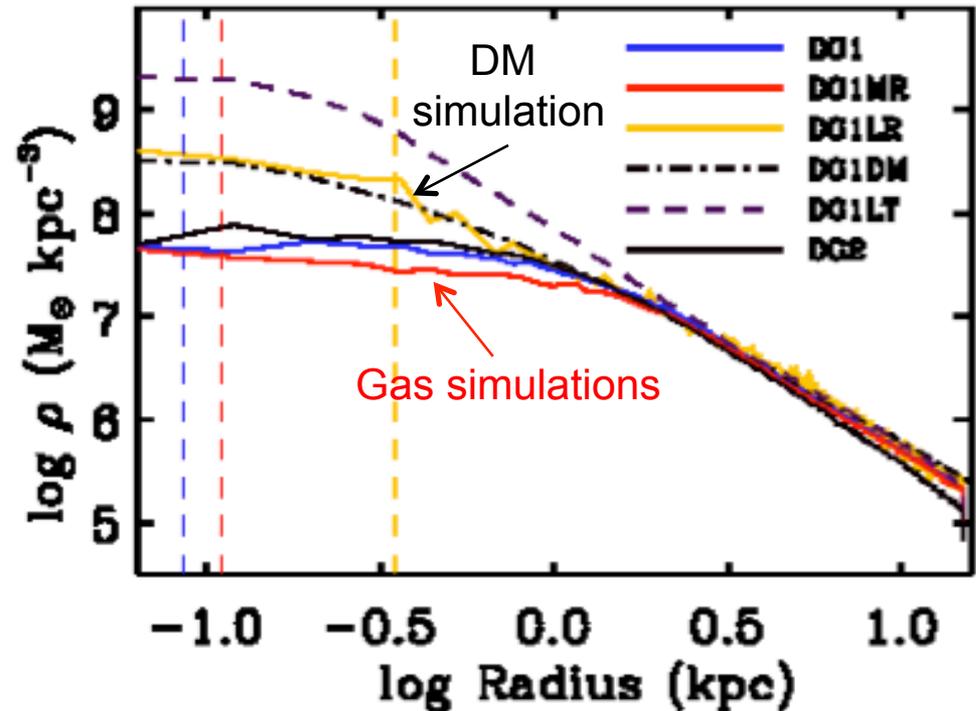
Figure 3. Equilibrium density profiles of haloes after removal of the disc. The solid line is the original Hernquist profile, common to all cases. The dot-dashed line is the equilibrium profile of the 10000-particle realization of the Hernquist model run in isolation at $t=200$. (a) $M_{\text{disc}}=0.2$. (b) $M_{\text{disc}}=0.1$. (c) $M_{\text{disc}}=0.05$.

Cores in dwarf galaxy simulations

Governato et al. assume **high density** threshold for star formation

EAGLE does not

- High threshold allows **large gas mass** to accumulate in **centre**
- Sudden **repeated removal** of gas transfers binding energy

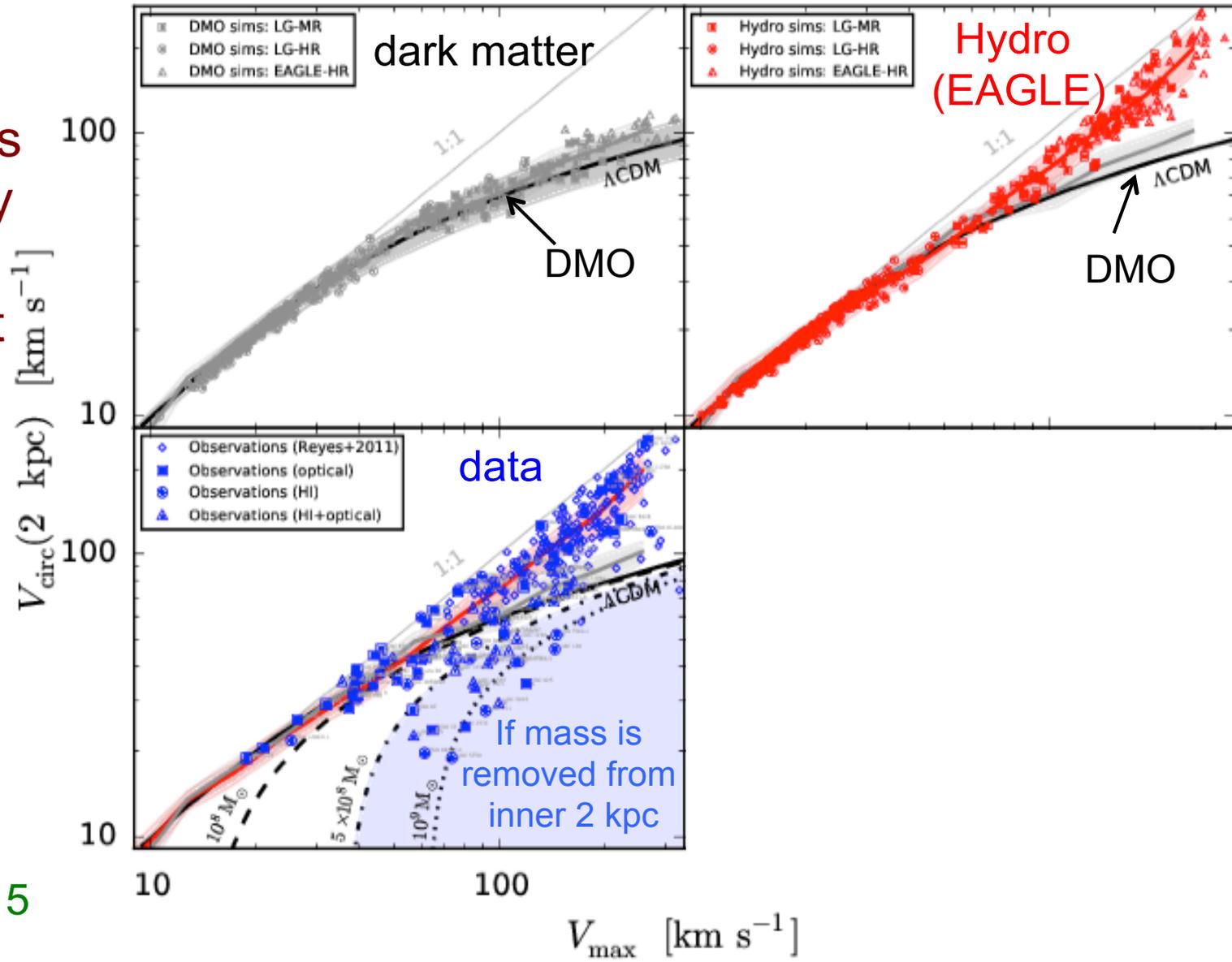


Governato et al. '10

Pontzen et al. '11

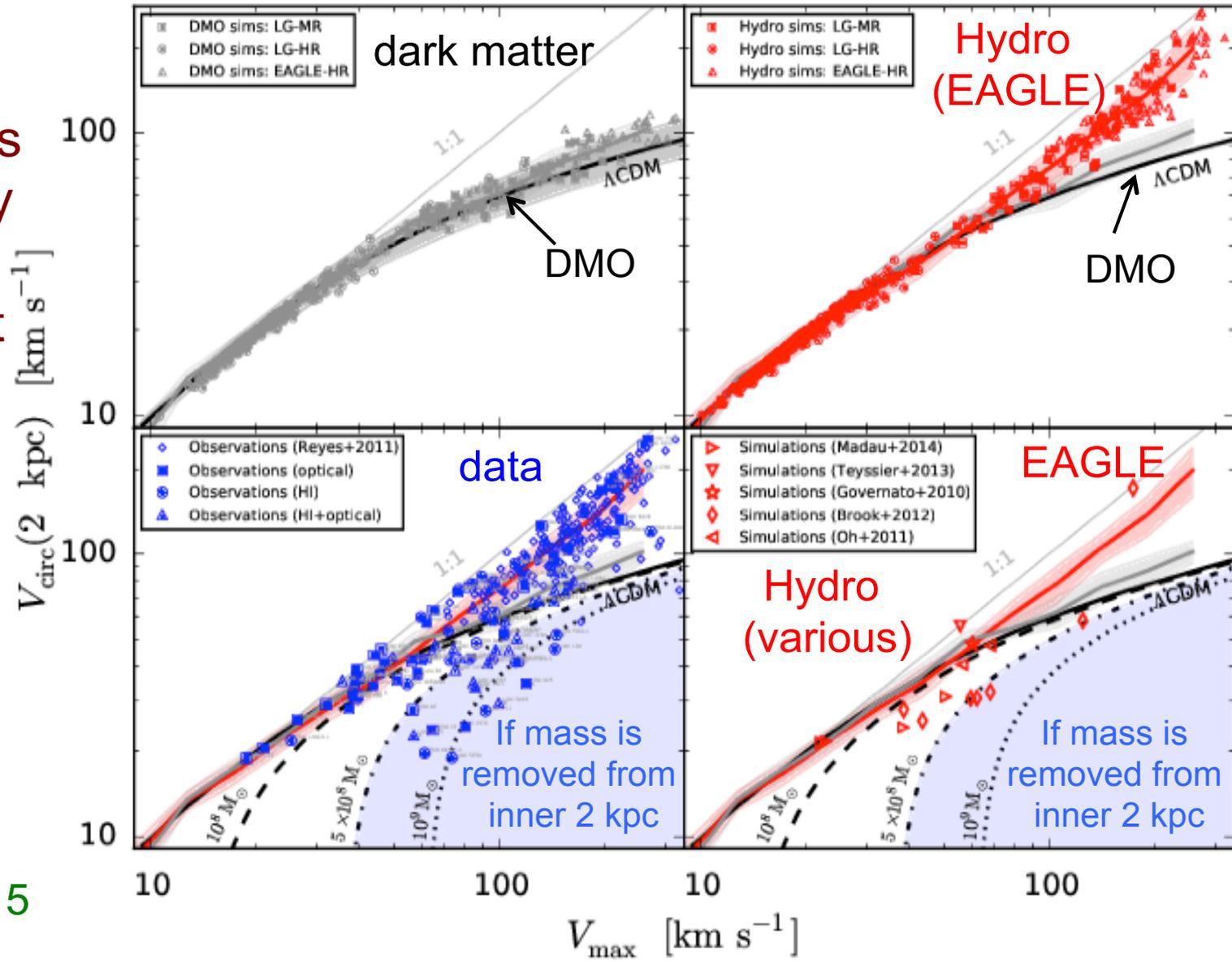
The diversity of gal rotation curves

Most galaxies are well fit by EAGLE; others not fit by any simulation



The diversity of gal rotation curves

Most galaxies are well fit by EAGLE; others not fit by any simulation





Cores or cusps in dwarf gals?

- Some dwarfs have rotation curves that agree well with EAGLE
- Others have inner mass deficits compared to Λ CDM expectation
- In many cases, inner deficit much larger than seen in simulations that make cores

EITHER (i) dark matter more complex than in any current model

OR (ii) current simulations fail to reproduce effects of baryons on inner regions of dwarfs

AND/OR (iii) the mass profiles of “inner mass deficit” galaxies inferred from kinematic data are incorrect.

Four problems on small scales

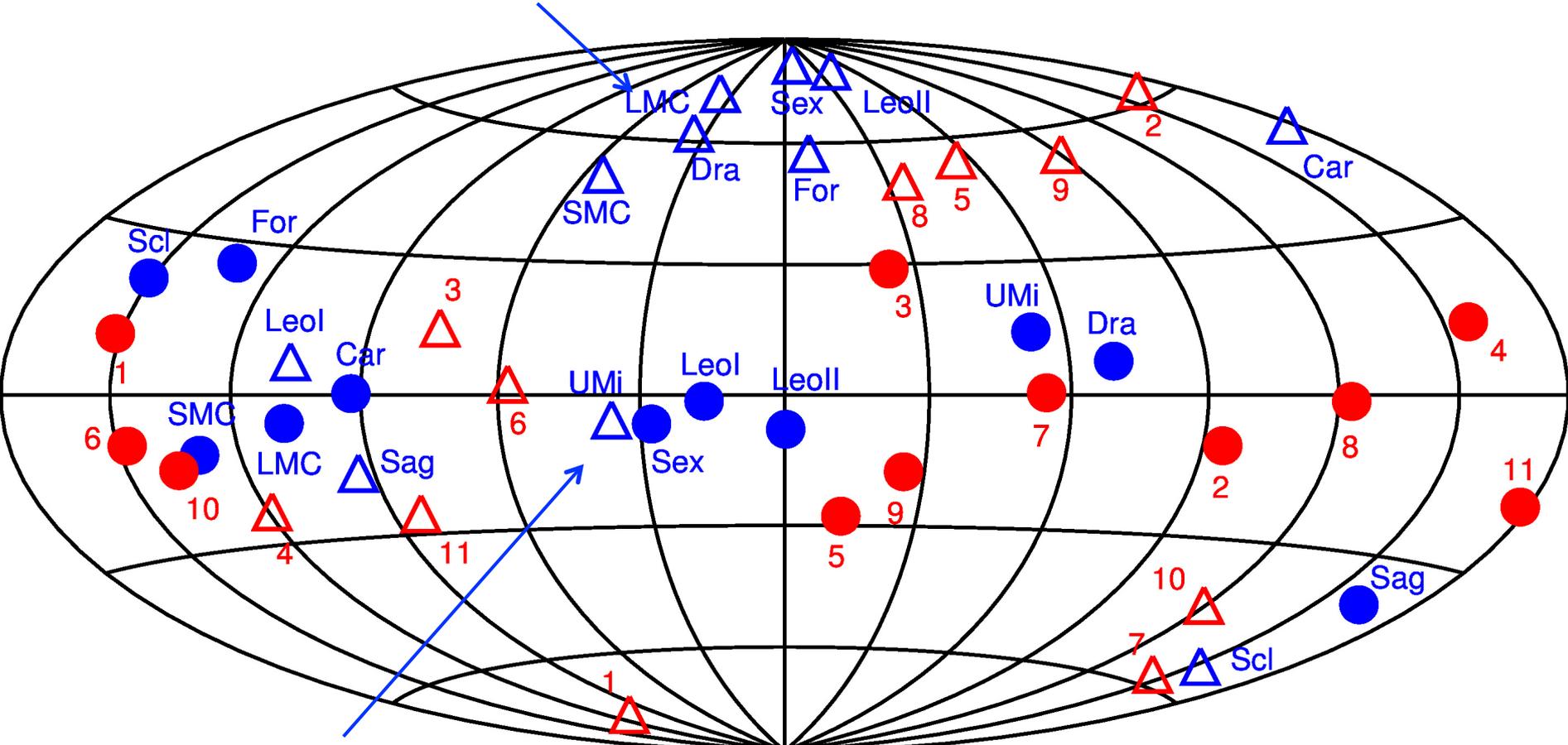
Traditionally ascribed to CDM:

1. The “missing satellites” problem
2. The “too-big-to-fail” problem
3. The “core-cusp” problem
4. The “satellite disk” problem

Can these help distinguish between CDM & WDM?

The "satellite disk" problem

Direction of ang. mom. Milky Way



MW satellites

Lynden-Bell '76

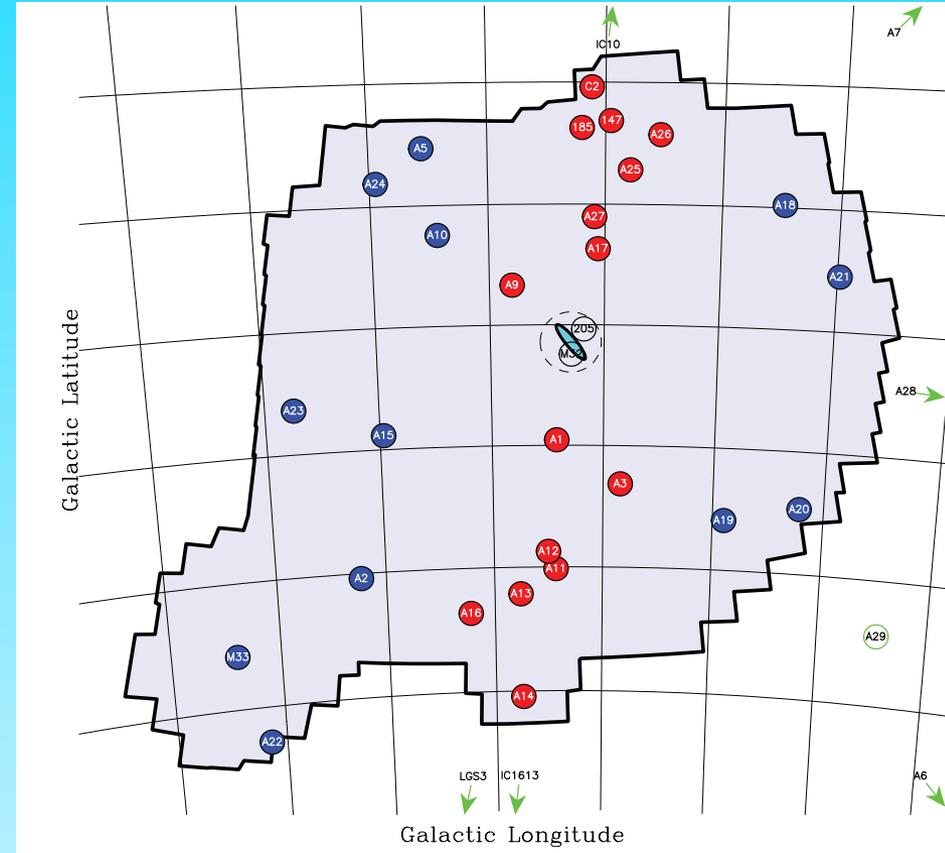
Sawala et al '15

The curious case of a thin, “rotating” plane of sats in M31

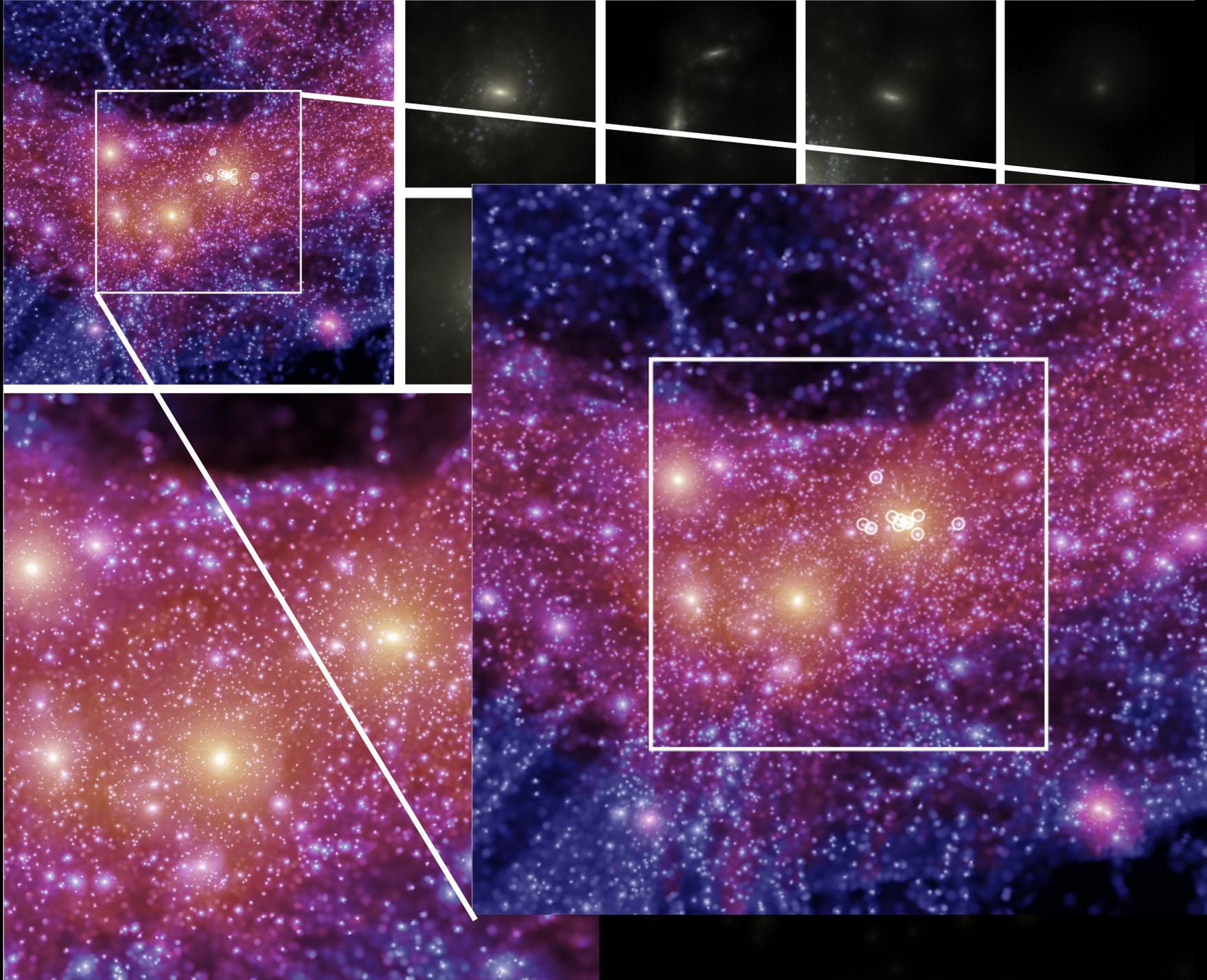
Ibata et al ‘13 found a **plane** of **15 satellites** in Andromeda (out of 27) of which **13** have the same sense of **rotation**

They claim a **4.3σ detection**

“We find that **0.04%** of host galaxies [in Millennium II] display satellite alignments that are at least as extreme as the observations, when we consider their extent, thickness, and number of members rotating in the same sense.”

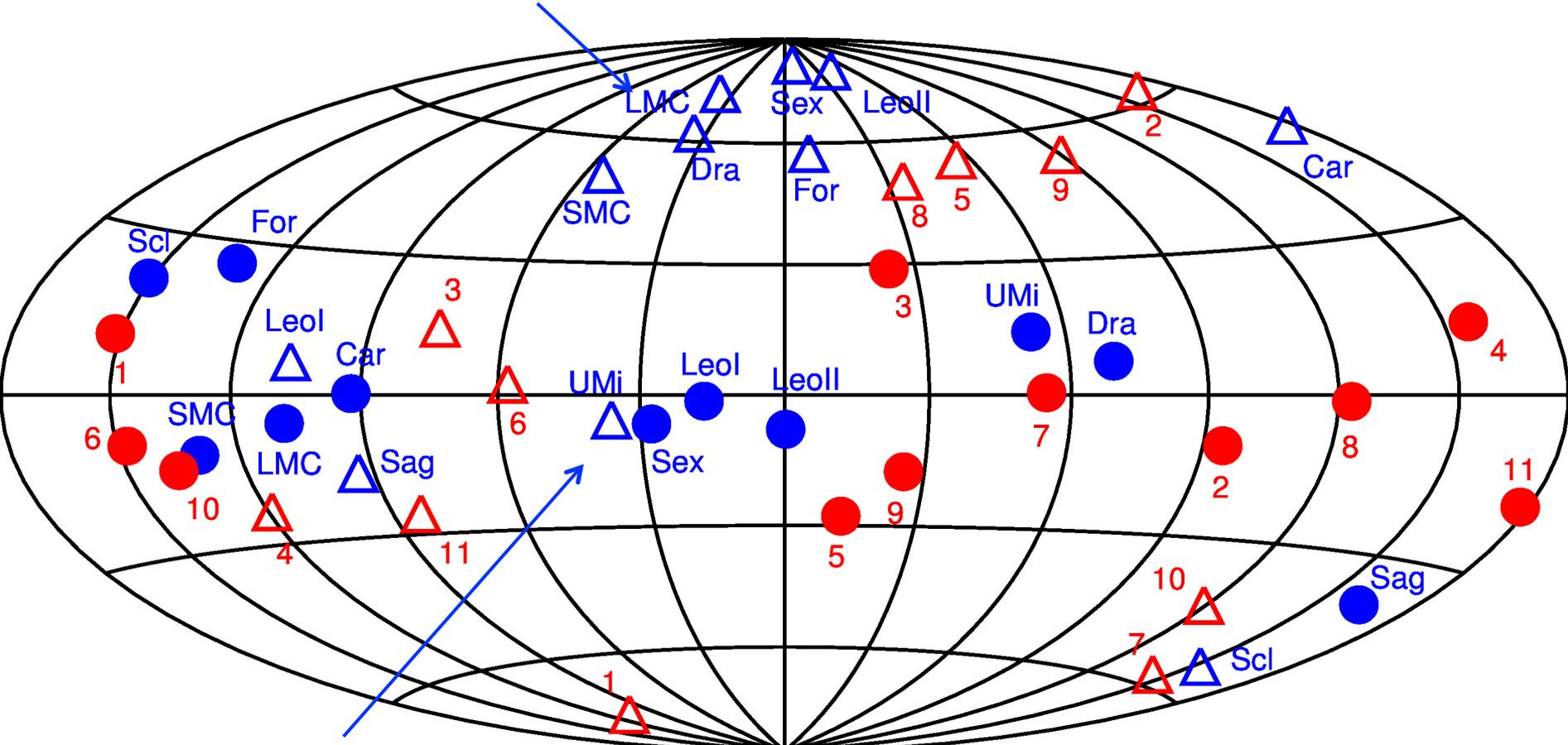


Ibata et al ‘13



The "satellite disk" problem

Direction of ang. mom. Milky Way

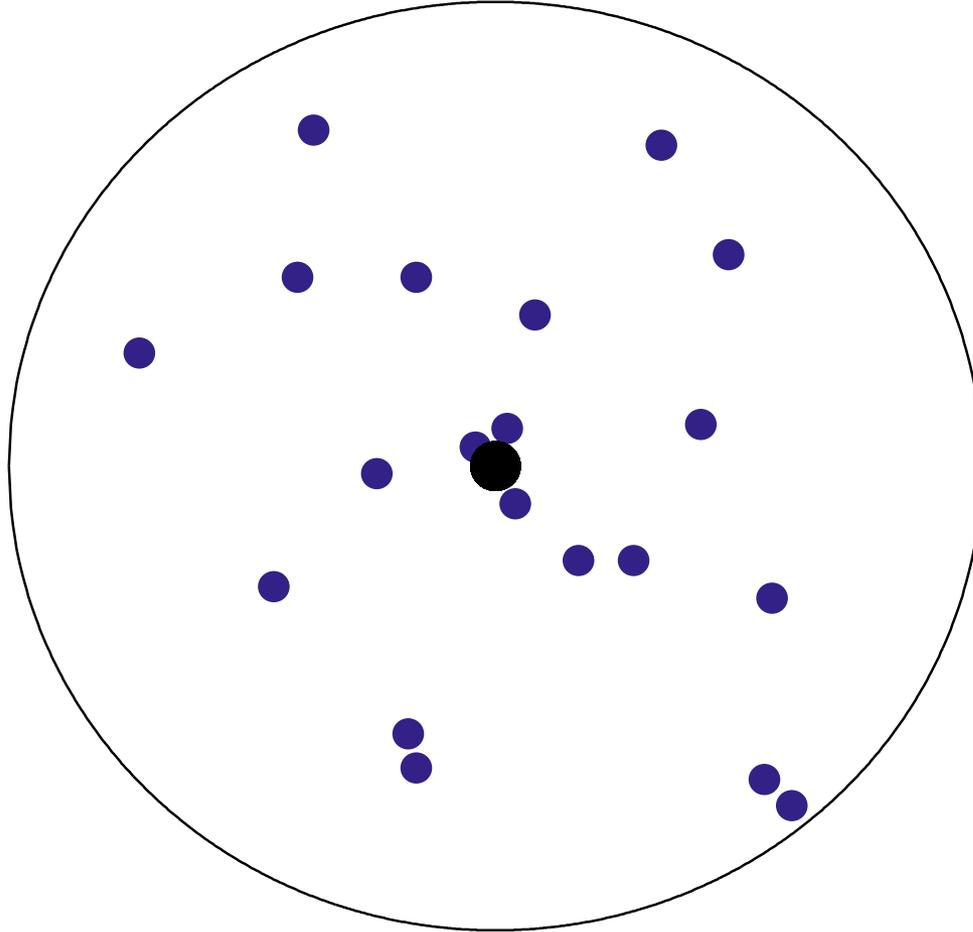


MW satellites

Lynden-Bell '76

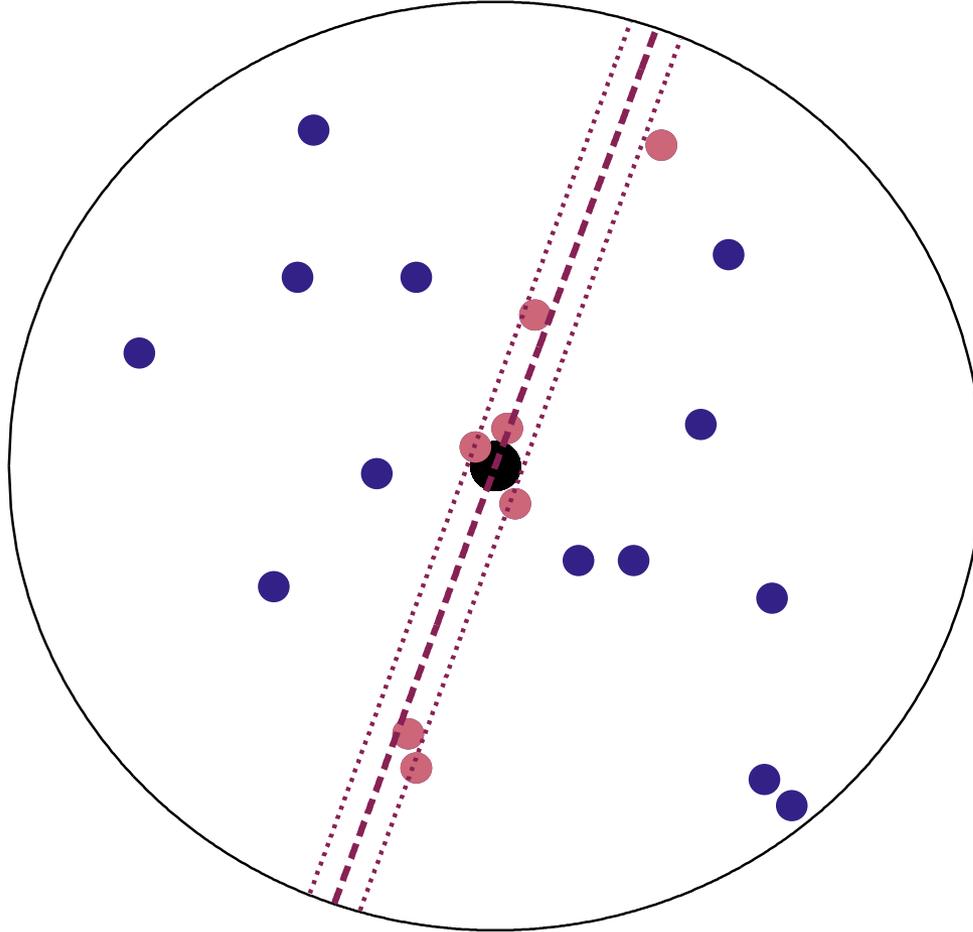
Sawala et al '15

Finding disks of satellites



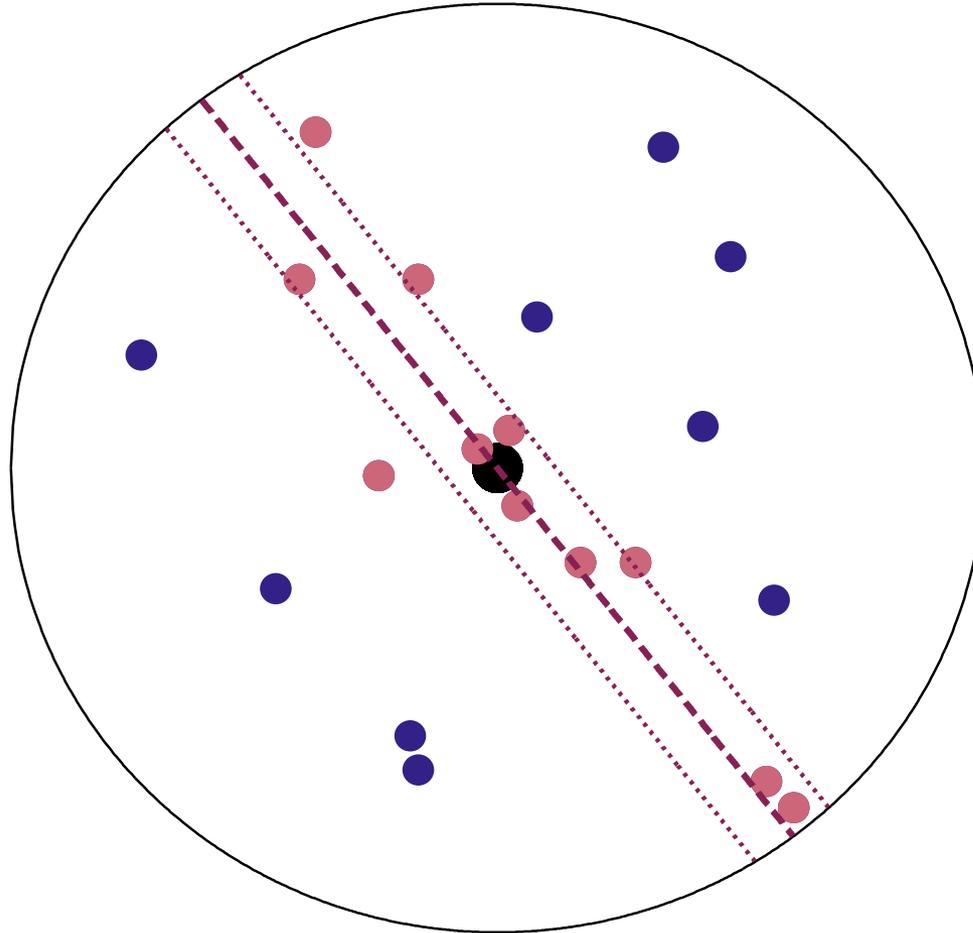
Finding disks of satellites

Plane 1: $N_{\text{sat}} = 7$, $\mathcal{P} = 410$



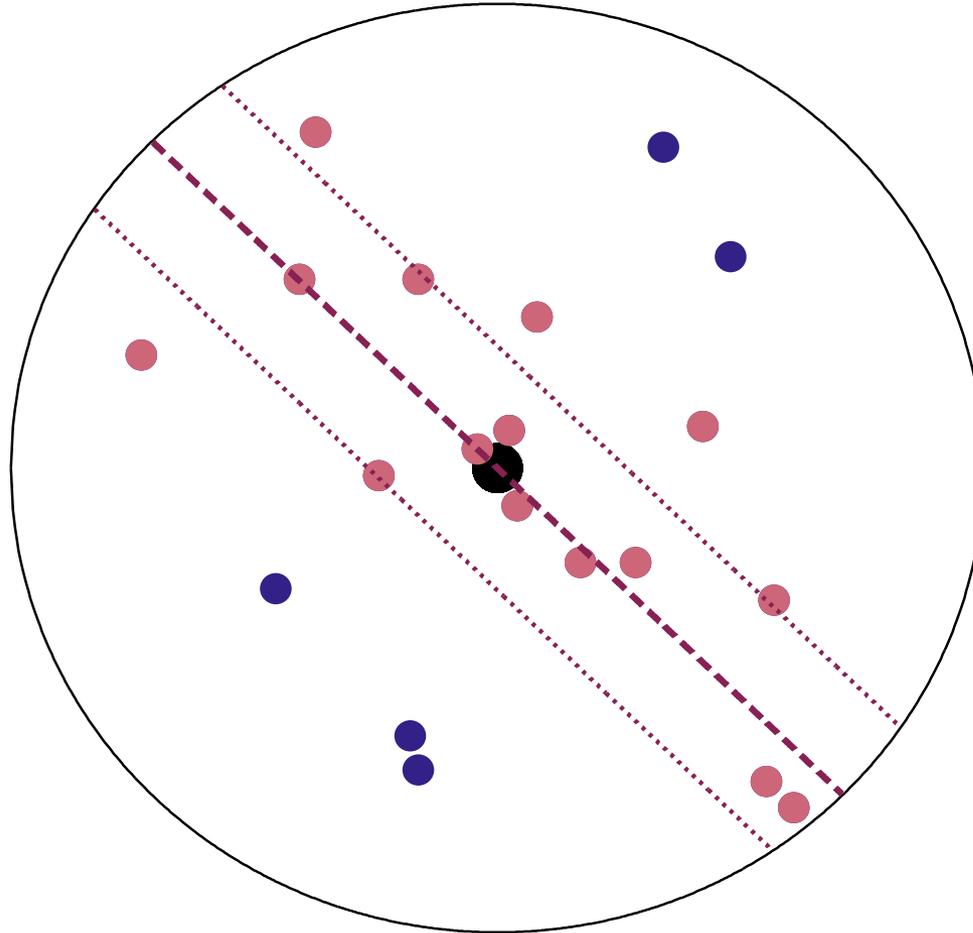
Finding disks of satellites

Plane 2: $N_{\text{sat}} = 11$, $\mathcal{P} = 660$



Finding disks of satellites

Plane 3: $N_{\text{sat}} = 15$, $\mathcal{P} = 450$



The “satellite disk” problem

Prominence of a plane = $\frac{1}{\text{Probability of finding plane in random distr}}$

Prominence of plane thinner than r_{\perp} having N_{sat} galaxies $\mathcal{P}_{\text{spatial}}^{\text{plane } i} = \frac{1}{p(\leq r_{\perp}; i | N_{\text{sat}; i})}$

Prominence of plane of N_{sat} gals, N same sense of rotation $\mathcal{P}_{2\text{D-kin}}^{\text{plane } i} = \frac{1}{p(\geq N_{\text{s.s.r.}; i} | N_{\text{sat}; i})}$

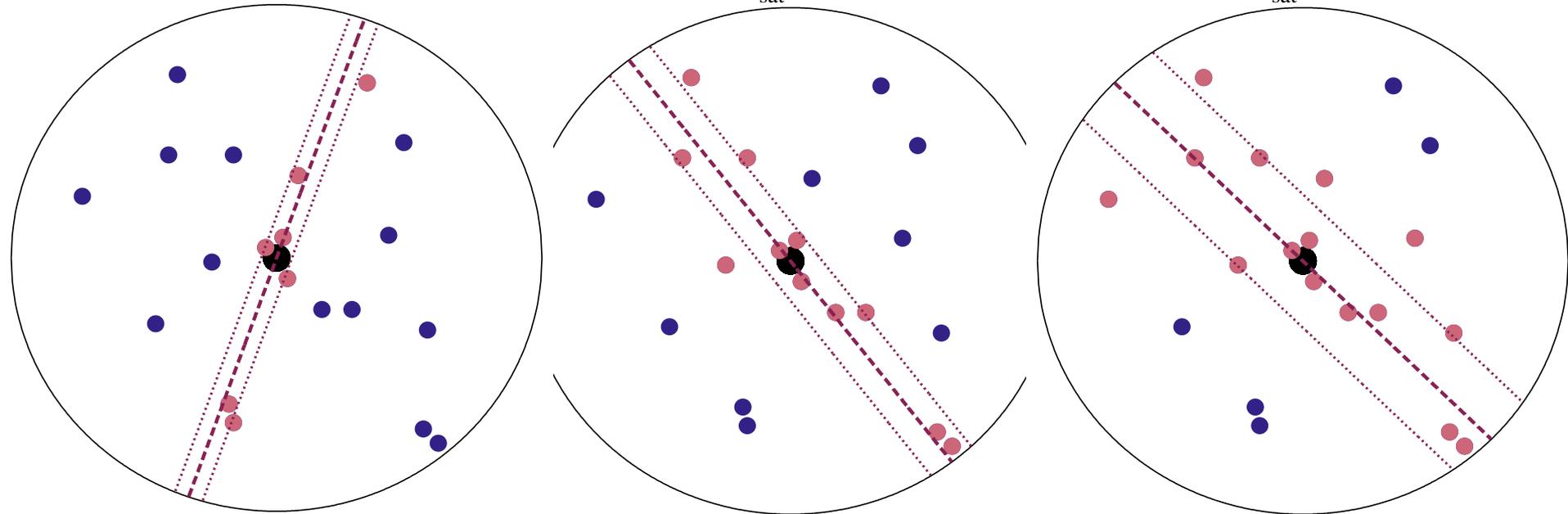
$$\mathcal{P}_{\text{spatial}}^{\text{rarest}} = \max_{\text{all planes } i} \left[\mathcal{P}_{\text{spatial}}^{\text{plane } i} \right];$$

Finding disks of satellites

Plane 1: $N_{\text{sat}} = 7$, $\mathcal{P} = 410$

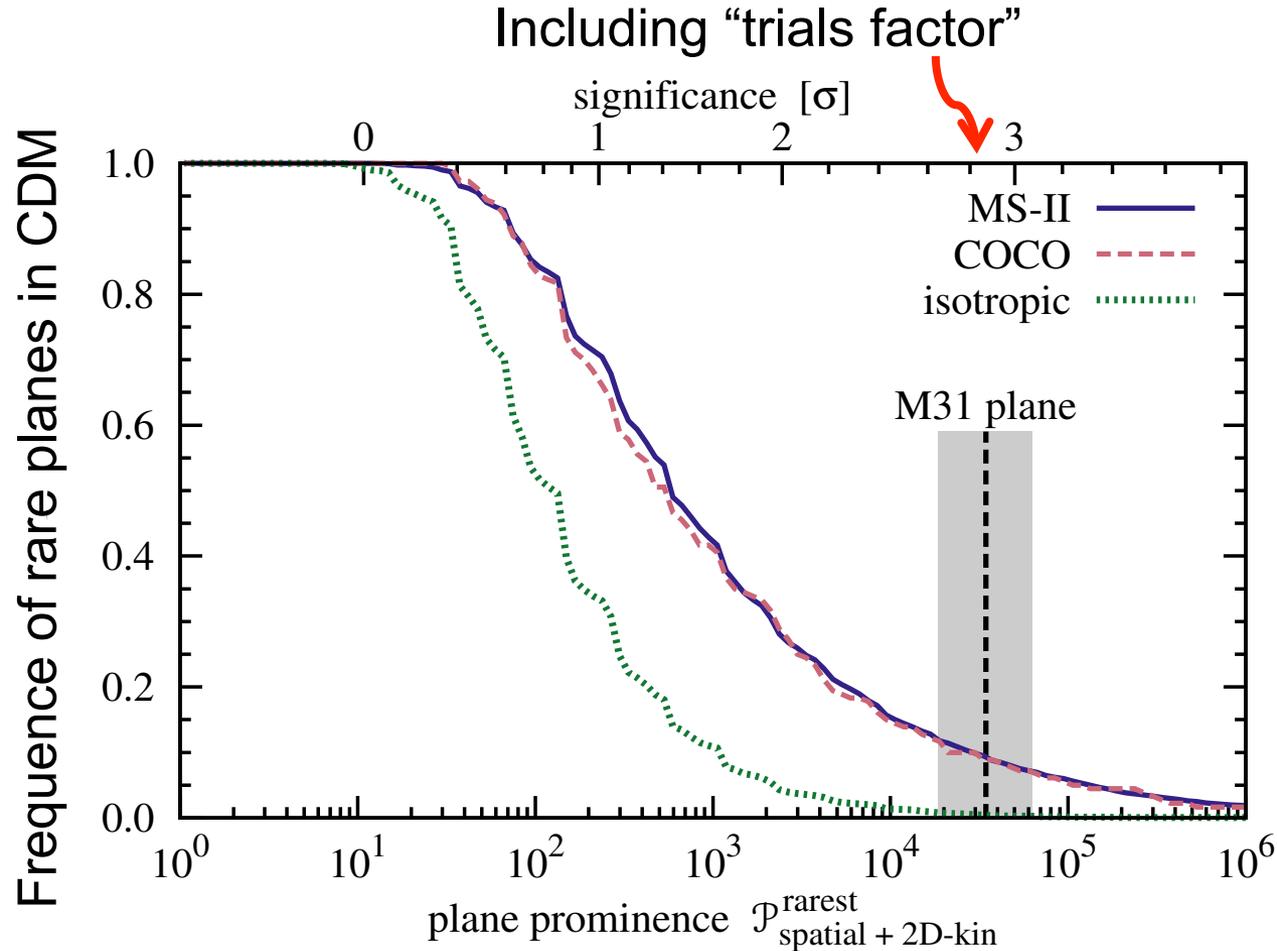
Plane 2: $N_{\text{sat}} = 11$, $\mathcal{P} = 660$

Plane 3: $N_{\text{sat}} = 15$, $\mathcal{P} = 450$



The significance of Ibata's plane

- Significance of Ibata's plane is reduced by x100 when trials factor is included
- 8.8% of halos in Λ CDM simulation have even more prominent disks than Ibata's



In random distribution, 1 in 30,000 chance of finding a plane of 15 sats (out of 27) as thin found by Ibata et al., with at least 13 having same sense of rotation



Conclusions

- Λ CDM: great **success** on scales > 1 Mpc: CMB, LSS, gal evolution
- But on these scales Λ CDM cannot be distinguished from **WDM**
- The **identity** of the DM makes a big difference on **small scales**

Four “problems” on small scales:

1. Abundance of sats: **CDM** OK; **WDM** OK if $m_{\text{WDM}} > 3$ KeV
2. Too-big-to-fail: **CDM**, **WDM** OK
3. Core-cusp: **Not** a problem? (Baryon effects?)
4. Disk of satellites: **CDM**, **WDM** OK



VIRGO

cold dark matter

warm dark matter

How can we distinguish between these?

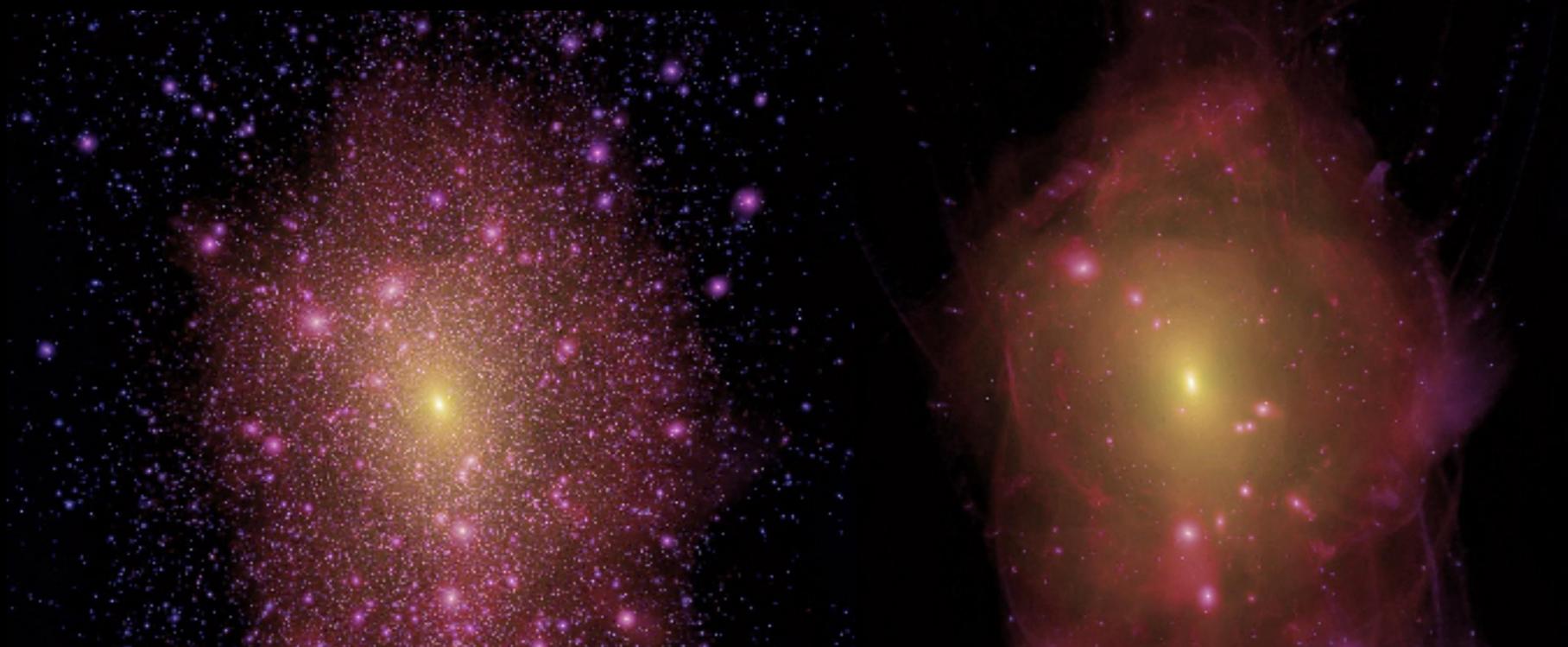
Not by the number of satellites
nor by their structure!

Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns,
Boyarski & Ruchayskiy '12

Can we distinguish CDM/WDM?

cold dark matter

warm dark matter



1. Dark subhalos (gravitational lensing)?
2. Stellar streams (stellar surveys – PAndAS, GAIA)?